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# DOCUMENTATION OF PROCEDURES FOR TEXTURAL/SPATIAL PATTERN RECOGNITION TECHNIQUES

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FINAL REPORT

April 15, 1976

**RSL Technical Report 278-1** 

Robert M. Haralick William F. Bryant

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Pattern Recognition Techniques

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#### I Introduction

This research was undertaken in an effort to aid the Forestry Application Project on Timber Resources. Mission M230 of the C-130 aircraft was flown over the Sam Houston National Forest on March 21, 1973 at 10,000 feet altitude. The Bendix 24 channel multispectral scanner collected the data. Four forest scenes of this data set were selected for study. They were edits 3, 6, 9, and 14. The categories of timber classes and subclasses are shown in Table I.1.

The application oriented research was to apply and document the capability of existing textural and spatial automatic processing techniques at the University of Kansas to classify the MSS imagery into specified timber categories. The ground truth for the study was supplied by the Forestry Applications Project.

Over a hundred classification experiments were performed on this data using feature selected from the spectral bands and a textural transform band. The textural transform band is an image whose resolution cells have grey tone intensities which indicate one parameter of local neighborhood texture. The textural transform concept is discussed in Section III. The classification was done by equal interval quantizing the images to 32 levels and using a non-parametric table look-up rule discussed in Section II. The various spatial pre- and post-processing options are discussed in Sections IV and V. Sections VI through IX discuss the results using only spectral features. Sections X through XIII discuss the combined spectral textural results.

The results indicate that

- (1) spatial post-processing a classified image can cut the classification error to 1/2 or 1/3 of its initial value.
- (2) spatial post-processing the classified image using combined spectral and textural features produces a resulting image with less error than post-processing a classified image using only spectral features.
- (3) classification without spatial post processing using the combined spectral textural features tends to produce about the same error rate as a classification without spatial post processing using only spectral features.

TABLE I.1 THE TYPE (CLASSES) AND CONDITION CLASSES (SUBCLASSES)
OF FOREST FEATURES OF INTEREST IN SAM HOUSTON NATIONAL FOREST OF TEXAS

Type No.	Type (Class)	Subclass No.	Condition Class (Subclass)
1	Shortleaf pine	1.1	Plantation - 3 years old
		1.2	Poletimber – immature
		1.3	Sawtimber – immature
		1.4	Sawtimber – mature
2	Loblolly pine	2.1	Plantation - 1 year old
		2.2	Plantation - 3 years old
		2.3	Seedling and Sapling -
			adequately stocked
		2.4	Poletimber - immature
		2.5	Sawtimber – immature
		2.6	Sawtimber - mature
3	Laurel oak -	3.1	Sawtimber – immature
	willow oak		
4	Sweetgum - nuttal	4.1	Sawtimber – low quality
	oak – willow oak	4.2	Sawtimber - immature
		4.3	Sawtimber - mature
5	Post oak – black oak	5.1	Sawtimber - immature
6	Loblolly pine -	6.1	Sawtimber - immature
	hardwoods		
7	Cut-over land	7.1	Site prepared and
			windrowed
		7.2	Not site prepared

These results mean that regardless of how the image is classified, spatial postprocessing should be used to reduce the error rate. Furthermore, the best post processing results can be obtained if textural features are used; but, if no spatial post-processing is going to be utilized, spectral bands only will give about the same results as the combined spectral textural bands.

These conclusions are based on classification into all timber subclasses using large training sets averaging more than 25,000 points per image. Because the training sets were orders of magnitude larger than the number of categories times the number of features, the statistics must be considered as large sample statistics and we used, justifiably, the training data as the test data.

Tables I.2 and I.3 summarize the basis of our conclusions. The results of each experiment can be summarized in three ways: by average error, by average misidentification error, and by average false identification error. The average error is defined as the total number of incorrect category assignments divided by the total number of assignments. The average misidentification error is defined as the equally weighted average over all categories of the number of times the category is incorrectly assigned divided by the total number of times the category occurs in the ground truth. The average false identification error is defined as the equally weighted average over all categories of the number of times an incorrect assignment is made to the category divided by the total number of times an assignment is made to the category.

When the ground truth has each category occurring with equal frequency, the average misidentification error will equal the average error. When the number of assignments to each category is the same, the average false identification error will equal the average error. If the prior probability for a category is high and the category has a high misidentification error, then all other things being equal, the average error will be higher than the average misidentification error. If the prior probability for a category is low, and the category has high misidentification error, then all other things being equal, the average error will be lower than the average misidentification error.

From Tables I.2 and I.3 it is readily apparent that both the use of textural features and spatial post processing tends to increase and equalize the average misidentification error and false identification error while cutting the average error to less than half its initial value.

#### I.1 Contingency Tables of Classification Results

All results are reported with a complete contingency table. The contingency tables are all organized in the same manner. The title for the contingency table tells which images are being compared. The first nine character file name is the name of the ground truth image file. The number following it is the symbolic band number used from that multi-image file. The second nine character file name is the name of the classified image file. The number following it is the number of the symbolic band used from that multi-image file. The row label UNKWN means unknown true category identification. The column label R DEC means reserved decision.

The contingency tables have a column labeled ERR. This column designates the number of the resolution cells in each category misidentified. The next column is labeled % ERR and it designates the percent of misidentification error. The contingency tables have a row labeled ERR. This row designates the number of resolution cells in each category falsely identified. The next row is labeled % ERR and it designates the percent of false identification error. The label % SD stands for the percent standard deviation of the error estimates. The entry whose row is labeled TOTAL and whose column is weighted % ERR is the equally weighted average of the misidentification error percentages. The entry whose column is labeled total and whose row is weighted % ERR is the equally weighted average of the false identification error percentages.

	Average Error	Average Misidenti- fication Error	Average False Identifi- cation Error	Average Error	A <b>v</b> erage Misidenti- fication Error	Average False Identifi- cation Error
Edit 6	22%	30%	5%	22%	23%	6%
Edit 9	28%	9%	9%	28%	8%	11%
Edit 14	30%	13%	9%	texture b	and not select	ed by feature selector
Edit 3	42%	14%	25%	40%	25%	29%

Table I.2 summarizes the error rates obtained from the spectral versus the spectral textural classification using 3 band pairs and no spatial post processing.

		Spectral		Spec	tral-Texture	
	Average Error	Average Misidenti- fication Err <b>o</b> r	Average False identifi- cation Error	Average Error	Average Misidenti- fication Error	Average False Identifi- cation Error
Edit 6	9.3%	34%	33%	6.8%	38%	37%
Edit 9	19%	25%	32%	15%	27%	33%
Edit 14	12%	32%	31%	texture band not selected by feature selector		
Edit 3	24%	35%	40%	12%	40%	44%

Table I.3 summarizes the error rates obtained from the spectral versus the spectral-textural classification using 3 band pairs and spatial post processing.

#### II Table Look-Up Decision Rule

.

Brooner, Haralick and Dinstein (1971) used a table look-up approach on high altitude multiband photography flown over Imperial Valley, California to determine crop types. Their approach to the storage problem was to perform an e qual probability quantizing from the original 64 digitized grey levels to ten quantized levels for each of the three bands: green, red, and near infrared. Then after the conditional probabilities were empirically estimated, they used a Bayes rule to assign a category to each of the  $10^3$  possible quantized vectors in the 3-dimensional measurement space. Those vectors which occurred too few times in the training set for any category were deferred assignment.

The rather direct approach employed by Brooner et al. has the disadvantage of requiring a rather small number of quantized levels. Furthermore, it cannot be used with measurement vectors of dimension greater than four; for if the number of quantized levels is about 10, then the curse of dimensionality forces the number of possible quantized vectors to an unreasonably large size. Recognizing the grey level precision restriction forced by the quantizing coassening effect, Eppler, Melmke, and Evans (1971) suggest a way to maintain greater quantizing precision by defining a quantization rule for each category - measurement dimension as follows:

- (1) fix a category and a measurement dimension component;
- (2) determine the set of all measurement patterns which would be assigned by the decision rule to the fixed category;
- (3) examine all the measurement patterns in this set and determine the minimum and maximum grey levels for the fixed measurement component;
- (4) construct the quantizing rule for the fixed category and measurement dimension pair by dividing the range between the minimum and maximum grey levels for the category into equal spaced quantizing intervals.

This multiple quantizing rule in effect determines for each category a rectangular parallelepiped in measurement space which contains all the measurement patterns assigned to it. Then as shown in Figure II.1, the equal interval quantizing lays a grid over the rectangular parallelepiped. Notice how for a fixed number of quantizing levels, the use of multiple quantizing rules in each band allows greater

grey level quantizing precision compared to the single quantization rule for each band.

A binary table for each category can be constructed by associating each entry of the table with one corresponding cell in the gridded rectangular parallelepiped. An entry is a binary I if the decision rule assigns a majority of the measurement patterns in the corresponding cell to the specified category; otherwise, the entry is assigned to be a binary 0.

The binary tables are used in the implementation of the multiple quantization rule table look-up in the following way. Order the categories in some meaningful manner such as by prior probability. Quantize the multispectral measurement pattern using the quantization rule for category  $c_1$ . Use the quantized pattern as an address to look up the entry in the binary table for category  $c_1$  to determine whether or not the pre-stored decision rule would assign the pattern to category  $c_1$ . If the decision rule makes the assignment to category  $c_1$  the entry would be a binary 1 and, all is finished. If the decision rule does not make the assignment to category  $c_1$ , the entry would be a binary 0 and the process would repeat in a similar manner with the quantization rule and table for the next category.

One advantage to this form of the table look-up decision rule is the flexibility to use different subsets of bands for each category look-up table and thereby take full advantage of the feature selecting capability to define an optimal subset of bands to discriminate one category from all the others. A disadvantage to this form of the table look-up decision rule is the large amount of computational work required to determine the rectangular parallelepipeds for each category and the still large amount of memory storage required (about 5,000 8 bit bytes per category).

Eppler (1974) discusses a modification of the table look-up rule which enables memory storage to be reduced by five times and decision rule assignment time to be decreased by 2 times. Instead of pre-storing in tables a quantized measurement space image of the decision rule, he suggests a systematic way of storing in tables the boundaries or end-points for each region in measurement space satisfying a regularity condition and having all its measurement patterns assigned to the same category.

Let  $D = D_1 \times D_2 \times ... \times D_N$  be measurement space. A subset  $R \subseteq D_1 \times D_2 \times ... \times D_N$  is a regular region if and only if there exists constants

$$L_1$$
 and  $H_1$  and functions  $L_2$ ,  $L_3$ ,...,  $L_N$ ,  $H_2$ ,  $H_3$ ,...,  $H_N$  
$$((L_n: D_1 \times D_2 \times ... \times D_{n-1} \rightarrow (-\infty, \infty); H_n: D_1 \times D_2 \times ... \times D_{n-1} \rightarrow (-\infty, \infty))$$

$$R = \begin{cases} (x_1, \dots, x_N) \in D \mid L_1 \leq x_1 \leq H_1 \\ L_2(x_1) \leq x_2 \leq H_2(x_1) \end{cases}$$

such that

:  $L_N(x_1, x_2, ..., x_{N-1}) \le x_N \le H_N(x_1, x_2, ..., x_{N-1})$ 

From the definition of a regular region, it is easy to see how the table look-up by boundaries decision rule can be implemented. Let  $d=(d_1,\ldots,d_N)$  be the measurement pattern to be assigned a category. To determine if d lies within a regular region R associated with category c we look up the numbers  $L_1$  and  $H_1$  and test to see if  $d_1$  lies between  $L_1$  and  $H_1$ . If so, we look up the numbers  $L_2(d_1)$  and  $H_2(d_1)$  and so on. If all the tests are satisfied, the decision rule can assign measurement pattern d to category c. If one of the tests fails, tests for the regular region corresponding to the next category can be made.

The memory reduction in this kind of table look-up rule is achieved by only storing boundary or end-points of decision regions and the speed-up is achieved by having one-dimensional tables whose addresses are easier to compute than the three or four-dimensional tables required by the initial table look-up decision rule. However, the price paid for by these advantages is the regularity condition imposed on the decision regions for each category. This regularity condition is stronger than set connectedness but weaker than set convexity.

Another approach to the table look-up rule can be based on Ashby's (1964) technique of constraint analysis. Ashby suggests representing in an approximate way subsets of Cartesian product sets by their projections on various smaller dimensional spaces. Using this idea for two-dimensional spaces we can formulate the following kind of table look-up rule.

Let  $D = D_1 \times D_2 \times ... \times D_N$  be measurement space, C be the set of categories, and  $J \subseteq \{1, 2, ..., N\} \times \{1, 2, ..., N\}$  be an index set for the selected two-dimensional

spaces. Let the probability threshold  $\alpha$  be given. Let  $(i,j)\in J$ ; for each  $(x_1,x_2)\in D_i\times D_j$  define the set  $S_{ij}(x_1,x_2)$  of categories having the highest conditional probabilities given  $(x_1,x_2)$  by

 $S_{ij}(x_1, x_2) = \{c \in C \mid P_{x_1, x_2}(c) \ge \alpha_{ij}\}$ , where  $\alpha_{ij}$  is the largest number which satisfies

$$\sum_{c \in S_{ij}(x_1, x_2)} P_{x_1, x_2}(c) \ge \alpha$$

 $S_{ij}(x_1, x_2)$  is the set of likely categories given that components i and j of the measurement pattern take the values  $(x_1, x_2)$ .

The sets  $S_{ij}$ ,  $(i,j) \in J$ , can be represented in the computer by tables. In the  $(i,j)^{th}$  table  $S_{ij}$  the  $(x_1, x_2)^{th}$  entry contains the set of all categories of sufficiently high conditional probabilities given the marginal measurements  $(x_1, x_2)$  from measurement components i and j, respectively. This set of categories is easily represented by a one word table entry; a set containing categories  $c_1$ ,  $c_7$ ,  $c_9$ , and  $c_{12}$ , for example, would be represented by a word having bits 1, 7, 9, and 12 on and all other bits off.

The decision region R(c) containing the set of all measurement patterns to be assigned to category c can be defined from the  $S_{ii}$  sets by

$$R(c) = \left\{ (d_1, d_2, \dots, d_N) \in D_1 \times D_2 \times \dots \times D_N | \{c\} = \bigcap_{(i,j) \in J} S_{ij}(d_i,d_j) \right\}$$

This kind of a table look-up rule can be implemented by using successive pairs of components (defined by the index set J) of the (quantized) measurement patterns as addresses in the just mentioned two-dimensional tables. The set intersection required by the definition of the decision region R(c) is implemented by taking the Boolean AND of the words obtained from the table look-ups for the measurement to be assigned a category. Note that this Boolean operation makes full use of the natural parallel compute capability the computer has on bits of a word. If the  $k^{th}$  bit is the only bit which remains on in the resulting word, then the measurement pattern is assigned to category  $c_k$ . If there is more than one bit on or no bits are on, then the measurement pattern is deferred its assignment (reserved decision).

Thus we see that this form of a table look-up rule utilizes a set of "loose" Bayes rules in the lower dimensional projection spaces and intersects the resulting multiple category assignment sets to obtain a category assignment for the measurement pattern in the full measurement space.

Because of the natural effect which the category prior probabilities have on the category assignments produced by a Bayes rule it is possible for a measurement pattern to be the most probable pattern for one category yet be assigned by the Bayes rule to another category having much higher prior probability. This effect will be pronounced in the table look-up rule just described because the elimination of such a category assignment from the set of possible categories by one table look-up will completely eliminate it from consideration because of the Boolean AND or set intersection operation. However, by using an appropriate combination of maximum likelihood and Bayes rules, something can be done about this.

For any pair (i,j) of measurement components, fixed category c; and probability threshold  $\beta$ , we can construct the set of  $T_{ij}(c)$  having the most probable pairs of measurement values from component i and j arising from category c. The set  $T_{ij}(c)$  is defined by

$$T_{ij}(c) = \left\{ (x_1, x_2) \in D_i \times D_j \mid P_c(x_1, x_2) \geqslant \beta_{ij}(c) \right\},\,$$

where  $\beta_{ij}(c)$  is the largest number satisfying

$$\sum_{(x_1,x_2)\in T_{ij}(c)} P_c(x_1,x_2) \geqslant \beta$$

Tables which can be addressed by (quantized) measurement components can be constructed by combining the  $S_{ij}$  and  $T_{ij}$  sets. Define  $Q_{ij}(x_1, x_2)$  by

$$Q_{ij}(x_1, x_2) \left\{ c \in C \mid (x_1, x_2) \in T_{ij}(c) \right\} \cup S_{ij}(x_1, x_2)$$

The set  $Q_{ij}(x_1, x_2)$  contains all the categories whose respective conditional probabilities given measurement values  $(x_1, x_2)$  of components i and j are sufficiently high (a Bayes rule criteria) as well as all those categories whose most probable measurement values for components i and j respectively are  $(x_1, x_2)$  (a maximum likelihood criteria). A decision region R(c) containing all the (quantized) measurement patterns can then be defined as before using the  $Q_{ij}$  sets:

$$R(c) = \left\{ (d_1, d_2, \dots, d_N) \in D_1 \times D_2 \dots \times D_N \middle| \{c\} = \bigcap_{(i,j) \in J} Q_{ij}(d_i, d_j) \right\}$$

A majority vote version of this kind of table look-up rule can be defined by assigning a measurement to the category most frequently selected in the lower dimensional spaces.

$$\begin{split} R(c) = & \left\{ (d_1, d_2, \dots, d_N) \in D_1 \times D_2 \times \dots \times D_N \right| \\ & \left\{ (i, j) \in J \middle| c \in Q_{ij}(d_i, d_j) \right\} \geqslant \# \left\{ (i, j) \in J \middle| c \in Q_{ij}(d_i d_j) \right\} \\ & \qquad \qquad \text{for every } c \in C - \{c\} \right\} \end{split}$$

Classification results were run with  $\beta=.07\alpha$  and  $\alpha$  chosen to minimize the number of reserved decisions. Figure II.2 illustrates a graph of the number of reserved decisions versus probability threshold  $\alpha$ .

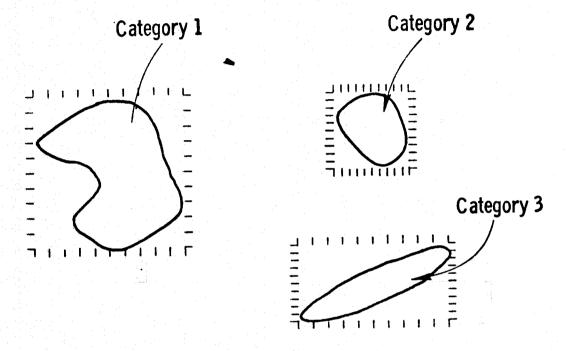


Figure II.1 illustrates how quantizing can be done differently for each category thereby enabling more accurate classification by the following table look-up rule: (1) quantize the measurement by the quantizing rule for category one (2) use the quantized measurement as an address in a table and test if the entry is a binary one or binary zero, (3) if it is a binary one assign the measurement to category one; if it is a binary zero, repeat the procedure for category two.

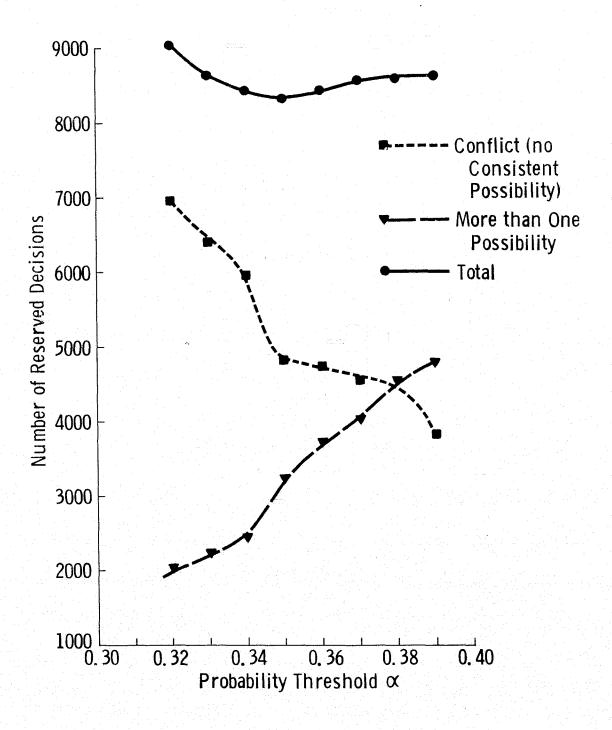


Figure II.2 illustrates a graph of the number of reserved decisions versus probability threshold  $\alpha. \label{eq:constraint}$ 

#### III Texture

Spatial environments can be understood as being spatial distributions of various area-extensive objects having characteristic size and reflectance or emissive qualities. The spatial organization and relationships of the area-extensive objects appear as spatial distributions of grey tone on imagery taken of the environment. We call the pattern of spatial distributions of grey tone, texture.

Figure III.1, taken from Lewis (1971), illustrates how texture relates to geomorphology. There are some plains, low hills, high hills, and mountains in the Panama and Columbia area taken by the Westinghouse AN/APQ 97 K-band radar imager system. The plains have apparent relief of 0-50 meters, the hills have apparent relief of 50-350 meters, and the mountains have apparent relief of more than 350 meters. The low hills have little dissection and are generally smooth convex surfaces whereas the high hills are highly dissected and have prominent ridge crests.

The mountain texture is distinguishable from the hill texture on the basis of the extent of radar shadowing (black tonal areas). The mountains have shadowing over more than half the area and the hills have shadowing over less than half the area. The hills can be subdivided from low to high on the basis of the abruptness of tonal change from terrain front slope to terrain back slope.

There have been six basic approaches to the measurement and quantification of image texture: autocorrelation functions (Kaizer, 1955), optical transforms, (Lendaris and Stanley, 1970), digital transforms, (Gramenopoulos, 1973; Hornung and Smith, 1973; Kirvida and Johnson, 1973), edgeness (Rosenfeld and Thurston, 1971), structural elements, (Matheron, 1967; Serra, 1973), and spatial grey tone co-occurrence probabilities, (Haralick et al., 1973). The first three of these approaches are related in that they all measure spatial frequency directly or indirectly. Spatial frequency is related to texture because fine textures are rich in high spatial frequencies while coarse textures are rich in low spatial frequencies.

An alternative to viewing texture as spatial frequency distribution is to view texture as amount of edge per unit area. Coarse textures have a small number of edges per unit area. Fine textures have a high number of edges per unit area.

The structural element approach uses a matching procedure to detect the spatial regularity of shapes called structural elements in a binary image. When

the structural elements themselves are single resolution cells, the information provided by this approach is the autocorrelation function of the binary image. By using larger and more complex shapes, a more generalized autocorrelation can be computed.

The grey tone co-occurrence approach characterizes texture by the spatial distribution of its grey tones. Coarse textures are those for which the distribution changes only slightly with distance and fine textures are those for which the distribution changes rapidly with distance.

#### III.1 Optical Processing Methods and Texture

Edward O'Neill's (1956) article on spatial filtering introduced the engineering community to the fact that optical systems can perform filtering of the kind used in communication systems. In the case of the optical systems, however, the filtering is two-dimensional. The basis for the filtering capability of optical systems lies in the fact that the light amplitude distributions at the front and back focal planes of lens are Fourier Transforms of one another. The light distribution produced by the lens is more commonly known as the Fraunhofer diffraction pattern. Thus, optical methods facilitate two-dimensional frequency analysis of images.

The paper by Cutrona et al. (1960) provides a good review of optical processing methods for the interested reader. More recent books by Goodman (1968), Preston (1972), Shulman (1970) comprehensively survey the area.

In this section, we describe the experiments done by Lendaris and Stanley, Egbert et al., and Swanlund using optical processing methods in aerial or satellite imagery. Lendaris and Stanley (1970) illuminated small circular sections of low altitude aerial photography and used the Fraunhofer diffraction pattern as features for identifying the sections. The circular sections represented a circular area on the ground of 750 feet. The major category distinction they were interested in making was man-made versus non man-made. They further subdivided the man-made category into roads, road intersections, buildings, and orchards.

The pattern vectors they used from the diffraction pattern consisted of 40 components. Twenty components were averages of the energy in 9° wedges of the diffraction pattern. They obtained over 90 percent identification accuracy.

Ulaby and McNaughton used an optical processing system to examine the texture of ERTS imagery over Kansas. They used circular areas corresponding to a ground diameter of about 37 km and looked at the diffraction patterns for four different physiographic regions in Kansas. They used a diffraction pattern sampling unit having 32 sector wedges and 32 annular rings to sample and measure the diffraction patterns. (See Jensen (1973) for a description of the sampling unit and its use in coarse diffraction pattern analysis.) They were able to interpret the resulting angular orientation graphs in terms of dominant drainage patterns, roads and fields but interpreted the spatial frequency graphs in terms of stress patterns, rough terrain and field patterns. Their results indicated that the spatial frequency information was highly correlated with physiography.

Swanlund (1969) has done work using optical processing on aerial images to identify species of trees. Using imagery obtained from Itasca State Park in northern Minnesota, photo interpreters identified five (mixture) species of trees on the basis of the texture: Upland Hardwoods, Jack pine overstory/Aspen understory/Upland Hardwoods understory, Red pine overstory/Aspen understory, and Aspen. They achieved classification accuracy of over 90 percent.

#### III.2 Texture and Edges

The autocorrelation function, the optical transforms, and the fast digital transforms (FFT and FHT) basically all reference texture to spatial frequency. Rosenfeld and Thurston (1971) conceive of texture not in terms of spatial frequency but in terms of edgeness per unit area. An edge passing through a resolution cell is detected by comparing the values for local properties obtained in pairs of non-overlapping neighborhoods boarding the resolution cell. To detect microedges, small neighborhoods must be used. To detect macroedges, large neighborhoods must be used.

The local property which Rosenfeld and Thurston suggested was the quick Roberts gradient (the sum of the absolute value of the differences between diagonally opposite neighboring pixels). Thus, a measure of texture for any subimage is obtained by computing the Roberts gradient image for the subimage and from it determining the average value of the gradient in the subimage. Triendl (1972) uses the Laplacian instead of the Roberts gradient.

Sutton and Hall (1972) extended Rosenfeld and Thurston's idea by making the gradient a function of the distance between the pixels. Thus, for every distance d and subimage I defined over a neighborhood N of resolution cells, they compute

$$g(d) = \sum_{(i,j) \ N} \{ |I(i,j) = I(i+d,j)| + |I(i,j) - I(i-d,j)| + |I(i,j) - I(i,j+d)| + |I(i,j) - I(i,j-d)| \}.$$

The graph of g(d) is like the graph of the minus autocorrelation function translated vertically.

Sutton and Hall applied this textural measure in a pulmonary disease identification experiment using radiographic imagery and obtained identification accuracy in the 80 percentile range for discriminating between normal and abnormal lungs when using a  $128 \times 128$  subimage.

#### III.3 Digital Transform Methods and Texture

In the digital transform method of texture analysis, the digital image is typically divided into a set of non-overlapping small square subimages. Suppose the size of the subimage is n x n resolution cells, then the n<sup>2</sup> grey tones in the subimage can be thought of as the n<sup>2</sup> components of an n<sup>2</sup>-dimensional vector. In the transform technique, each of these vectors is re-expressed in a new coordinate system. The Fourier Transform uses the sine-cosine basis set. The Hadamard Transform uses the Walsh function basis set, etc. The point to the transformation is that the basis vectors of the new coordinate system have an interpretation that relates to spatial frequency (sequency) and since frequency (sequency) is a close relative of texture, we see that such transformation can be useful.

Gramenopoulos (1973) used a transform technique using the sine-cosine basis vectors (and implemented it with the FFT algorithm) on ERTS imagery to investigate the power of texture and spatial pattern to do terrain type recognition. He used subimages of 32 by 32 resolution cells and found that on Phoenix, Arizona ERTS image 1940-17324-5 spatial frequencies larger than 3.5 cycles/km and smaller than 5.9 cycles/km contain most of the information needed to discriminate between terrain types. The terrain classes were: clouds, water, desert, farms, mountains, urban, riverbed, and cloud shadows. He achieved an overall identification accuracy of 87 percent.

Hornung and Smith (1973) have done work similar to Gramenopoulos but with aerial multispectral scanner imagery instead of ERTS imagery. Maurer (1974)

used Fourier series analysis on some color aerial film to obtain textural features to help determine crop types.

Kirvida and Johnson (1973) compared the fast Fourier, Hadamard, and Slant Transforms for textural features on ERTS imagery over Minnesota. They used 8 × 8 subimages and five categories: Hardwoods, Confiers, Open, Water, City. Using only spectral information, they obtained 74 percent correct identification accuracy. When they added textural information, they increased the identification accuracy to 99 percent. They found little difference between the different transform methods.

#### III.4 Spatial Grey Tone Dependence: Co-occurrence

One aspect of texture is concerned with the spatial distribution and spatial dependence among the grey tones in a local area. Darling (1968) used statistics obtained from the nearest neighbor grey tone transition matrix to measure this dependence for satellite images of clouds and was able to identify cloud types on the basis of their texture. Read and Jayaramamurthy (1972) divided an image into all possible (overlapping) subimages of reasonably small and fixed size and counted the frequency for all the distinct grey tone patterns. This is one step more general than Darling but one that requires too much memory if the grey tones can take on very many values. Haralick (1971) and Haralick et al. (1972, 1973) suggested an approach which is a compromise between the two. He measures the spatial dependence of grey tones in a co-occurrence matrix for each fixed distance and/or angular spatial relationship and uses statistics of the matrix as measures of image texture.

The co-occurrence matrix  $P = (p_{ij})$  has its  $(i,j)^{th}$  entry  $P_{ij}$  defined as the number of times grey tone i and grey tone j occur in resolution cells of a subimage having a specified spatial relation, such as distance 1 neighbors. The textural features for the subimage are obtainable from the co-occurrence matrix by measures such as

$$\sum_{i} \sum_{j} P_{ij}^{2}, \sum_{i} \sum_{j} P_{ij} \log P_{ij}$$

and

$$\sum_{i} \sum_{j} \frac{P_{ij}}{1 + |i-j|}$$

Haralick et al. (1973) list 14 different kinds of measures.

Using statistics of the co-occurrence matrix, Haralick performed a number of identification experiments. On a set of aerial imagery and eight terrain classes (old residential, new residential, lake, swamp, marsh, urban, railroad yard, scrub or wooded), he obtained 82 percent correct identification with 64 x 64 subimages. On an ERTS Monterey Bay, California, image, he obtained 84 percent correct identification using 64 x 64 subimages and both spectral and textural features on seven terrain classes: coastal forest, woodlands, annual grasslands, urban areas, large irrigated fields, small irrigated fields, and water. On a set of sandstone photomicrographs, he obtained 89 percent correct identification on five sandstone classes: Dexter-L, Dexter-H, St. Peter, Upper Muddy, Gaskel.

The wide class of images on which they found that grey tone co-occurrence carries much of the texture information is probably indicative of the power and generality of this approach.

#### III.5 A Textural Transform

Each of the approaches described for the quantification of textural features had the common property that the textural features were computed for subimages of typical sizes such as  $8 \times 8$ ,  $16 \times 16$ ,  $32 \times 32$ , or  $64 \times 64$  resolution cells. To determine the textural features for one pixel we would naturally center a subimage on the specified resolution cell and compute the textural features for the subimage. If we had to determine the textural features for each pixel in an image we would be in for a lot of computation work and would significantly increase the size of our data set. Thus, the usual approach has been to divide the image into mutually exclusive subimages and compute the textural features on the selected subimages. Unfortunately, this procedure produces textural features at a coarser resolution than the original image.

In this section we generalize the grey tone co-occurrence textural feature extractor to the textural transform mode and show how by only doubling or tripling the computation time required to determine the grey tone co-occurrence matrix it is possible to produce a resolution perserving textural transform in which each pixel in the transformed image has textural information about its own neighborhood derived from both local and global grey tone co-occurrence in the image. This kind of textural transform is in the class of image dependent non-linear spatial filters.

Let  $Z_r \times Z_c$  be the set of resolution cells of an image I (by row-column coordinates). Let G be the set of grey tones possible to appear on image I. Then I:  $Z_r \times Z_c \rightarrow G$ . Let R be a binary relation on  $Z_r \times Z_c$  pairing together all those resolution cells in the desired spatial relation. The co-occurrence matrix P, P:  $G \times G \rightarrow [0,1]$ , for image I and binary relation R is defined by

$$P(i,j) = \frac{\# \{((a,b),(c,d)) \in R \mid I(a,b) = i \text{ and } I(c,d) = j\}}{\#_R}$$

The textural transform J, J:  $Z_r \times Z_c$  ( $-\infty$ , $\infty$ ), of image I relative to function f, is defined by

$$J(y,x) = \frac{1}{\# R(y,x)} \sum_{(\alpha,b) \in R(y,x)} f[P(I(y,x),I(\alpha,b))]$$

Assuming f to be the identity function, the meaning of J(y,x) is as follows. The set R(y,x) is the set of all those resolution cells in  $Z_r \times Z_c$  in the desired spatial relation to resolution cell (y,x). For any resolution cell  $(a,b) \in R(y,x)$ , P(I(y,x),I(a,b)) is the relative frequency by which the grey tone I(y,x), appearing at resolution cell (y,x), and the grey tone I(a,b), appearing at resolution cell (a,b), co-occur together in the desired spatial relation on the entire image. The sum

$$\sum_{(a,b)\in R(y,x)} P(I(y,x), I(a,b))$$

is just the sum of the relative frequencies of grey tone co-occurrence over all resolution cells in the specified relation to resolution cell (y,x). The factor  $\frac{1}{\#R(y,x)}$ , the reciprocal of the number of resolution cells in the desired spatial relation to (y,x) is just a normalizing factor.

## IV Spatial Pre-Processing

Spatial enhancement processes can be implemented before or after the classification of the original images. One spatial averaging process which can be used before classification of the original image is rectangular convolution. A  $2 \times 2$  rectangular convolution, for example, is the process that replaces the left upper resolution cell of each  $2 \times 2$  window by the average of the grey tones in the  $2 \times 2$  window. A  $3 \times 3$  rectangular convolution replaces each grey tone with the average of the grey tones in a  $3 \times 3$  window centered around it. The process of rectangular convolution can be implemented before or after texture transform. The window size for the rectangular convolution process can be as big as required.

Figure IV illustrates how the rectangular convolution can enhance the textural transform processed images. Notice that the rectangular region on the left lower corner is not easy to distinguish on the image with no rectangular convolution before or after texture transform, Figure IV a, but it is distinguishable on Figure IVd, the image with 2 x 2 rectangular convolution before texture transform and no rectangular convolution after texture transform, as it is on Figures IVe to IVi. The two strips on the middle of the image are not easily distinguished on Figures IVa to IVf, but they are easily distinguished on Figure IVg, the image with 3 x 3 rectangular convolution before texture transform and no rectangular convolution after texture transform. They are also distinguishable on images IVh and IVi which have been processed with a 3 x 3 convolution after the textural transform. For distinguishing rectangular region and the two strips on the image, Figure IVi, the image with 3 x 3 rectangular convolution before and after texture transform seems best.

# V Spatial Post-Processing

Spatial post processing the classified image can be used to reduce image complexity and achieve some degree of spatial simplification and generalization. Two post processing techniques are region filling and shrinking. A region filling operation assigns an unassigned resolution cell to the category assignment of one of its neighboring resolution cells.

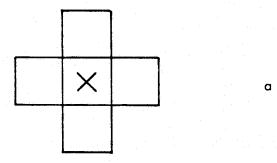
A resolution cell can be defined to have the four resolution cells above, below, to the left, and to the right of it as neighbors or to have those plus the resolution cells diagonally neighboring it as its neighbors. The first set of resolution cells is called its 4-neighbors and the second set of resolution cells is called its 8-neighbors. The concepts of 4-neighboring and 8-neighboring is illustrated in Figure V.1.

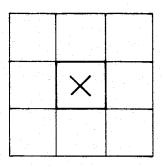
A region filling operation which assigns an unlabeled resolution cell to the category assignment of one of its four nearest neighbors is called a 4-fill operation. A region filling operation which assigns an unlabeled resolution cell to the category assignment of one of its eight nearest neighbors is called an 8-fill operation. A region filling operation which iterates first filling using 4 neighbors and then 8 neighbors then 4 then 8 etc., until all resolution cells are labeled, we shall for simplicity call region filling.

Figure V.2 illustrates the advantage of region filling alternating between 4-neighbors or 8-neighbors. A labeled resolution cell in an area of unlabeled resolution cells would grow as a diamond region under repetitive 4-fill operations. It would grow as a square region under repetitive 8-fill operations. And it would grow almost as a circle under repetitive 8-fill and 4-fill operations.

Region shrinking is the opposite kind of operation from region filling. A region shrinking operation assigns a labeled resolution to "unassigned" if its neighbors have different labels from it.

A region shrinking operation which assigns a labeled resolution cell to "unassigned" if k of its four nearest neighbors have labels which are different than its own label is called a 4-k shrink operation. A region shrinking operation which assigns a labeled resolution cell to "unassigned" if k of its eight nearest neighbors have labels which are different from its own label is called and 8-k shrink operation.





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Figure V.1a illustrates the 4-neighborhood of a resolution cell and

Figure V.1b illustrates the 8-neighborhood of a resolution cell.

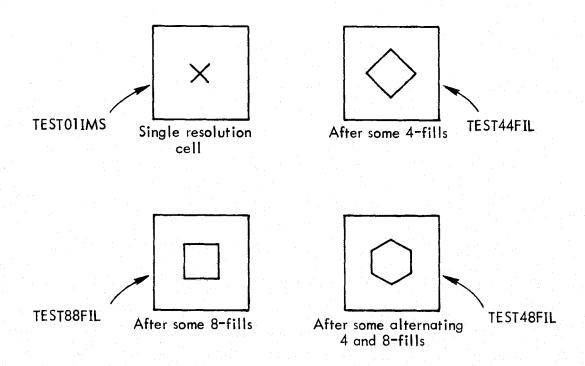
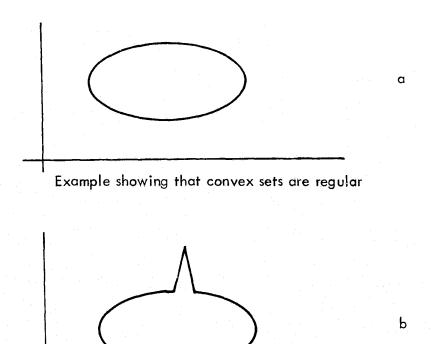
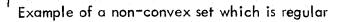


Figure V.2 illustrates the effect of 4 and 8-filling or a single resolution cell.

In Figure V.3 we illustrate the effect of the filling and shrinking operations on a classified image. Figure V.3a is a classified image. The black areas represent unassigned resolution cells. (The decision rule leaves unassigned those resolution cells having multispectral signatures which do not provide enough information to make a reliable assignment.) Figure V.3b shows the classified image of Figure V.3a after a complete region filling. Notice that after a complete region filling, all resolution cells have a label. Figure V.3c shows the classified image of Figure V.3a after a 4-0 shrink. Notice that it has more black area than the image in Figure V.3a due to the effect of its relabeling labeled resolution cells to "unassigned".





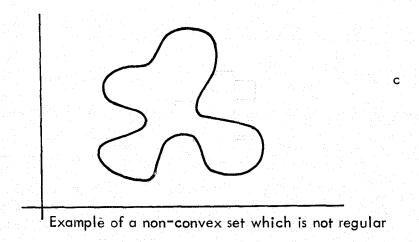


Figure 3 illustrates the relationship between set convexity and regularity

## VI Spectral Analysis: Edit 6

Of the 6 best spectral bands on edit #6, .40 - .44, .588 - .643, .65 -.69, .72 - .76, .981 - 1.045, and 2.10 - 2.36 micrometers, the feature selection procedure selected band pairs .40 - .44 and .65 - .60 with .40 - .44 and 2.10 -2.36 micrometers as the best 2 band pairs for the table look-up rule. Figure VI.1 shows the .72 - .76 micrometer band and Figure VI.2 shows the ground truth training data overlay on this band. The alpha-beta thresholds were set at .3 and .021. This threshold selection was too low for of the 159,500 points to be classified, 67,323 were reserved assignments because of incompatible assignments between the first and second band pairs and 6,928 were reserved assignment because there was more than one possible assignment common to the two band pairs. Figure VI.3 shows the resulting classification. The contingency table, Table VI.1 shows an equally weighted misidentification error rate of 36% and equally weighted false identification error rate of 34%. The largest cause of the misidentification error was category 2.4, immature poletimber loblolly pine, being assigned to category 1.3, immature sawtimber shortleaf pine, and category 2.6, mature sawtimber loblolly pine being assigned to category 2.5, immature sawtimber loblolly pine and being assigned to category 2.3, seedling and sapling loblolly pine.

If the classified image is filled so that all resolution cells whose category assignment was reserved is assigned to the category of its spatially nearest resolution cell neighbor which is assigned, the error rate remains substantially the same, about a 36% misidentification and false identification error rate (Figure VI.4 and Table VI.2). This implies that for those resolution cells whose assignment was reserved because of the low probability of correct assignment, category assignments, almost as good as those originally assigned, can be made using the spatial information carried by the initially classified image with the reserved decisions.

Perhaps what is even more surprising about the amount of spatial information the classified image has is that by performing spatial operations on it, the classification accuracy can increase. For example, if the completely filled image is shrunk for one iteration with a simple 4-shrink operator and then filled up again, Table VI.3 shows an accuracy increase: 33% misidentification error rate and 35% false identification error rate. Comparable results are also obtained by using the initially classified image with reserved decisions and performing a 4-fill iteration followed

by an 8-fill iteration followed by a 4-shrink iteration and then completely filled (Figure VI.5 and Table VI.4).

The best (percentage wise) 2 band pair results came from starting with the initially classified image with reserved decisions and doing a 4-fill, an 8-fill, a 4-shrink, an 8-shrink, and then a complete filling up. This yields a 31% misidentification error rate and 7% false identification error rate (Table VI.5 and Figure VI.6). Notice, however, that all the points in category 2.4, poletimber immature loblolly, have been misidentified as category 1.3, sawtimber immature shortleaf pine, and all the points in category 2.6, mature sawtimber loblolly pine, have been misidentified as categories 1.3, 2.3 and 2.5. Furthermore, no points were assigned to categories 2.4 and 2.6. This suggests that the tree stands in those areas of immature loblolly and mature sawtimber loblolly pine had a substantial number of trees spectrally similar to those in categories 1.3, 2.3, and 2.5. Areas predominantely in categories 2.4 and 2.6 would have some resolution cells initially assigned to categories 2.4 and 2.6 plus wrong assignments to categories 1.3, 2.3, or 2.5. Hence, a context sensitive shrinking operation on the 4-fill and 8-fill image which would leave alone any resolution cell assigned to category 2.4 if it neighbors a resolution cell of category 1.3 and which would leave alone any resolution cell assigned to category 2.6 if it neighbors a resolution cell of category 1.3, 2.3 or 2.5 has the possibility of permitting a higher probability of correct identification.

If instead of doing only one 4-shrink then 8-shrink iterations, two such iterations are made before a complete filling, then the results are not quite as good: 34% misidentification error rate and 6% false identification error rate. (Table VI.6).

The use of additional spectral bands can sometimes increase identification accuracy. In the case of the edit  $^{\#}6$  data, this did not seem to be the case. The three best band pairs were:

- (1) .40 .44 and .65 .69 micrometers
- (2) .40 .44 and 2.10 2.36 micrometers
- (3) .72 .76 and .981 1.045 micrometers

The alpha-beta thresholds were set at .6 and .042, respectively. The resulting number of reserved decisions due to no common category assignment was 51,794

and the number of reserved decisions due to more than one possible category assignment was 19,706 (Figure VI.7 and Table VI.7). Higher thresholds would have been better.

After a complete filling, there was a 34% misidentification and 33% false identification error rate (Figure VI.8 and Table VI.8). If the completely filled image had a 4-shrink operation and then another complete filling, the misidentification error rate improved to 31% and false identification error rate improved to 16% (Figure VI.9 and Table VI.9). If before the complete filling is done an iteration of a 4-fill followed by an 8-fill and a 4-shrink followed by an 8-shrink is done, the misidentification error rate improves to 30% and the false identification error rate improves to 5%, the best 3-band pair result (Figure VI.10 and Table VI.10). As in the two band pair case, doing two iterations of the 4-shrink followed by the 8-shrink instead of one iteration, does not provide as much improvement: a 36% misidentification error rate and a 6% false identification error rate (Table VI.11). The best 3 band pair result confused the same categories as the best 2 band pair result. Category 2.4, poletimber immature loblolly was assigned as category 1.3, immature shortleaf pine. Category 2.6, mature sawtimber loblolly pine was assigned to categories 2.3 and 2.5, seedling and sapling loblolly and sawtimber immature loblolly pine.

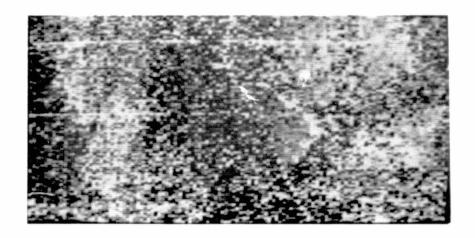


Figure VI.1 The .72 - .76 micrometer band

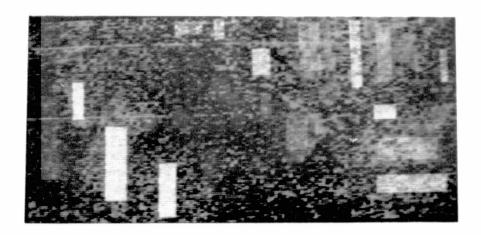


Figure VI.2 The ground truth training data overlayed on the .72 - .76 micrometer band.

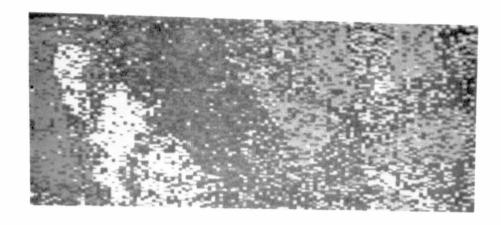


Figure VI.3 The classification of the best two band pairs for alphabeta thresholds of .3 and .021.

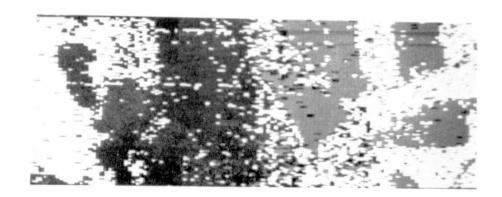


Figure VI.4 The classified image of Figure VI.3 after a complete filling.

				2.4	2.5	2.6	7.2	TOTAL	ERR	ERR
									<del></del>	
3106	12483	12809	19901	1002	2473	1024	10627	130425	. 0	0
3475	2696	274	243	75	86	24	83	6956	785	23
561	8	2000	41	0	27	7	26	26.70	109	5
2013	62	18	5336	31	212	37	1 A	7727	: 78	7
311	244	14	16	42	0		. 2	629	276	87
2387	140	52	~~~235°	16	1140	61	3	4034	507	.31
793	94	26	198	0	276	45	5	1434	196	93
1615	95	76	29	70	0		3738	56.25	272	·
4261	15822	15269	25999	1236	11214	1200	14499	159500	2023	3.6
0	643	460	762	192	601	131	134	2923	****	*****
	3475 561 2013 311 2387 793 1615 4261	3475 2696 561 8 2013 62 311 244 2387 140 793 94 1615 95 4261 15822	3475 2696 274 561 8 2000 2013 62 18 311 244 14  2387 140 52 793 94 26 1615 95 76 4261 15822 15269	3475	3475	3475	3475     2696     274     243     75     86     24       561     8     2000     41     0     27     7       2013     62     18     5336     31     212     37       311     244     14     16     42     0     0       2387     140     52     235     16     1140     61       793     94     26     198     0     276     45       1615     95     76     29     70     0     7       4261     15822     15269     25999     1236     11214     1260	3475     2696     274     243     75     86     24     83       561     8     2000     41     0     27     7     26       2013     62     18     5336     31     212     37     18       311     244     14     16     42     0     0     2       2387     140     52     235     16     1140     61     3       793     94     26     198     0     276     45     2       1615     95     76     29     70     0     2     3738       4261     15822     15269     25999     1236     11214     1200     14499	3475     2696     274     243     75     86     24     83     6956       561     8     2000     41     0     27     7     26     2670       2013     62     18     5336     31     212     37     18     7727       311     244     14     16     42     0     0     2     629       2387     140     52     235     16     1140     61     3     4034       793     94     26     198     0     276     45     2     1434       1615     95     76     29     70     0     2     3738     5625       4261     15822     15269     25999     1236     11214     1200     14499     159500	3106       12483       12809       19901       1002       ?473       1024       10627       130425       0         3475       2696       274       243       75       86       24       83       6956       785         561       8       2000       41       0       27       7       26       2670       109         2013       62       18       5336       31       212       37       18       7727       278         311       244       14       16       42       0       0       2       629       276         2387       140       52       235       16       1140       61       3       4034       507         793       94       26       198       0       276       45       2       1434       596         1615       95       76       29       70       0       2       3738       5625       272         4261       15822       15269       25999       1236       11214       1200       14499       159500       2923         0       643       460       762       192       601       131       134 </td

Table VI.1 The contingency table of the best 2 band pairs for alphabeta thresholds of .3 and .021.

CONTINGENCY TABLE FOR SAMH2 GDT - 1 SMH2F7B01 - 1 SCALE FACTOR 10\*\* 0

R	DEC	1.3	1 • 4	2 • 3	2•4	2.5	2.6	7.2	TOTAL	ERR	ERR
FINE GIN	o	26653	22904	33017	1737	25591	2595	17928	130425	0	0
1.3		5337	612	465	143				6956		23
1.4	0	. 16	2455	76	0	60	19	. 44	2670	215	8
2 • 3	•	8.8	30	7119	41	361	61	27	7727	608	8
2.4	C	487	32	36	76	0	0	3	629	553	88
2.5	0	329	128	511	30	2891	140	5	4034	1143	28
2.5									1434	1334	93
7.2							-		5625	• .	
TOTAL									159500		36
ERR									5972		
FPR	0	3/1	30	10	9.0	30	7.	•	36	****	****

Table VI.2 The contingency table of the best 2 band pairs after a complete filling.

	COL = ASSIGN CAL ROW = TRUE CAL											
	R	DEC	1.3	1 • 4	2.3	2.4	2.5	2.6	7.2	TOTAL	. ERR	ERR
e navenena.		3	26835	22575	34649	837	27555	525	17449	130425	0	0
1 2 2		•	6045	183	49	109	0	- 0	5 3	6956	891	13
1.4		n.	2	2499	97	0	72	0	0	2670	171	6
7.3		- 7	ņ		7571	6	150		. 0	7727	156	6 2
2.4		4		6		57	0	•	0	629	572	91
7.5		. •	324	20	323	45	3314	. я	0	4034	720	18
2.6							682		0		1434	
7.2		0	55	100	0					5625		3
TOTAL		0	34002	25880	43286	1054	31773	533	22972	159500	4099	33
LED							904	-				****
E213		'n	15	24	12	74	21	100	1	35	****	****

The contingency table of the best 2 band pairs after complete filling, 4-shrink, and complete filling operations. Table VI.3

CONTINGENCY TABLE FOR SAMH2 GDT - 1 SMH2F0B01 - 1 SCALE FACTOR 10\*\*

			COL	.• = Λ:	SSIGN C	AT .	ROW =	TRUE	CAT			
	R	DEC	1.3	1.4	2.3	2.4	2.5	2.6	7.2	TOTAL	ERR	ERR
					•							
HAKE	/AI	0	26835	22574	74653	837	27552	525	17449	130425	ø	0
1.3		0	6065	680	49	109	0	0	53	6956	891	13
1 . 4		ß	2	2499	97	. 0	72	0	0	2670	171	6
2.3		0			7571	6				7727	156	2
7.4		Q		6		57			0	629	572	91
2.5		0	324	20	323	45	3314	Я	Q	4034	720	18
2.6		0	166	. · · n	586	. 0	682	n	0	1434	1434	100
7.2		. 0	55	100	0	0	0	0	5470	5625	155	3
TOT		0.0	34002		43290					159500	4099	33
ERF	_				1066					4099		****
FI	P P	C	1.5	24	12	74	21	100	1	35	****	*****

Table VI.4 The contingency table of the best 2 band pairs after 4-fill, 8-fill, 4-shrink, and complete filling operations.

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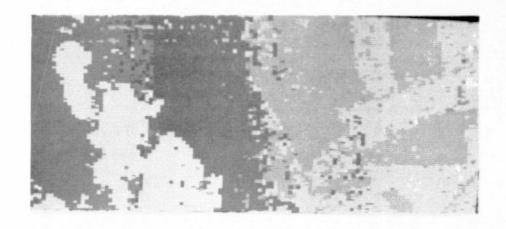


Figure VI.5 The classified image of Figure VI.3 after 4-fill, 8-fill, 4-shrink, and then complete filling operations.

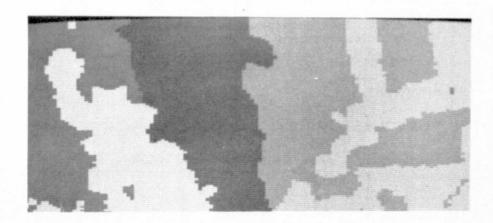


Figure VI.6 The classified image of Figure VI.3 after 4-fill, 8-fill, 4-shrink, 8-shrink, and then complete filling operations.

			ררנ	. ■ A?	SSIGN C	AT.	ROW =	TRHE	CA1			
	R	nF C	1.3	1 • 4	2+3	2.4	2.5	2 • 6	7.2	TOTAL	FRR	ERR
i ingeriong			2725 `	21595	35342	0	7.7636	n	18602	130425	0	0
1.3		.,	6550	4 . 6	O	. 0	0			6956	406	6 6
1.4					70		. 101	. 0	. 0	2670	171	6
2.7			(		7727		. 0	o o	. 0	7727	0	0
2.4			629			0	0	n	0	629	629	100
2.5		1;	351	n	72	 0	3611	. 0		4034	423	10
2.6		r,			303		608		0	1434	14:4	100
7.2				12		0	0			- :	12	0
TOTAL					47514		31956			159500	3075	31
FIRR					445		709		0	3075	****	****
£ B B		·	19	14	5	0	16	0	0	7	****	****

Table VI.5 The contingency table of the best 2 band pairs after 4-fill, 8-fill, 4-shrink, 8-shrink, and complete filling operations.

CONTINGENCY	TAPLE FOR	SAMH2 GDT - 1	SMH2F4801 - 1	SCALE FACTOR 10**	0

		COI	L. = A:	SSIGN C	AT	ROW =	TRUE	E CA	<b>f</b>		
	R DE	1.3	1 • 4	2.3	2•4	2.5	2.6	7.2	TOTAL	ERF.	ERR.
DAKAM	0	26667	19271	50182	. ·	15793	^	18512	130425	(I)	0
1.3	ŋ			45	0		n				
1.4	0			171		Ō			2670	171	6
2.3		0	0	7727	Ō	0	0		7727		
2•4	0	629	0	, , , , , , , , , , , , , , , , , , ,	0	0	ń	Ŏ			
2.5	n	351	0	1157	0	2526	n	0	4034	1508	37
2.6	0	n	0	1228	0				1434		
7.2	0	n	. 0	. 0	0	0			5625		_
TOTAL				60510		18525	n in n	24137	159500	378?	34
ERP	0	980	0	2601	0	206	0	0	3787	*****	****
FPR	0	12	ŋ	25	O	8	0	0	6	****	*****

Table VI.6 The contingency table of the best 2 band pairs after 4-fill, 8-fill, 4-shrink, 8-shrink, 8-shrink and complete filling operations.

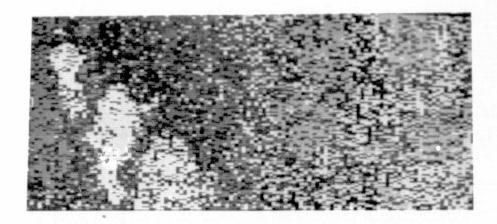


Figure VI.7 The classification of the three best band pairs for alpha - beta thresholds of .6 and .042.

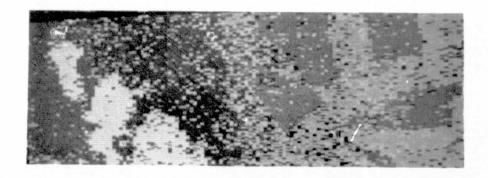


Figure VI.8 The classified image of Figure VI.7 after a complete filling.

CONTINGENCY TABLE FOR SAMHZIGHT - 1 SAMHZBBOZ - 1. SCALE FACTOR 10 HE O

	R DEC	1.3	1.4	2•3	2.4	2.5	2.6	7.2	TOTAL	ERI	ERR
UNKWI	u60679	15894	9302	14353	390	15106	4988	9713.	_130425_		0
1.3	2903	3387	113	74	66	157	117	. 139	6956	666	16
1.4	75()	34	1807	. 7	0	43	22	. 7	2670	113	6
2.3	2541	139	7	4521	2	339	137	41	7727	665	13
2 • 4	311	217	13	4	23	31	21_	9	6.29_	295.	93
2.5	1879	260	20	84	3	1535	246	7	4034	620	29
2.6	754	137	. 6	83	2	290	152	10	1434	528	78
7 2	1683	115	119	4.7	2	1	5	3653	5625	289	7
TOTAL	L71500	20183	11387	19173	488	17502	568R	13579	159500	3176_	34
ERR	0	902	278	299	75	861	548	213	3176	***	***

Table VI.7 The contingency table of the best 3 band pairs for alpha - beta thresholds of .6 and .042.

CONTINGENCY TARLE FOR SAMHE GOT - 1 SMHEFTBOE - 1 SCALE FACTOR 10\*\* 0

			COL	_e = AS	SSIGN C	ÅT	ROW =	TRUE	E CA1			
	RI	DEC	1.3	1.4	2•3	2 • 4	2.5	2.6	7.2	TOTAL	ERR	ERR
HINKAM		0	30672	20097	23471	819	29310	9972	16134	130425	0	0
1.3		0			132					6956		18
1.4		. 0	63	2433	16						237	9
7.3		0			6444			264			1283	17
7.4		n	414	24	10	53	66	47	20	629	576	92
2.5		0	472	41	195	4	2799	511	12	4034	1235	31
2.6		0	273	9	184	3	618	330			1104	
7.2		C		294	7.7	5	5	- 6	4985	5625	640	11
TOTAL		O	38100	23171	30529	1004	33831	11365	21500	159500	6315	36
Edb			1762	641	614	132	1722	1062	381	6315	****	****
Łud		0	24	21	Q	71	38	76	7	35	****	****

Table VI.8 The contingency table of the best 3 band pairs after a complete filling.

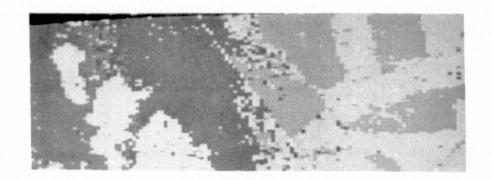


Figure VI.9 The classified image of Figure VI.8 after a 4-shrink operation and then a complete filling.

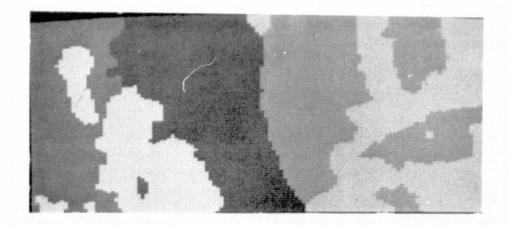


Figure VI.10 The classified image of Figure VI.7 after 4-fill, 8-fill, 4-shrink, 8-shrink and complete filling operations.

	COL. = ASSIGN CAT						ROW = TRUE CAT					
	R	DFC	1.3	1 • 4	2.3	2•4	2.5	2.6	7.2	TOTAL	FRR	ERR
i jely ilej			21497	20434	24952	73	33003	4516	15859	130425	0	0
1.3		'n	6745	122	19	Ő	9	15	46	6956	211	3
1.4		ď	30	2490	.16	ŏ		10	4	2670	160	7
2.2		Ò	51	_	7141	Ö	525	q	0	7727	586	8
2.4		r	500	'n		. 34	Ö	5	0	629	595	95
2.5		n	374	'n	108	0	3417	134	. 1	4034	617	15
2.6		r	283	0		ŏ			Ō	1434	1268	88
7.2		Ó	118	180				0		5625	258	5
TOTAL				-	32448			4863		159500	3755	31
EKR	٠.	U	1448	302		0		181	51	3755	****	****
E D i	?	'n	18	11	5	0	29	52	1	16	****	****

Table VI.9 The contingency table of the best 3 band pairs after complete filling, 4-shrink, and complete filling operations.

CONTINGENCY TABLE FOR SAMH2 GDT - 1 SMH2FOBO2 - 1 SCALE FACTOR 10\*\* 0

			COL	= AS	SSIGN C	AT	ROW :	TRUE	CA	r		
	R	DEC	1.3	1.4	2•3	2.4	2.5	2.6	7.2	TOTAL	ERR	ERR
				•								
HARMA				19955		0	29219	0	16797	130425	0	0
1.3				0		0	0		0	6956		0
1.4					171					2670	71	6
2 • 3			Û		7644				0	7727	83	1
2.4		0	629	0	0	0	0	· ·	0	629	629	100
2 • 5		0	351	0	27	0	3656	n	0	4034	378	9
2.6		្ត្រា	n	0	825	0	609	0	0	1434	1434	100
7.2		1)	ຳ	15	O	0	0	0	5610	5625		0
TOTAL		. 0	30551	22469	41526	0	33567	•	22407		2710	30
Lbb		0	980	15	1023	0	692			2710		
FPR		0	12	1	12	0	16	n	0	5	****	****

Table VI.10 The contingency table of the best 3 band pairs after 4-fill, 8-fill, 4-shrink, 8-shrink, and complete filling operations.

			כטנ	.• = A:	SSIGN C	AT	ROW = TRUE			CAT		
	R	DEC	1.3	1 • 4	2•3	2•4	2.5	2.6	7.2	TOTAL	EER	ERR
HIPPYN		7	23561	18825	55311	0	11429	n	21299	130425	o	0
1.7		Ó	6948	8	ົດ	0	0	0	0	6956	-8	0
1.4		9	ቦ	2499	171	. 0	0	0	.0	2670	171	6
7.2		O	O	n	7727	0	n	0	0	7727	. 0	0
2.4		n	629	0	n	0	0	n	0	629	6;19	100
2.5		ŋ	31	n	1905	0	2098	0	.0	4034	1936	48
2.5		0	Ô	n	-	0	26	0	0	-	1434	100
7.2		0	<u> </u>	14	-	0		n		5625	4	0
TOTAL		n	31169		66522	Ô	13553	0	26910	159500	4192	36
FPR		O O	660		3484	0	26	0	0		****	****
FRE	!		. 9	1	31	0	1	0	0	6	***+*	****

Table VI.11 The contingency table of the best 3 band pairs after 4-fill, 8-fill, 4-shrink, 8-shrink, 4-shrink, 8-shrink and complete filling operations.



#### VII Spectral Analysis: Edit 9

Using the same initial six spectral bands to select features from, the feature selector chose band pairs .40 - .44 and .65 - .69 with .72 - .76 and .981 - 1.045 micrometers as the best 2 band pairs for the table look-up rule. Figure VII.1 shows the .72 - .76 micrometer band and Figure VII.2 shows the ground truth training data overlayed on this band. The alpha-beta thresholds were set at .3 and .021.

The contingency table (Table VII.1) for the best 2 band pairs classification with an alpha threshold of .3 and a beta threshold of .021 gave a misidentification error rate of 22% and a false identification error rate of 32%. There were 79,670 reserved assignments because of incompatible assignments between the first and second band pairs and 2,357 were reserved assignments because there was more than one possible assignment common to the two band pairs. The raw classified image is shown in Figure VII.3. The main cause of error is the confusion between category 1.3, shortleaf pine, and category 2.5, loblolly pine. This error is due to assigning category 1.3 when the true category is 2.5. A look at the timber stand map for edit #9 shows a patch of category 2.5, which is surrounded by category 1.3, in the lower right-hand corner. It is this area that gets misassigned the most.

If the classified image is filled so that all resolution cells whose category assignment was reserved is assigned to the category of its spatially nearest resolution cell neighbor which is assigned, the error rate remains substantially the same, about a 25% misidentification error rate and 32% false identification error rate (Figure VII.4 and Table VII.2) If we do 6 iterations of 4-fills and then do a 4-shrink and fill up, the resulting contingency table is Table VII.3. The misidentification and false identification error rates of 21% and 26% are lower than before, but the misidentification error rate category 2.5 went from 43% to 44% with category 1.3 still the problem.

The best 2 band pair results were obtained from doing a 4-shrink following the original classification and then filling (Figure VII.5). Table VII.4 shows a misidentification error rate of 14% and a false identification error rate of 17%, but still the misidentification of category 2.5 is the main cause of error. The

shrinking first does eliminate a significant amount of error between category 3.1, laurel oak, and category 4.2, low quality sweetgum. Neither procedure has trouble classifying category 2.5 on the left-side of the timber stand. Only on the right side where category 2.5 resembles category 1.3 spectrally is there confusion. This confusion could be ultimately due to sun angle.

The three best band pairs were:

- (1) .40 .44 and .65 .69 micrometers
- (2) .72 .76 and .981 1.045 micrometers
- (3) .40 .44 and 2.10 2.36 micrometers

Figure VII.6 shows a plot of the alpha threshold versus the number of reserved decisions. For the three best band pairs, the alpha and beta thresholds that minimized the number of reserved decisions was .6 and .042, respectively. The raw classified image is shown in Figure VII.7. The contingency table indicates a misidentification error of 24% and a false identification error of 30% (Table VII.5).

After a complete filling, there was a 25% misidentification and 32% false identification error rate (Figure VII.8 and Table VII.6). If instead, our post processing consisted of a 4-fill, 8-fill, 4-shrink, 8-shrink and then a complete filling the misidentification error rate was 9% and the false identification error rate was 9% (Table VII.7 and Figure VII.9).

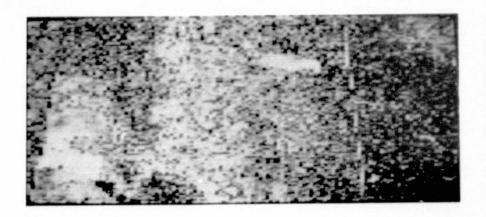


Figure VII.1 The .72 - .76 micrometer band.

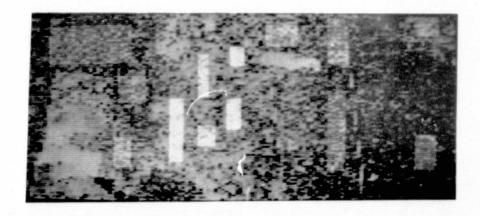


Figure VII.2 The ground truth training data overlayed on the .72 - .76 micrometer band.

			····								
		CCL	ه∆_₹_ه	21CHTC	ΔΙ	<u>£0#</u> =	TRUE	CAT	<del></del>		
	R DEC	1.3	2.3	2 • 5	2.6	3 • 1	4.2	7•2	TOTAL	ERR	EKF
******	6.3 6.5	12754	11.14	9975	7423	3356	4815	5798	.116183		a
	2952	5476	129	86	35	0	ŋ	7	8685	257	4
2 • 1	504.	1	272	2_	6_				25	42	174
	5327	1765	2 - C	2514	715	13	. 8n	•	11679	2738	43
T.• 4	1625	12_	<u> 25</u>		<u> </u>	27	7.C	19	2045	364	
3.1	816	<u>.                                    </u>	<u> </u>	2	27	599	65	18	1527	112	16
4.2	966.				41_	185	472	12	1701_	262	<del>36</del>
7 • 2	627		3	(	12	6 4181	20 5542	526 _6411	1205 144550	50	9
FRR	<u> 62127</u>	21162 1732	2463 357	334	8845 536	226	254	97	3832		****
ERR		24	55	0	5,9	27	35	16	27	****	****

Table VII.1 The contingency table of the best 2 band pairs for alpha - beta thresholds of .3 and .021.

CONTINGENCY TABLE FOR SAMHS GDT - 1 SMHSF1C71 - 1 SCALE FACTOR 10\*\* 0

		COL. = ASSIGN CAT				RUW =	TRUE					
	RI	)EC	1. 3	2. 3	2. 5	2. 6	3. 1	4. 2	7. 2	TOTAL	#ERR	% ERR
	T MA											
UNKWN		0	26128	5502	21805	20888	8814	13025	20021	116183	0	0
1. 3		0	8197	236		69		0		8685	488	6
2. 3		o.	50	789	6	19	. 0	6	55	925	136	15
2. 5		Ô	3657	471	6072	1257	21	167	34	11679	5607	48
2. 6		0	44	83	511	1621	96	215	75	2645	1024	39
3. 1		0	0	0	6	97	1185	174	- 65	1527	342	22
4. 2		ŏ	ŏ		61						580	34
7. 2		ŏ	Ŏ		ō		16				151	13
TOTAL		0	38076			24092			21350	144550	8328	25
#ERR						1583					****	****
X ERR	t	0	31	50	11	49	31	. 37	21	32	****	****

Table VII.2 The contingency table of the best 2 band pairs after a complete filling.

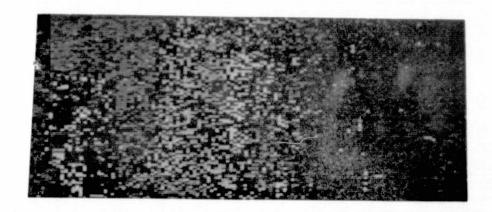


Figure VII.3 The classification of the best two band pairs for alpha - beta thresholds of .3 and .021.

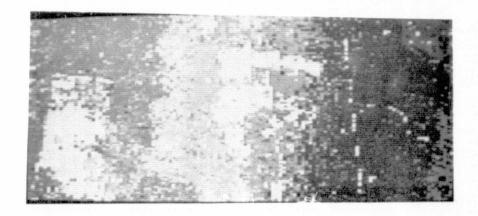


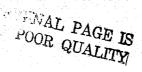
Figure VII.4 The classified image of Figure VII.3 after a complete filling.

• •		ַ כַּסַר	AS	551GH (	CAT	ROW :	TRUE		<u></u>		<del></del>
	R DF	1.1	2.3	2.5	2.6	3 • 1	4.2	7.2	ΤΟΤΑ	. ER!₹.	ER
UNEST	С	27122	4879	22134	20345	8679	12850	20165	116183	, )	0
1.3	Ü	A4K3	12.	61	77	1)	^	٥	8685	227	3
2.1	C	44	827	3	10	0	7	34	925	93	11
2.5	U	3940	381	6486	793	2	50	18	11679	5193	44
2.6	, G	2.7	81	492	1723	88	171	63	2645	922	35
						- 12/2	<del></del>				<del></del>
3.1	U	0	0	2	86	1243	144	52	1527	284	19
7.2	<del></del>			<u>29</u>	<u>74</u> 37	332	1251 70	15 1078	1205	127	76
TOTAL	. 0	30506	¥3Ĉ3 ⊃	29207		10250		21474	_ : : :	7295	11 21
FRR	<del>``</del>	4011	597	587	1022	428	460	191	7296	<del></del>	* * * * *

Table VII.3 The contingency table of the best 2 band pairs after complete – filling, 4-shrink, and complete filling operations.

						<u> </u>					*	
	<u> </u>	·	cer	•=∆	SSIGN_0		ROW_:	= TRul	ECA	<u> </u>		
				· · · · · · · · · · · · · · · · · · ·				<del></del>	<del></del>			
	K [	DEC	1.3	2 • 3	2 • 5	2.6	3 • 1	4 • 2	7.2	TOTAL	ERR	ER
					1.	-	<del></del>					
UNKWIL		Ü	28758	3222	.22459	19124	8025	11277	23118	_116183_	<u> </u>	0
1.3		U	8629	41	15	0	0	n	.0	86,85	56	1
2.3		U	29_	88		0_	0	^	13	9.25	42	5
2 • 5		U	4353	227	6781	303	0	<b>^</b>	9	11679	4893	42
2.6		0	()	8.9	476	1959	42	77	2	2645	683	26
								•				
3.1		O	()	0	0	0	1360	105	62	1527	167	11
4.2		0	U	0	31	22	196	1452	- 0	1701_	24.}	15
7.2		U	Ú	U	U	6	. 0	35	1164	1205	41	3
TOTAL	<u> </u>	L.	41969	4462	29762	21420	9623	12945	24368	144550	6122	14
ERR		U i	4382	357	522	337	238	217	86	6139	****	****

Table VII.4 The contingency table of the best 2 band pairs after 4-shrink, and complete filling operations.



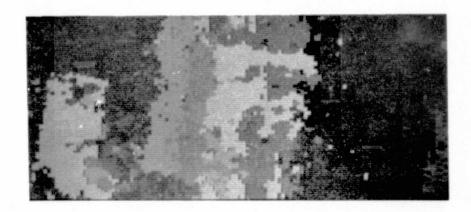


Figure VII.5 The classified image of Figure VII.3 after 4-shrink and complete filling operations.

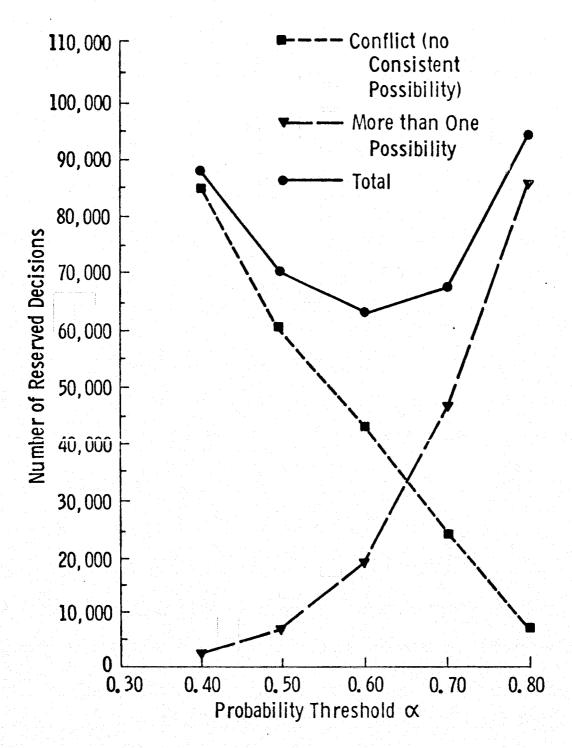


Figure VII.6 A plot of the alpha thresholds versus number of reserved decisions

UNKWN5282U 17881 2536 12353 1080: 5216 6083 8789 116183 1.3 1755 6450 119 253 98 0 1 9 8685 . 2.3 402 16 425 12 17 4 0 49 925 2.5 4894 2219 198 3700 507 11 127 23 11679 3	ERR ER
UNKWN5282U 17881 2536 12353 1080: 5216 6083 8789 116183 1.3 1755 6450 119 253 98 0 1 9 8685 . 2.3 402 16 425 12 17 4 0 49 925 2.5 4894 2219 198 3700 507 11 127 23 11679 3	0 0
1.3 1755 6450 119 253 98 0 1 9 8685 2.3 402 16 425 12 17 4 0 49 925 2.5 4894 2219 198 3700 507 11 127 23 11679 3	
1.3 1755 6450 119 253 98 0 1 9 8685 2.3 402 16 425 12 17 4 0 49 925 2.5 4894 2219 198 3700 507 11 127 23 11679 3	
1.3 1755 6450 119 253 98 0 1 9 8685 2.3 402 16 425 12 17 4 0 49 925 2.5 4894 2219 198 3700 507 11 127 23 11679 3	
2.3 402 16 425 12 17 4 0 49 925 2.5 4894 2219 198 3700 507 11 127 23 11679 3	480 7
2.5 4894 2219 198 3700 507 11 127 23 11679 3	-98-19
2.5 4894 2217 170 3100 201	085 45
2.6 1348 - 9 41 265 789 50 114 24 2645	508 39
3.1 591 0 0 13 41 722 134 26 1527	214 23
4.2 723 0 2 37 45 154 727 18 1701	256 26
7.2 436 0 8 0 13 32 18 698 1205	71 9
TOTAL 6 2969 26575 3329 16333 12315 6189 7204 9636 144550 -	712-24
ERR 0 2244 368 580 721 251 399 149 4712 **	*** ****

\_\_ Table VII.5 The contingency table of the best 3 band pairs for alpha beta thresholds of .6 and .042.

CONTINGENCY TABLE FOR SAMHS GDT - 1 SMH3F1B04 - 1 SCALE FACTOR 10\*\* # ASSIGN CAT COL. TRUE ROW = CAT R DEC 1.3 2.3 2. 5 2. 6 3. 1 4. 2 7. 2 TOTAL #ERR LINKWN 4982 23392 11921 18252 1. 3 2. 3 2. 5 40 11679 2. 6 3. 1 4. 2 Ò 7. 2 Ó 6354 31196 13945 19612 TOTAL 25308 11944 **#ERR** X ERR Table VII.6 The contingency table of the best 3 band pairs after a complete

•

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)

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filling.

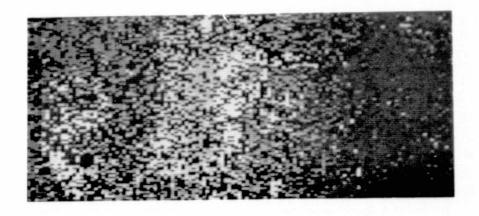


Figure VII.7 The classification of the three best band pairs for alpha - beta thresholds of .6 and .042.

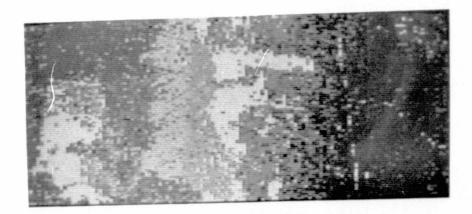


Figure VII.8 The classified image of Figure VII.7 after a complete filling.

TRUE

CAT

	R	DEC	1. 3	2, 3	2. 5	2. 6	3. 1	4. 2	7. 2	TOTAL	#ERR	% ERR
UNKWN		0	30218	2169	21299	17317	8203	10275	26702	116183	0	0
1. 3		0	8685	0	0	0	0	0	0	8685	0	٥
2.3		Ó	Q	925	0	0	0	. 0	0	925	0	0
2. 5		0	4489	0	6906	0	0	0	234	11679	4773	41
2. 6		0	0		531	2039	0	7	68	2645	606	23
3. 1		0	0	0		. 0	1521	0	. 6	1527	6	0
4. 2		ŏ	ŏ	ŏ	-	ŏ	0	1701	. 0	1701		Ŏ
7. 2		ŏ	ŏ	ŏ		ŏ	ŏ	0	1205	1205	0	ŏ
TOTAL		. 0	43392		28736	•	9724	-			5385	ģ
#ERR	•	Ö		0		0	7/27	7	358		****	****
% ERF	₹ .	. 0	34	0	7	0	0	0	23	9	****	****

COL. = ASSIGN CAT

Table VII.7 The contingency table of the best 3 band pairs after 4-fill, 8-fill, 4-shrink, 8-shrink, and complete filling operations.

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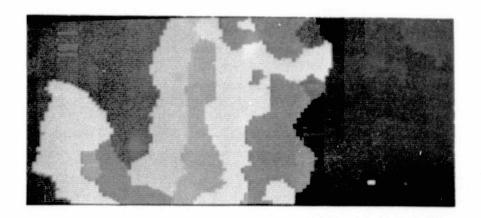


Figure VII.9 The classified image of Figure VII.7 after 4-fill, 8-fill, 4-shrink, 8-shrink, and complete filling operations.

#### VIII Spectral Analysis: Edit 14

The same six spectral bands were chosen from edit #14 as were taken from edit #6 and edit #9. Figure VIII.1 shows the .72 - .76 micrometer band for edit 14 and Figure VIII.2 shows the selected ground truth training data. The selection procedure chose .40 - .44 and 2.10 - 2.36 with .588 - .643 and 2.10 - 2.36 micrometers as the best 2 band pairs for the table look-up rule. The alpha and beta thresholds were set at .3 and .021 respectively. The thresholds were too low and resulted in 56,320 reserved decisions in the contingency table for classification (Table VIII.1). The resulting misidentification error rate was 28% and false identification error rate was 29%. The result on the best 2 band pairs with 4-fill, 8-fill, 4-shrink, 8-shrink, and complete filling operations (Table VIII.2), was a misidentification error rate of 15% and a false identification error rate of 17%.

The feature selection procedure chose band pairs .40 - .44 and .65 - .69 micrometers, along with the best 2 band pairs for the best 3 band pairs. Using alpha and beta thresholds of .6 and .042, respectively, the number of reserved decisions was 43,236, with 25,794 points reserved because no assignment was possible and 17,442 reserved due to possible multiple assignments.

The largest cause of error for best 3 band pairs (Table VIII.3) was the confusion between categories 2.3 and 2.5, different ages of loblolly pine, and the confusion of each of these with category 4.1, low quality sweetgum. The misidentification and false identification error rates (46% and 48%) for category 4.1 are high but the number of points whose true category is 4.1 is small. Figure VIII.3 shows the resulting classification. There was such a small area of sweetgum, category 4.1, on the timber stand map that the ground truth may not be adequate to allow good spectral estimation.

The first post processing procedure we used was a complete filling (Table VIII.4 and Figure VIII.4). The errors were increased by the procedure, so one 4-shrink operation was performed on the image and this reduced the misidentification error to 9% and false identification error to 4% (Table VIII.5 and Figure VIII.5), but the low error rates were helped by the fact that there were 84,828 reserved decisions. Table VIII.5 does show that the confusion with category 4.1, was almost eliminated, though the misidentification error rate caused by assigning

2.3 to 2.5, 21% was still high. Completely filling the image resulted in a misidentification error rate of 17% and false identification error rate of 13% (Table VIII.6 and Figure VIII.6).

If on the raw classified image we do one 4-fill (Table VIII., 7 and Figure VIII., 7) and then one 8-fill, the resulting contingency table (Table VIII., 8 and Figure VIII.8) is almost identical to Table VIII.3. The error rates on each are exactly the same. Then doing a 4-shrink (Table VIII.9 and Figure VIII.9) we find a contingency table almost identical to Table VIII.4. But if instead of filling we do an 8-shrink, we almost totally eliminate error (Table VIII. 10 and Figure VIII, 10). Only 2 points are incorrectly identified. Now if we completely fill the image we get our best results (Table VIII.11 and Figure VIII.11): 13% misidentification and 9% false identification error rates. Visual comparisons show the closeness of the two operations. Following the fills with a 4-shrink produces Figure VIII.5. Figure VIII.6 is the final classified image after complete filling, a 4-shrink and then a complete filling, while Figure VIII. 11 is the final result of a 4-fill, 8-fill, 4-shrink, 8-shrink, and complete filling. From the figures, we can see that the extra shrink allowed the categories to be more dense. The contingency table of the image should show better results since the categories on the timber stand map tend to be dense, which is the case.

The results of the shrinking operations indicate that the errors that did occur were sparse enough to be wiped out with the shrinking. The reason that a shrink operation is not performed first on the image is that it tends to eliminate small area categories, even though correctly assigned, on the image.



Figure VIII.1 The .72 - .76 micrometer band.

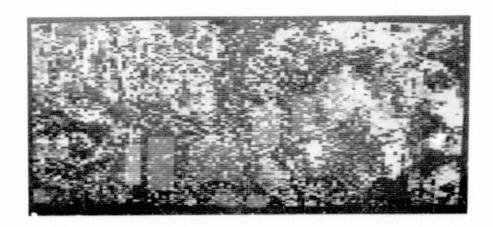


Figure VIII.2 The ground truth training data overlayed on the .72 - .76 micrometer band.

		COL	. * AS	SSIGN (	ROW =	TRHE	CA1	<b>r</b>	
	ROFC	2.3	2 • 5	4•1	7.2	TOTAL	FRP	FRE	R SD
HARMA	51893	8418	19856	13565	29402	123134		0	0
2.3	1959	1553	739	515	209	4975	1462	49	0
2.5	958	196	3567	193	64	4978	453	11	0
4.1	765	233	147	594	10	1749	39n	40	0
7.2	745	81	158	75	1855	2914	314	14	0
							•		• 1
TOTAL	5.6320	10481	24467	14942	31540	137750	2620	28	0
FPR	Ú	510	1044	783	283	2620	****	****	****
FRR	0	25	23	57	13	29	****	****	****

Table VIII. 1 The contingency table of the best 2 band pairs for alpha - beta thresholds of .3 and .021.

CONTINGENCY TABLE FOR SAMH4 GDT - 1 SMH4F5805 - 1 SCALE FACTOR 10\*\* 0

		COL	L. = AS	SSIGN (	CAT	ROW =	TRUE	CAT	
	R DEC	2 • 3	2•5	4 • 1	7•2	TOTAL	ERR	ERF	₹ SD
UNKWN		6857	41525	18750	56002	123134	n	0	0
2.3	Ū	268 V	1234	1061	0	4975	2295	46	0
2.5	Ü					4978		3	0
4.1						1749		7	0
7.2						2914		.7	0
								• • • • • • •	, to see
TOTAL	n.	9667	47930	21432	58721	137750	2748	15	0
FRR	()	130	1557	1061	0	2748	***	***	****
ERR	0	5	24	40	0	17	****	****	****

Table VIII.2 The contingency table of the best 2 band pairs after 4-fill, 8-fill, 4-shrink, 8-shrink, and complete filling operations.

# CONTINGENCY TABLE FOR SAMH4 GOT - 1 SAMH4 BO6 - 1 SCALE FACTOR 10\*\* 0

	•	COL	= AS	SIGN C	TAT	ROW =	TRUE	CAT	
	R DEC	2.3	2.5	4+1	7.2	TOTAL	ERR	ERR	SD
UNKWN	39754	14646	23477	10471	34786	123134	0	0	0
2.3		1931	782		303		3476	43	0
2.5		364	_	109	63	4978	536	13	0
4.1			151		21	1749	495	. 46	1
7.2	533	249			1878	2914	502	21	0
TOTAL	43236	17513	28353	11597	37051	137750	3010	30	0
FRR	0	936	1151	536	387	3010	****	****	****
ERR	-	33				30		****	****

Table VIII.3 The contingency table of the best 3 band pairs for alpha - beta thresholds of .6 and .042.

#### CONTINGENCY TABLE FOR SAMH4 GDT - 1 SMH4F1806 - 1 SCALE FACTOR 10\*\* 0

			col	_• = A!	SSIGN (	CAT	ROW =	TROE	CAT	
	R	DEC	2.3	2.5	4.1	7•2	TOTAL	ERP	ERR	SD
			22.00	21720	17202	50,70	100104			en de la companya de La companya de la companya de
11114WN							123134			0
2.5							4978			0
4.1									46	
7.2		0.	364	289	56	2205	2914	700	24	ō
TOTAL										0
FRR									****	
ERR		0	33	28	45	21	31	***	****	****

Table VIII.4 The contingency table of the best 3 band pairs after a complete filling.

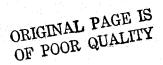




Figure VIII.3 The classification of the three best band pairs for alphabeta thresholds of .6 and .042.



Figure VIII.4 The classified image of Figure VIII.3 after a complete filling.

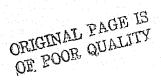
		CUL	. * AS	SIGN .	AT	ROW =	= TRU	CAT	<b>T</b>	
	R DFC	2.3	2.5	4 • 1	7.2	TOTAL	FRP	ERF	s so	
יאַניאינון	75944	2744	12650	3200	28497	123134		0	0.	
	4095		119	6	58		184	21	0	
2.5	1977	10	2984	. 4	. 3	4978	17	1	0	
-	1421	29		289	Ō	1749	30	12	Ó	
7.2	1391	10	35			2914	45	3	0	
TOTAL	84828	3490	15798	3598	30036	137750	284	9	0	
LUB	0	49				284			****	
FRR	. 0	7			4		****	****	****	

Table VIII.5 The contingency table of the best 3 band pairs after complete filling and 4-shrink operations.

CONTINGENCY TABLE FOR SAMH4 GDT - 1 SMH4F2B06 - 1 SCALE FACTOR 10\*\* 0

			COL	L• = A:	SSIGN (	CAT	ROW =	TRHE	CAT	f e	
	R DE	c	2.3	2.5	4•1	7•2	TOTAL	ERP	ERF	SD.	
UNKWN	Ĵ	 - 1	8379	36805	12408	55542	123134	'n	0	0	
2.3	C		3728	849	75	323	4975	1247	25	0	
2.5	O		130	4810	- 19	19	4978	16A	3	0	
4.1	· )		338	162	1249	0	1749	500	29		
7.2	O		90	320	U	2504	2914	410	14	0	
TOTAL	0	2	2665	42946	13751	58388	137750	2325	17	0	
ERR							2325				
FRR	0		13	22	7	12	13	****	*****		

Table VIII.6 The contingency table of the best 3 band pairs after complete filling, 4-shrink, and complete filling operations.



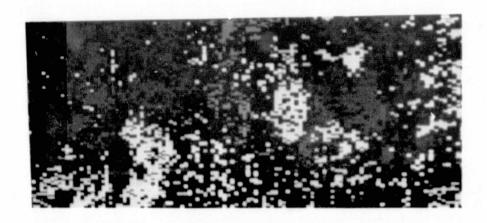


Figure VIII.5 The classified image of Figure VIII.4 after a 4-shrink operation.

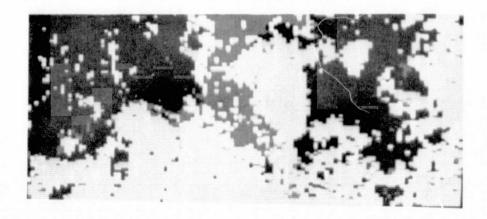


Figure VIII.6 The classified image of Figure VIII.5 after a complete filling.

	• .	COL	_• = AS	SSIGN (	EAT	RO₩ =	TRUE	CAT	•
	R DE	2.3	2 • 5	4•1	7.7	TOTAL	ERR	ERF	\$ <b>\$</b> D
UNKWN	2375	233 2	31470	16785	49202	123134		0	. 0
2.3	23	2821	1111				2131	43	0
2.5	19	495	4216	154	94	4978	742	15	. 0
4.1	16	5 , 2	258	242	31	1749	791	46	*
7.2	6	363	289	55	2201	2914	707	24	0
					•,				
TOTAL	2439	27483	37344	18500	51975	137750	4372	32	. 0
FRR	11					4372		****	****
FRR	C	13	28	45	21	31	****	****	****

Table VIII.7 The contingency table of the best 3 band pairs after a 4-fill operation.

#### CONTINGENCY TABLE FOR SAMH4 GDT - 1 SMH4F4B06 - 1 SCALE FACTOR 10\*\* 0

		col	• = A	SSIGN (	TAT	ROW =	TRHE	CA1	
	R DEC	2•3	2.5	4.1	7.2	TOTAL	ERR	ERF	SD.
UNKWN	116	23687	31735	17192	50404	123134	n	0	0
2.3	0	2832	1115	576	452	4975	2142	43	0
2.5	U	497	4227	157	97	4978	751	15	C
4.1	: ა	507	260	951	31	1749	798	46	. 1
7•2	3	364	289	56	2205	2914	700	24	0
TOTAL	116	27887	37626	18932	53189	137750	4401	32	0
FRR	O.	1368	1664	789	580	4401	****	****	****
	0	33	28	45	21	31	****	****	****

Table VIII.8 The contingency table of the best 3 band pairs after 4-fill, and 8-fill operations.

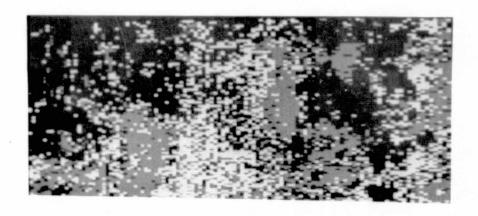


Figure VIII.7 The classified image of Figure VIII.3 after a 4-fill operation.

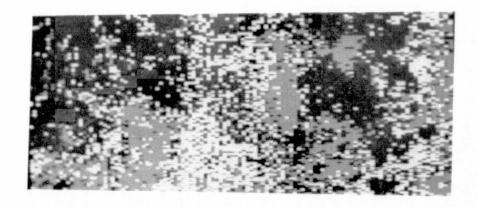


Figure VIII.8 The classified image of Figure VIII.3 after 4-fill and 8-fill operations.

		cor	.• = AS	SIGN (	AT	ROW =	TRITE	CA1	T	
	R DEC	2.3	2.5	4-1	7.2	TOTAL	ERP	ERF	₹ SD	
HJKRM.	76121	2744	12647	3259	28363	123134	1 n	0	0	
2 . 3	4095		119	6		4975	183	21	. 0	
2.5	1977	10	2984	4	. 3	4978	17	1	0	
4.1	1421	29	10	289	0	1749	30	12	0	
7 • 2	1391	10	35	O,	1478	2914	45	. 3	0	
TOTAL	850(15	3490	15795	3558	29902	137750	284	. 9	. 0	
FRR			164			284	****	****	****	
FRR	()	7	5	3	4		****	****	****	

Table VIII.9 The contingency table of the best 3 band pairs after 4-fill, 8-fill and 4-shrink operations.

CONTINGENCY TABLE FOR SAMH4 GDT - 1 SMH454806 - 1 SCALE FACTOR 10\*\* 0

		COL	• = ASS	IGN C	AT	RO₩ =	TRUE	CAT	
	R DFC	2.3	2•5	4•1	7 • 2	TOTAL	ERP	ERF	s SD
HIKWN	****	65	3448	562	13030	123134	n		0
	4967	8	. 0	Ü	0		n	Ö	. 0
	3708		1270	0	0	4978	0	0	0
4.1	1737	U				1749		0	0
	2270	0	2	0	642	2914	2	0	0
TOTAL	****	73	4720	574	13672	1377.50	2	. 0	. 0
FRR	· n	n	2	f)	. 0	. 2			****
FRR	0	0	0	n	0	0	***	****	***

Table VIII.10 The contingency table of the best 3 band pairs after 4-fill, 8-fill, 4-shrink, and 8-shrink operations.



Figure VIII.9 The classified image of Figure VIII.3 after 4-fill, 8-fill, and 4-shrink operations.



Figure VIII.10 The classified image of Figure VIII.3 after 4-fill, 8-fill, 4-shrink and 8-shrink operations.

			COL	. = AS	SIGN C	AT	ROW =	TRUE	CAT	
	R	DEC	2 • 3	2.5	4•1.	7•2	TOTAL	ERR	ERR	<b>5</b> D
UNKWN		)	9922	39868	11186	62158	123134	^	0	0
2.3		0		314				487	10	0
2.5		1,	306	4672	ų.	. 0		306		0
4.1		O	0	379	1370	0	1749	370	22	0
7.2		Ü		499		2415			17	0
TOTAL		υ.	14716	45732	12729	64573	137750	1671	13	0
FRR		Ô	306	1192	173	0	1671	***	****	****
FRR		n	6	20			9	****	****	****

Table VIII.11 The contingency table of the best 3 band pairs after 4-fill, 8-fill, 4-shrink, 8-shrink and complete filling operations.

# IX Spectral Analysis: Edit 3

As with the other edits, the same 6 spectral bands were chosen, .40 - .44, .588 - .643, .65 - .69, .72 - .76, .981 - 1.045, and 2.10 - 2.36 micrometers. Figure IX.1 shows the .72 - .76 micrometer band of edit 3 and Figure IX.2 shows the selected ground truth training data.

The feature extractor chose bands .40 - .44 and .588 - .643 with .588 - .643 and .65 - .69 micrometers as the best 2 band pairs. To minimize the total number of reserved decisions and to try and equalize the number of reserved decisions due to more than one assignment and no assignment, classification for the two best band pairs was done using a variety of alpha and beta thresholds. Figure IX.3 is a graph of the thresholds versus the number of reserved decisions.

Table IX.1 is the contingency table for best 2 band pairs with .3 and .021 alpha and beta thresholds, respectively. The resulting error rates of 36% misidentification and 38% false identification are better than the corresponding error rates of 37% and 41% for the classification with alpha, beta thresholds of .4, .028 (Table IX.2) and the corresponding error rates of 37% and 40% for the classification with alpha, beta thresholds of .5, .035 (Table IX.3). But the total number of reserved decisions for the .3 and .021 thresholds is 47,749. This is the highest number of reserved decisions and the lower error rates could be caused by lack of assignments. In this case, the fill operations would tend to propagate the error. Therefore, we chose .5 and .035 thresholds to work with. The raw classified image was post processed with 4-fill, 8-fill, 4-shrink, 8-shrink and complete filling operations. The resulting contingency table (Table IX.4) indicates an 18% misidentification error and 27% false identification error. The major confusion was poletimber immature shortleaf pine being classified as sawtimber immature shortleaf pine or poletimber immature loblolly pine.

The three best band pairs consisted of the two best band pairs plus band pair .40 - .44 and .65 - .69 micrometers. To minimize the total number of reserved decisions and to try to equalize the two causes for reserved decisions, classification was done for the three best band pairs using a variety of alpha beta thresholds. The resulting graph (Figure IX.4) indicates good alpha beta thresholds

are .5 and .035. Contingency table (Table IX.5) shows a 34% misidentification rate and 38% false identification rate with 48,475 reserved decisions. Figure IX.5 shows the resulting classification. Category 1.2 was the largest cause of error. It was confused with category 1.3, sawtimber immature shortleaf pine and categories 2.4 and 2.6, two kinds of loblolly pine.

A 4-fill and an 8-fill operation reduces the misidentification error rate but propagates the false identification error rate (Table IX.6 and Figure IX.6). Doing a 4-shrink reduces the error rates to 18% and 23% for misidentification and false identification. This is as expected since fewer assignments are made to spatially uncertain categories but the misidentification error rate for category 2.1 was not reduced (Table IX.7 and Figure IX.7). The final 8-shrink and then fill all the way up results in a misidentification error rate of 14% and a false identification error rate of 25% (Table IX.8 and Figure IX.8). Most of the error is due to category 1.2 being confused with categories 1.3, 2.4, and 2.6. Thus, category 1.2 has a misidentification error rate of 60% compared to 6% for the next most highly confused category. Most of the confusion is between subclasses in the same class rather than between classes. Contingency table IX.9 shows the resulting classification when categories 1.2 and 1.3 are combined and categories 2.4 and 2.6 are combined. The misidentification error rate is 10% and the false identification error rate is 14%.

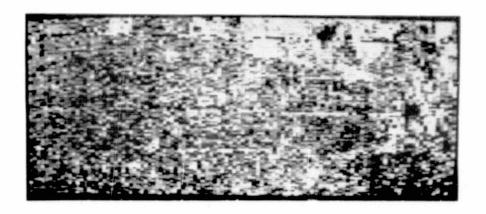


Figure IX.1 The .72 - .76 micrometer band.

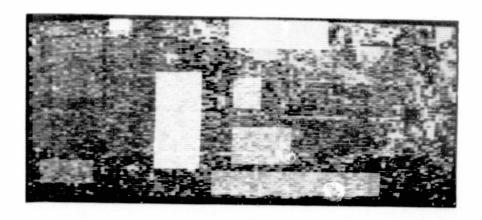


Figure IX.2 The ground truth training data overlayed on the .72 - .76 micrometer band.

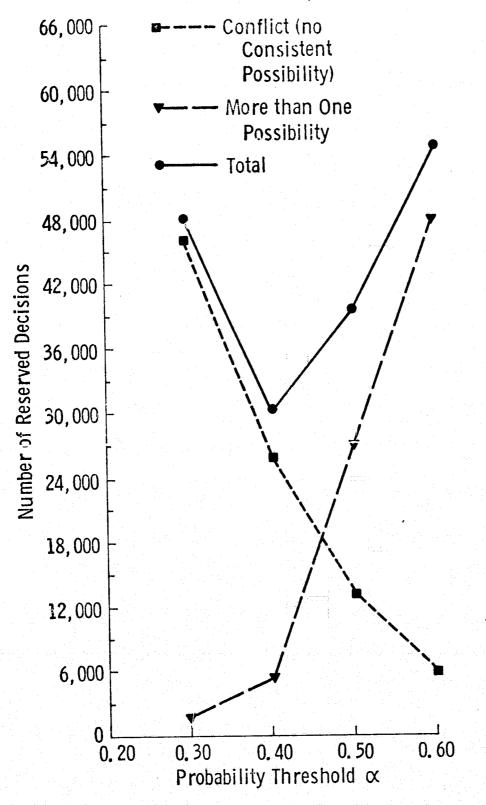


Figure IX.3 Number of reserved decisions as a function of probability threshold alpha for best 2 band pairs, spectral only for edit #3

		CUE	e ≠ At	[ ( , , , _ (	A	KUW #	יייאנו י	ÇAI		
	א ארר	1.2	1•3,	2.4	2.6	7•1	TOTAL	FRR	FRR	SD
1117.41	77548	4 7	51121	144.49	6108	7911	70255	n	n	n -
	4824						12060		61	0
		234	537	ำกา	31	Ũ	1862	414	44	C
7.4	4005	6.2	371	472!	473	244	25.50	1147	19	· 0
	2977			1400	1,636	5.7	6405	1772	52	0
7.1	372		- 23	191	36	3547	4160	250	7	n
F: EAL	47749	. , , , , .	7266	22/.12	7776	1215"	104832	7354	36	. 0
1110	, ,	5 4 5	1699	2278	1142	700	7254	****	****	***
Ens		1.9	76	4.1	41	16	3.0	***	****	***

Table IX.1 The contingency table of the best 2 band pairs for alphabeta thresholds of .3 and .021.

# CONTINGENCY TABLE FOR CAMBI GOT - 1 SAMHI BIT - 1 SCALE FACTOR 10\*\* 0

		COL	• = \\`	SSIGN (	ΑŢ	ROW :	= TRHE	CAT			
	۲ کادر	1.2	1.3	2.4	2.6	7 • 1	TOTAL	. ERR	FRR	SD	
Thirtiship.	1723	5852	6.744	17404	9128	9454	70355	0	0		
1.2	4470	2717	1772	1711	1252	486	12069	5281	64	. 0	
1.7	678	371	744	80	81	Ú	1862	541	42	1	
2.4	774	116	5.3.7	.5 14	1164	3/43	9075	2160	30	0	
2.6	400	230	7.8	1630	2772	136	6405	2133	43	0	
						•					
7.1	172	•	27	251	66	2653	4160	344	9	0	
TOTALS	64"	0576	9012	26103	14564	14072	104832	10450	37	· n	
									****		
£ 15 f5		2.1	76	42	4.9	21	41	****	****	****	

Table IX.2 The contingency table of the best 2 band pairs for alpha - beta thresholds of .4 and .028.

		7 (3)	• = /.	14.41	V i	KU" =	i listile	CAI		
	R DEC	1.2	1 100 3	2.4	2.6	7.1	TOTAL	FRR	FR	R 50
< 5.151	274 4	1.242	5114	17:52	6586	P157	70356	n	0	. 0
1.7	5776	2 . 5	1243	1/49	835	441	12 60	4267	68	. 0
1.3	96.2	. 54	539	102	96	0	1862	362	40	. 0
2.4	3"76	1.5.1	173	F 1, 15, 3	521	298	2072	1342	19	- 0
2.6							640E		51	0
7.1	247	e e	41	272	3 <i>2</i>	3577	4160	345	9	. 0
							104832			Ö
EDD							8484			****
CDP							40			

Table IX.3 The contingency table of the best 2 band pairs for alpha - beta thresholds of .5 and .035.

#### CONTINGENCY TABLE FOR SAMH1 GDT - 1 SMH1F3B01 - 1 SCALE FACTOR 10\*\* C

			COL	= AS	SSIGN C	AT	ROW =	TRUE	CAT	•	
	R	DEC	1. 2	1. 3	2. 4	2. 6	7.1	TOTAL	#ERR	% ERF	x x sd
UNKWN			11586	8018	25376	3425	21950	70355	0	0	•
1. 2								12068		50	0
1. 3			44		59			1863		6	. 0
2.4			0		9476	0	496	9972	496	5	0
2.6		0	968	0	269	4632	536	6405	1773	28	0
7.1		0	0	0	124		4045	4169	124	3	0
TOTAL		0	18639	12631	37031	8669	27862	104832	8523	18	0
#ERR						612	1867	8523	****	****	****
% ERR		0			19	12	32	27	****	****	****

Table IX.4 The contingency table of the best 2 band pairs for alpha - beta thresholds of .5 and .035 after a complete filling.

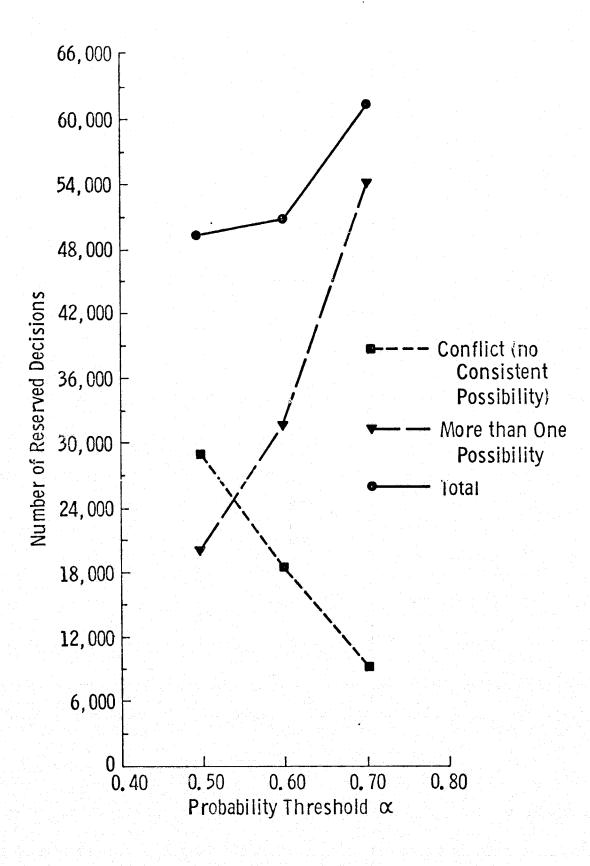


Figure IX.4 Number of reserved decisions as a function of probability threshold alpha for best 3 band pairs, spectral only for edit #3

		CUL	• = A^	CION C	T A.T	ROM ≥	TRUE	CAT		
	P DEC	1.2	1.3	2.4	2.6	7.1	TOTAL	ERR	FRE	s Sn
1.11.21.11	177717	וייי	5764	12216	7465	8444	70756	0	r	0
	672	1347	12.17	1202	870	424	12068	4001	75	0
, ,					70		1862	270	28	0
2.4	4134	τ, η	51.4	4244	672	302	9075	1592	27	Ç -
	3t.74			977	8448	76	6405	1263	38	0
7.1	347		71	145	72	3590	4160	238	6	o
	L48475									
د, د. ب		3 5	71.53	2510	1685	8 ቦ ዓ	7364	****	****	****
	P .	1.8			45	18		****	****	****

Table IX.5 The contingency table of the best 3 band pairs for alpha - beta thresholds of .5 and .035.

## CONTINGENCY TABLE FOR SAMH1 GDT - 1 SMH1F2BO2 - 1 SCALE FACTOR 10\*\* (

		COL	= AS	SSIGN (	CAT	ROW =	TRUE	CAT	<b>T</b>		
	R DEC	1. 2	1. 3	2. 4	2. 6	7.1	TOTAL	#ERR	% ERF	x sp	
UNKWN	400	6172	11323	<b>25</b> 736	15022	11702	70355	0	0	0	
1. 2	36	3689	3295	2503	1943	602	12068	8343	69	0	
1. 3	0	265	1267	169	160	2	1863	596	32	1	
2. 4	0	90	1032	7227	1166	457	9972	2745	28	0	
2. 6							6405				
					4.4						
7.1	0	0	36	247	132	3754	4169	415	10	0	
							104832			0	
#ERR							14588				
% ERR							40				

Table IX.6 The contingency table of the best 3 band pairs after 4-fill and 8-fill operations.

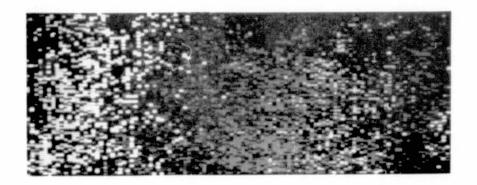


Figure IX.5 The classification of the three best band pairs for alpha – beta thresholds of .5 and .035.

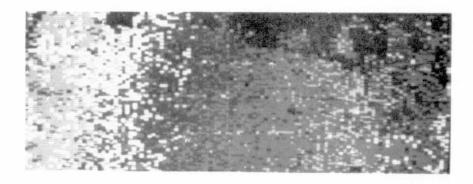


Figure IX.6 The classified image of Figure IX.5 after 4-fill and 8-fill operations.

		COL	. = AS	SIGN C	AT	ROW =	TRUE	CAT		
	R DEC	1. 2	1. 3	2. 4	2. 6	7.1	TOTAL	#ERR	X ERF	x sd
UNKWN	150182	1053	3338	7257	2358	6167	<b>7</b> 035 <b>5</b>	. 0	0	• •
1. 2	8421	1073	1468	683	210	213	12068	2574	71	0
1. 3	1189	13	659	0	2	Ó	1863	15	2	. 0
	6350	ō	56	3455	29	82	9972	167	5	0
2. 6	5080	4	1	157	1161	2	6405	164	12	0
7.1	714	0	0	52	10	3393	4169	62	2	
. • .	_71936	2143		11604	3770	9857		2982	18	0
#ERR	0	17	1525	892	251	297		****	****	****
Y EDI	2 0	2	70	21	18	8	23	****	****	****

Table IX.7 The contingency table of the best 3 band pairs after 4-fill, 8-fill and 4-shrink operations.

#### CONTINGENCY TABLE FOR SAMHI GDT - 1 SMH1F3B02 - 1 SCALE FACTOR 10++ 0

			COL	= AS	SIGN C	AT	ROU :	• TRUE	CAT	Ť	
	R DE	С	1. 2	1. 3	2. 4	2. 6	7.1	TOTAL	#ERR	% ERF	X SD
UNKWN	0		5027	11407	23738	12077	18106	70355	. 0	0	0
1. 2								12068		60	•
1.3	ŏ				0			1863		0	0
2. 4	Ŏ		0	192	9346	4	430	9972	626	1: 11:6	0
2. 6	0				397			6405		6	0
7.1	0		0	0	84	0	4035	4169	84	2	0
TOTAL								104832		14	0
#ERR			0	3972	1908	1245	1265	8390	****	****	****
X ERR	0		0	68	17	17	:24	25	****	****	****

Table IX.8 The contingency table of the best 3 band pairs after 4-fill, 8-fill, 4-shrink, 8-shrink, and complete filling operations.



Figure IX.7 The classified image of Figure IX.5 after 4-fill, 8-fill and 4-shrink operations.

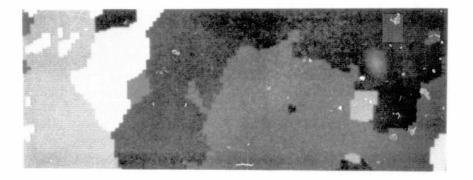


Figure IX.8 The classified image of Figure IX.5 after 4-fill, 8-fill, 4-shrink, 8-shrink and complete filling operations.

Col. = Assign Cat.

Row = True Cat.

	1	2	7	Total	#Err	% Err
Unknown	16434	35815	18106	70355	0	0
1	10428	2668	835	13931	3503	25
2	192	15755	430	16377	622	4
7	0	84	4085	4169	84	. 2
Total	27054	54322	23456	104832	4209	10
#Err	192	2752	1265	4209		
% Err	2	15	24	14		

Contingency Table Created by Combining Subclass Types of the Same Class

Table IX.9

# X Spectral-Textural Analysis: Edit 6

We began the spectral-textural analysis of the edit #6 data by using five spectral bands and two texture bands and letting the feature selection procedure pick the best two and best three band pairs for the table look-up decision rule. The five spectral bands were:

.40 - .44 micrometers

.65 - .69 micrometers

.72 - .76 micrometers

.981 - 1.045 micrometers

2.10 - 2.36 micrometers

The textural transform was done on a 3x3 convolution of the .82 - .88 micrometer band. A second textural information band was created by doing a 3x3 convolution of the initial textural transform image.

The feature selection procedure selected the two best band pairs consisting of:

- (1) .40 .44 micrometer band with the 3x3 convolution before and after the textural transform of the .82 .88 micrometer band
- (2) .65 .69 and .981 1.045 micrometer bands.

The alpha-beta thresholds were set at .3 and .021, respectively. This threshold selection was too low for of the 159,500 points to be classified, 74,326 were reserved assignments because of incompatible category assignments between the first and second band pairs and 1,904 were reserved assignment because there was more than one possible assignment common to the two band pairs. The resulting contingency table, (Table X.1 and Figure X.1) shows a misidentification error rate of 36% and a false identification error rate of 37%. After filling the classified image to remove all reserved assignments, the misidentification error rate was 38% and false identification error rate was 39%, Table X.2 and Figure X.2. This is worse than the best two band pair spectral results indicating that either the alpha-beta thresholds used created such a high number of reserved decisions that the classification accuracy was lowered or that a feature selection procedure which minimizes a lower bound on the error rate does not necessarily produce the features of the best classification.

Spatial processing can improve the identification accuracy of the initially classified image. For example, if the completely filled image is shrunk for one iteration with a 4-shrink operator and then filled again, the misidentification and false identification error rates improve to 33%, Table X.3 and Figure X.3. The biggest cause of errors was category 2.4 being assigned to category 1.3 and category 2.6 being assigned to categories 1.3, 2.3 and 2.5. A still greater increase in identification accuracy results if the initially classified image with reserved decisions is operated on with a 4-fill, then 8-fill, then 4-shrink, then 8-shrink operations and then filled up completely (Figure X.4). The resulting contingency table, Table X.4, shows a 32% misidentification error rate and 7% false identification error rate. This is about the same as the best two-band spectral results.

Doing two iterations of a 4-shrink followed by an 8-shrink (Figure X.5) instead of just one iteration as described for the previous classification produces not as good results. Table X.5 shows a 34% misidentification error rate and 7% false identification error rate.

Repeating the 2 band experiment with an alpha threshold of .5 and a beta threshold of .035 reduces the number of reserved decisions to 42,226 with 25,173 reserved decisions due to no assignment and 17,053 reserved decisions due to multiple assignments. The resulting classification (Table X.6 and Figure X.6) gives a misidentification error rate of 37% and a false identification error rate of 38%.

A complete filling of the image (Table X.7 and Figure X.7) gives a misidentification error rate of 38% and 39%. The main cause of error is assigning category 1.3 when the true category is 2.4 and assigning 2.5 when the true category is 2.6. If we do a 4-shrink on the filled image and then completely fill it again (Table X.8 and Figure X.8) we get a misidentification error rate of 32% and a false identification error rate of 36%, but now categories 2.4 and 2.6 are completely misidentified. If instead we do a 4-fill, 8-fill, 4-shrink, 8-shrink and then completely fill up the raw classification (Table X.9 and Figure X.9) we get a misidentification error rate of 30% and a false identification error rate of only 5%. This improvement over the (.3 and .021) result is due to better thresholding. So, even though the raw classification using an alpha threshold of .3 was a few percentage points better than the raw classification using an alpha threshold of .5, the large number of reserved decisions hindered classification accuracy with the fill and shrink operations.

We also did a 4-fill, 8-fill, 4-shrink and complete filling (Table X.10 and Figure X.10) on the raw classification using alpha threshold of .5 to see if we were doing too much shrinking. The resulting misidentification error rate of 32% and false identification error rate of 36% indicates that we were not.

The best 3 band pairs results did significantly increase the accuracy over the two best spectral band pair accuracy and the two best spectral-textural band pair results. The band pairs selected by the feature selection procedure were:

- (1) .40 .44 micrometer band with the 3x3 convolution before and after the textural transform of the .82 .88 micrometer band
- (2) .65 .69 and 2.10 2.36 micrometer bands
- (3) .72 .76 and .981 1.045 micrometer bands.

The alpha-beta thresholds were set at .7 and .049, respectively. This resulted in 25,590 reserved decisions due to no common category assignment and 43,889 reserved decisions because of more than one possible category assignment. The thresholds were set just a little too high.

The contingency table of the initially classified image with reserved decisions is shown in Table X.11. It indicates a 35% misidentification error rate and 37% false identification error rate. Completely filling the initially classified image with reserved decisions yields a misidentification error rate of 38% and false identification error rate of 37%. This identification accuracy (Table X.12) is just below the best 3 band pair spectral results.

If the completely filled image is operated on with one iteration of a 4-shrink operation and then completely filled, the misidentification error rate improves to 29% and false identification error rate improves to 30% (Table X.13 and Figure X.11). The results indicate that almost all resolution cells originally assigned to category 2.4 were neighboring resolution cells of a different category. Hence, the 4-shrink operation eliminated most of the assignments to category 2.4.

The basically scattered assignments to category 2.4 was manifest in the next experiment in which we did a 4-fill, then an 8-fill, then a 4-shrink, then an 8-shrink and a complete filling of the initially classified image with reserved decisions. The contingency table (Table X.14 and Figure X.12) shows a 23% misidentification error rate and a 6% false identification error rate. These results

are definitely better than the corresponding three best spectral band pair results. The main reason for the identification accuracy increase is that most of category 2.6 was assigned to category 2.6; only some of category 2.6 was assigned to category 2.5 and hardly any at all to category 1.3. All of category 2.4, however, was misidentified as category 1.3.

Following the pattern of the previous results, if a double 4-shrink and then 8-shrink operation is applied instead of a single 4-shrink and then 8-shrink, the classification results are not quite as good: a 39% misidentification error rate and 12% false identification error rate. As shown in Table X.15, category 2.4 is misidentified as category 1.3 and category 2.6 is misidentified as category 2.3 and category 2.5.

CONT INGENCY	TABLE FOR	SAMH22GDT	- 1.	SAMH2BB03	- 1.	SCALE F	FACTOR 10**0

	R DEC	1.3	1.4	2.3	2.4	2.5	2.6	7 2	TOTAL	FRR	ERR
NKWN	63115					14605				0	0
• 3	3721	2409	166	199	79	215	85	82	6956	826	26
. 4	981	14	1605	22	14	19	6	9	2670	84	- 5
• 3	4333	59	14	3000	23	157	113	28		394	12
• 4	305	222			42	25_			629	282_	87
• 5	1647	273		171	16	1798	69	11	4034	589	25
. 6	666	8.8	16	145	. 0	441	68	10	1434	700	91
.2	1372	60	181	15	77	1		3917	5625	336	8
OTAL	76140	16040	12862	15719	1308	17261	2239	14527	156096	3211	36
ERR	0	716	435	567	209	858	283	143	3211		
ERR	0	23	21	16	83	32	81	<del> </del>	<del></del>		

Table X.1 The contingency table of the best 2 band pairs for alpha - beta thresholds of .3 and .021.

CONTINGENCY TABLE FOR SAMH22GDT - 1 SMH2F7B03 - 1 SCALE FACTOR 10\*\* 0

			COL	_e = A:	STEN C	AI	KOW =	IKIIE	: CAI			
	R	DEC	1.3	.1 • 4	2•3	2.4	2.5	2.6	7.2	TOTAL	ERR	ERR
				•								
HMKMM		0	29140	22028	28010	2397	24513	4524	16400	127021	. 0	0
1.3		0	5053	437	502	144	476	170			1903	27
1.4		0	3.8	2463	56	20	50	26	17	2670	207	В
2 . 3		ΰ	128	37	6720	115	322	297	108	7727	1007	13
2 • 4		າ	417	16	2.7	89	53	10	8	629	540	86
											•	
2.5			519	133	409	37	2712	166	3.8	4034	1322	33
2.6		2			319		711				1290	90
7.2		0	137	416	2.8		3		4931		694	1.2
TOTAL		r	35667	25556	36771	2009	28840	5350	21695	156096	6963	38
ERR		O.	1465	1065	1341	423	1615	690	364	6963	****	***
FRR		Ο	22	30	17	83	37	83	7	39	****	****

Table X.2 The contingency table of the best 2 band pairs for alpha - beta thresholds of .3 and .021 after a complete filling.

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Figure X.1 The classification of the best 2 band pairs for alpha - beta thresholds of .3 and .021.

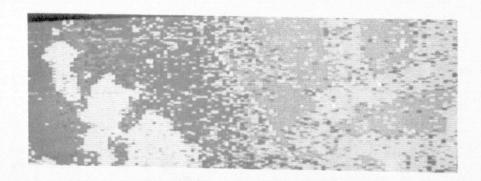


Figure X.2 The classified image of Figure X.1 after a complete filling.

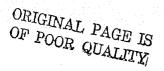
			כטנ	. = AS	SSIGN C	ΑT	ROW =	TRUE	CAT	•		
	R	nFC	1.3	1 • 4	2.3	2.4	2.5	2.6	7.2	TOTAL	ERR	ERR
THIRM		c	29668	20894	30615	995	27276	990	16714	127021	0	0
. 1 - 3		g	6291	183	231	0	160		91	6956	665	10
1.4		ń	30	2499	48	0	84	9	Ō	2670	171	6
2.3		0			7342	93	201	45	37	7727	385	- 5
7.4		n.	550	0	0	70	1	Я	0	629	559	89
2.5		ص	424	79	290	32	3145	47	17	14034	889	22
2 • 6		0	188	1	507	0	-	8		1434	1426	99
7.2		1	2.4	3.7	. 0	0	0	n	5294	5625	331	6
TOTAL		0:		23873	39033	1190	31544	1116	22156	156096	4426	33
FRR		n	1225			125	1173	109	148	4426	****	****
ERR		0	16	19	13	64	27	93	3	33	****	****

Table X.3 The contingency table of the best 2 band pairs for alpha - beta thresholds of .3 and .021 after complete filling, 4-shrink, and complete filling operations.

CONTINGENCY TABLE FOR SAMH22GDT - 1 SMH2F9B03 - 1 SCALE FACTOR 10\*\* 0

			COL	.• = AS	SSIGN C	AT	ROW =	TRUE	CA1			
	R	DEC	1.3	1+4	2.3	2.4	2.5	2.6	7.2	TOTAL	ERR	ERR
177 8 509	yj.	C	31960	18187	33949	0	26251	37	16637	127021	0	. 0
1.3				-	n		247	Ó		6956	247	4
1.4		0.	8	2499	163	0	0	^			1'1	6
2.3		. 0	0	0	7727	0	0	0	. 0	7727	Ō	0
2 • 4		ני	629	0	0	0	0	0	- 0	629	629	100
2.5		n	351	0	48	0	3635	0	0	4034	379	10
2.4		. c		0			609			1434		-
7.2		ŋ		230	0		0	Λ			247	4
TOTAL	Ĺ				42711		30742	3.7		156096		
FRP					1035	0	856	n	0	3127	***	****
L to 1	D D	7	13	8	12		19		0	7	****	****
	,		1.7		12	U	17	n	v			

Table X.4 The contingency table of the best 2 band pairs for alpha - beta thresholds of .3 and .021 after 4-fill, 8-fill, 4-shrink, 8-shrink, and complete filling operations.



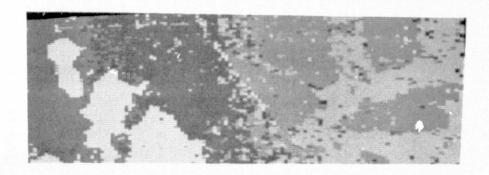


Figure X.3 The classified image of Figure X.1 after complete filling, 4-shrink, and complete filling operations.

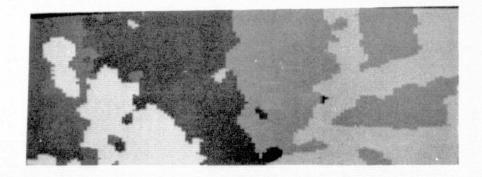


Figure X.4 The classified image of Figure X.1 after 4-fill, 8-fill, 4-shrink, 8-shrink and complete filling operations.

	R DEC	1.3	1 • 4	2 • 3	2•4	2.5	2.6	7.2	TOTAL	. ERR	ERF
Eletararki -	. · n	28283	15512	42380	0	20077		20769	127021	0	0
1.7	r,		C		0	Ö	O.	0	6956	0	. 0
1.4	i ry	2	2499	169	0	0	· •	0	2670	171	6
2.7	C	r	0	7727	0	0	٠.	0	7727	0	0
2.4	n	629	C	0	0	0	n	0	629	629	100
2 6 5	c.	28	n	1410	0	2596	r	0	4034	1438	36
2.5		0	. 0	825	0	609	0	.0	1434	1434	100
7.2	Ç	^	19	0	0	. 0	. 0	5606	5625	19	0
TITAL	Ç	35898	18030	52511	0	23282	0	26375	156096	3691	34
FPR	0	659	: 19	2404	0	609	Ò.	O	3691	****	****

Table X.5 The contingency table of the best 2 band pairs for alpha - beta thresholds of .3 and .021 after 4-fill, 8-fill, 4-shrink, 8-shrink, 4-shrink, 8-shrink, and complete filling operations.

CONTINGENCY TABLE FOR SAMH22GDT - 1 SAMH2 B15 - 1 SCALE FACTOR 10\*\* 0

COL = ASSIGN CAT ROW = TRUE CAT

#### R DEC 1.3 1.4 2.3 2.4 2.5 2.6 7.2 TOTAL #ERR % ERR

UNKI	N35503	24414	13567	18099	1339	19459	2868	11772	12702	1 6	0
1. 3	1706	4328	273	140	59	276	64	110	6956	922	18
1.4	621	19	1894	25	23	56	10	22	2670	155	8
2.3	1875	110	12	5165	29	296	187	53	7727	687	12
2. 4	177	359	20	6	24	29	11	3	629	428	95
								•			
0 F	10/1	I.E		100	01	2101	101	•	4008	07.4	20
7.3	1064	.460	74	190		2106	131	. 8	4034	86v	29
2.6	502	157	11	155	5	534	60	10	1434	872	94
7. 2	778	130	201	29	43	1	5	4388	5625	459	9
TOT	AL42226	30032	16022	23909	1548	22757	3335	16366	15609	64387	37
#ER	R 0	1290	561	545	185	1192	408	206	4387	****	****
			Tata.								
ΣF	KR 0	23	23	10	89	36	87	4	38	****	****

Table X.6 The contingency table of the best 2 band pairs for alpha - beta thresholds of .5 and .035.

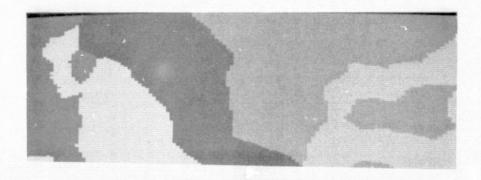


Figure X.5 The classified image of Figure X.1 after 4-fill, 8-fill, 4-shrink, 8-shrink, 4-shrink, 8-shrink and complete filling operations.

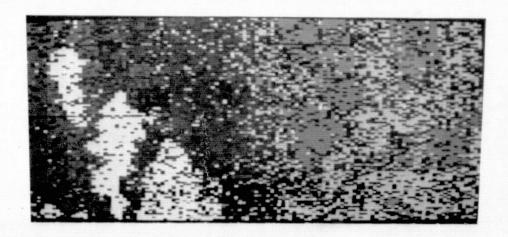


Figure X.6 The classification of the best 2 band pairs for alpha - beta thresholds of .5 and .035.

COL. = ASSIGN CAT ROW = TRUE CAT

## R DEC 1.3 1.4 2.3 2.4 2.5 2.6 7.2 TOTAL BERR X ERR

								· •			
UNKUN		•••	19822 390	24986 220	1979 77	27212 365	4298 95	14938 170	12702 6956	21 0	0 19
1. 3 1. 4	0	5639 31	2436	45	30	79	17	32	2670	234	9
2. 3 2. 4	0	169 496	19 24	6683 9	48 35	443	295 19	70 5	7727 629	1044 594	14 94
•	·	,,,	•				••		-		
2.5	0	625	70	285	. 39	2816	186	13	4034	1218	30
26	0	256	21	250	7	784	99	17	1434	1335	93
7. 2	0	265	284	37	62	1	7	4969	5625	₹56	12
TOTAL	0	41267	23066	32515	2277	31741	5016	202141	5609	66398	38
MERR	0	1842	808	846	263	1713	619	307	6398	****	*****
% ERR	0	25	25	11	88	38	86	6	39	****	*****

Table X.7 The contingency table of the best 2 band pairs for alpha - beta thresholds of .5 and .035 after a complete filling.

CONTINGENCY TABLE FOR SAMH22GDT - 1 SMH2F2B05 - 1 SCALE FACTOR 10++ 0

COL = ASSIGN CAT ROW = TRUE CAT

#### R DEC 1.3 1.4 2.3 2.4 2.5 2.6 7.2 TOTAL HERR X ERR

UNKIN	0	33077	18716	27493	227	32230	246	15032	12702	1 0	0	
1.3	0	6849	53	24	0	15	0	15	6956	107	2	
1.4	0	12	2498	47	0	112	0	1	2670	172	6	
2.3	0	20	Ú	7431	3	260	13	0	7727	296	4	
2.4	0	629	0	0	0	0	0	0	629	629	100	
2, 5	0	387	10	154	0	3483	0	0	4034	551	14	
2.6	0	130	0	330	0	974	0	0	1434	1434	100	
7. 2	0	112	133	0	8	0	0	5372	5625	253	4	
TOTAL	0	41216	21410	35479	238	37074	259	20420	15609	63442	32	
<b>IERR</b>	0	1290	196	555	11	1361	13	16	3442	*****	****	

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% ERR 0 16 7 7 100 28 100 0 36 \*\*\*\*\* \*\*\*\*\*

Table X.8 The contingency table of the best 2 band pairs for alpha – beta thresholds of .5 and .035 after complete filling, 4-shrink, and complete filling operations.

- 89

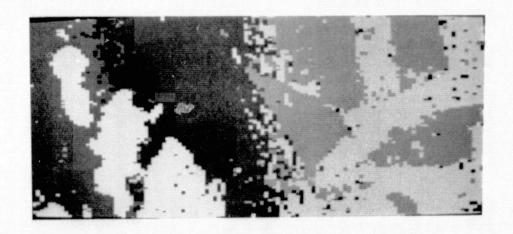


Figure X.7 The classified image of Figure X.6 after a complete filling.

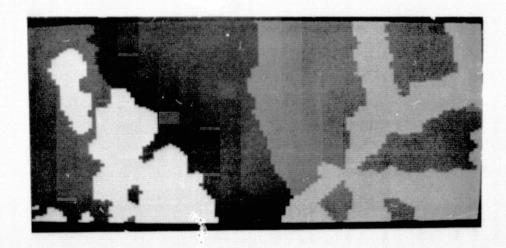


Figure X.8 The classified image of Figure X.6 after complete filling, 4-shrink and complete filling operations.

COL. = ASSIGN CAT ROW = TRUE CAT

#### R DEC 1.3 1.4 2.3 2.4 2.5 2.6 7.2 TOTAL BERR X ERR

UNION	0	32498	17232	33984	o o	26684	0	16623	12702	21 0	0
1. 3	0	6956	. 0	0	0	0	.0	0	6956	C	0
1, 4	Ö	0	2499	140	0	31	0	0	2670	171	6
2.3	0	0	0	7717	0	10	0	0	7727	10	0
24	0	629	0	. 0	0	0	0	0	629	629	100
2.5	0	351	. 0	0	0	3683	0	. 0	4034	351	9
2.6	Ŏ	0	Ŏ	825	Ô	609	0	0	1434	1434	100
7. 2	Ŏ		19		Ó	0	Ö	5588	5625	37	1
TOTAL	0	7	19750		0	31017	0	22211	15609	62632	30
<b>#ERR</b>	0	<b>9</b> 98	19	965	0	650	0	0	2632	*****	*****
X ERR	0	13	1	11	0	15	0	0	5	****	****

Table X.9 The contingency table of the best 2 band pairs for alpha - beta thresholds of .5 and .035 after 4-fill, 8-fill, 4-shrink, 8-shrink, and complete filling operations.

CONTINUENCY TABLE FOR SAMH22GDT - 1 SMH2F6B05 - 1 SCALE FACTOR 10\*\* 0

COL = ASSIGN CAT ROW = TRUE CAT

A 22077 19714 27402 220 2220

#### R DEC 1.3 1.4 2.3 2.4 2.5 2.6 7.2 TOTAL #ERF X ERR

244 15022 127021

CLE MU	V	33011	18/14	2/473	229	32230	240	10027	12/02	(1)	. 0
1. 3	0	6849	53	24	0	15	.0	15	6956	107	2
1.4	0	12	2498	47	0	112	0	1	2670	172	- 6
2.3	0	20	0	7431	3	260	13	0	7727	296	<u></u>
2.4	0	629	0	0	0	0	0	0	629	629	100
2.5	0	387	10	154	0	3483	0	0	4034	551	14
2.6	0	130	0	330	0	974	0	0	1434	1434	100
7. 2	0	112	133	0	8	0	0	5372	5625	253	4
TOTAL	0	41216	21408	35479	240	37074	259	20420	15609	63442	32
#ERR	0	1290	196	555	11	1361	13	16	3442	****	****
Y F00	۸	44		-	100	20	100	^	21		
X ERR	· U	10	1	, <i>!</i>	100	ΣŔ	100	Ų	చరి	25533	<b>电子开发</b> 音

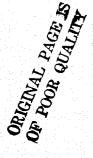


Table X.10 The contingency table of the best 2 band pairs for alpha – beta thresholds of .5 and .035 after 4-fill, 8-fill, 4-shrink, and complete filling operations.



Figure X.9 The classified image of Figure X.6 after 4-fill, 8-fill, 4-shrink, 8-shrink, and complete filling operations.

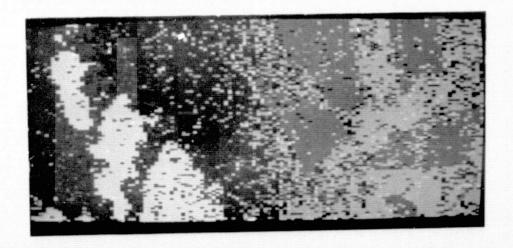


Figure X.10 The classified image of Figure X.6 after 4-fill, 8-fill, 4-shrink and complete filling operations.

	R DEC	1.3	1 • 4	2.3	2.4	2.5	2.6	7.2	TOTAL	ERR	ERR	
JNKWN	158517	15045	8859	14874	697	11310	8036	9683	127021	0	0	
1 • 3	3126	3130	83	51	66	157	244	99	6956	7 70	18	
1.4	917	6.2	1577	4	7	53	47	. 3	2670	176		•
2.3	2004	8.7	10	4918	14	278	374	42	7727	8 ) 5	14	
2 • 4				4		34					94	
2.5	2367	217	14	91	12	1038	290	5	4034	6 2 9	38	
2.6	781	53	7	93	1	242	241	16	1434	412	63	
7.2		.255	209	42	18	5	9	3659	5625	538	13	
		19048	10763	20077	831	13117	9269	13512	156096	3534	35	
ERR	0	873		285								
ERF	₹ 0	22	17	5	88	43	80	4	37	****	****	

Table X.11 The contingency table of the best 3 band pairs for alphabeta thresholds of .7 and .049.

CONTINGENCY TABLE FOR SAMH22GDT - 1 SMH2F7B04 - 1 SCALE FACTOR 10\*\* C

COL. = ASSIGN CAT						ROW = TRUE CAT						
·	R DFC	1.3	1 • 4	2•3	2 • 4	2.5	2.6	7.2	TOTAL	ERR	ERR	
UNKWN							17170					
1.3 1.4 2.3		558.9 125 141		10		99	470 103 629	5	2670	1367 351 1375	20 13 18	
2.4		404		9			77		629	590	94	
2•5 2•6							706 471			1478	37 67	
7.2 TOTAL	f:	441	377	5.8	33	13	17	4686	5625	039	17	
FPR							200,5					
ERR	J.	24	21	8	85	39	81	6	37	****	****	

Table X.12 The contingency table of the best 3 band pairs after a complete filling.

ROW =

TRHE

CAT

									•			
	R	DEC	1.3	1.4	2.3	2•4	2.5	2.6	7.2	TOTAL	ERR	ERR
บนหพา		U	<b>2</b> 9161	17790	2431	19	26491	14884	14646	127021	. 0	0
1.?		0	6739	23	n	0	22	61	112	6956	217	3
1.4		r)	18	2481	. 0	0	36	135	Õ	2670	189	0 3 7
2.3		0	(1	0	7155	. 0	276	296	0	7727	572	7
2.4		. 0	581	0	1	0	28	19	0	629	629	100
2.5		c	416	0	. 172	6	3172	268	0	4034	862	21
2.6		Ŋ	0	Ō	106	Õ		613	ő	1434	821	57
7.2		C.	279	196		ō		0	5150			8
TUTAL		O'		20490			30740				3765	29
EHR		U	1294	219	279	6	- :	77 <sub>8</sub>	112	3765	****	****
FRR	!	o,	16	8	4	100	25	56	2	30	****	****

COL. = ASSIGN CAT

Table X.13 The contingency table of the best 3 band pairs after complete filling, 4-shrink, and complete filling operations.

CONTINGENCY.	TABLE FOR	SAMH22GDT	- 1	SMH2F9B04 - 1	SCALE	EVCIOS 10**	O.

		cou	- = AS	SSIGN C	AT	ROW =	TRUE	CAI	•		
R	DEC	1.3	1.4	2.3	2 • 4	2.5	2.6	7.2	TOTAL	Ef:R	ERR
UTIENN	0	31125	16788	29548	0	26088	6792	16680	127021	0	0
1.3				Ω	0				6956	0	. 0
1.4	n			67	0	0			2670	1"1	6
2 - 3		. 0	0	7727	0	0	0	0	7727	0	0
2 • 4	O				0	0	n			629	100
2.5	C	351	C	0	. 0	3683	. 0	0	4034	3!11	9
2.5				2	0	609	822	0	1434	6.2	43
7.2				U	0	0	0	5404	5625	2::1	4
LATOT	O	39231	19339	37344	0	30380	771A	22084	156096	1984	23
ERR				69		609	104	0	1984	****	****
FRR	0	14	2	1		14	11	0	6	***	****

Table X.14 The contingency table of the best 3 band pairs after 4-fill, 8-fill, 4-shrink, 8-shrink and complete filling operations.

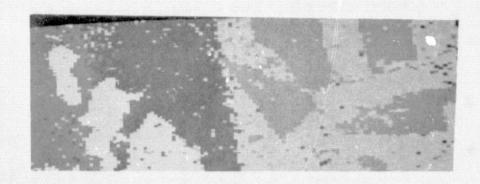


Figure X.11 The classification of the best 3 band pairs for alpha - beta thresholds of .7 and .049 after complete filling, 4-shrink, and complete filling operations.

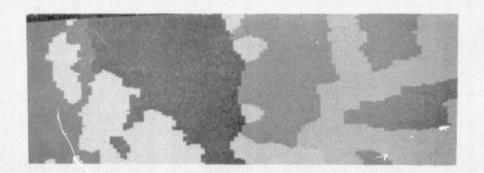


Figure X.12 The classification of the best 3 band pairs for alpha - beta thresholds of .7 and .049 after 4-fill, 8-fill, 4-shrink, 8-shrink, and complete filling operations.

			COL	• = A:	SSIUN C	ΑŤ	ROW =	TRUE	E ÇA1			
	R	DEC	1.3	1.4	2 • 3	2 • 4	2 . 5	2.6	7.2	TOTAL	ERR	ERR
THEFT		n	28375	11135	47409	0	16118	n	23994	127021	0	0
1.3		O	6956	C		. 0	0	Λ	0	6956	0	0
1.4		0	1	2499	171-	0	0	0	0	2670	171	6
2.3		Ü	1.	_	7551	0	176	<b>n</b>	0	7727	1.76	2
2 • 4		. (	629	ຄ	. 0	.0	0	<b>n</b>	0	629	629	100
2.5		U	245	ί,	2513	0	1276	0	0	4034	2758	68
7.6		Ö	- c	. 0		. 0	609	n	. 0	1434	1434	100
7.2		9	j			ō	0	n	5538	5625	87	2
TUTAL		ü	36225			0	18179	0	29532	156096	5255	39
FRR		n			3509	0	785	n	0	5255	****	****
FRR	:	n	11	3	32	0	38	n	0	12	****	****

Table X.15 The contingency table of the best 3 band pairs after 4-fill, 8-fill, 4-shrink, 8-shrink, 4-shrink, 8-shrink, and complete filling operations.

### XI Spectral-Textural Analysis: Edit 9

With this edit we experimented to find the best texture transforms. The .82 - .88 micrometer band was chosen as the band having the most spatial information (Figure XI.1). Figure XI.2 is a 2x2 rectangular convolution of the .82 - .88 micrometer band and Figure XI.3 is a 3x3 rectangular convolution of the band. Each of these bands were used as inputs into the texture transform. The resulting textural transform images are shown in Figures XI.4, XI.5 and XI.6. Each of these were convoluted with a 2x2 window size (shown in Figures XI.7, XI.8, XI.9). Finally the textured transforms were convoluted with a 3x3 convolution window giving us 3 more texture images (Figures XI.10, XI.11 XI.12). Using our own visual discretion we chose the textural transform with a 3x3 rectangular convolution after and the 3x3 rectangular convolution before transforming with a 3x3 rectangular convolution after transforming as the two texture bands with the most information (these are shown in Figures XI.10 and XI.12).

We combined these 2 texture bands with the spectral bands and the feature selector chose band pairs .40 - .44 micrometers and the 3x3 rectangular convolution before and after the textured transform with .65 - .69 and 2.10 - 2.36 micrometers as the 2 best band pairs for classification. Band pair .72 - .76 and .981 - 1.045 micrometers was selected with the other two for the best 3 band pairs. Figure XI.13 and XI.14 show the graphs of the threshold alpha against the number of reserved decisions. For best 3 band pairs the best alpha threshold was .7 with a beta threshold of .049.

To check the choice of thresholds we checked several results using different thresholds. The best 3 band pairs classification with alpha, beta thresholds of .3 and .021 gave us a misidentification error rate of 20% and a false identification error rate of 20% (Table XI.1 and Figure XI.15). The error rate was low but the total number of reserved decisions 104,531 is high. Only 89 of these points were reserved due to more than one assignment, while 104,443 points were reserved because of no assignment. The largest cause of error was due to misidentification of category 2.6 as category 2.5, both subclasses of loblolly pine.

Post processing with a 4-shrink and then a complete filling we obtained misidentification and false identification error rates of 36% and 20%. Both category 2.6 and category 3.1, laurel oak, had misidentification error rates of 100% (Table XI.2 and Figure XI.16). Though the shrink operation usually reduces error, if a sparse category is assigned correctly, the shrink operation here tended to wipe out the category. Table XI.2 shows us that this happened to category 2.6 and category 3.1. If instead of a shrink we first did a 4-fill, then a 4-shrink and then a complete filling, the resulting contingency table is Table XI.3 (Figure XI.17). The misidentification error rate was 18% and the false identification error rate was 16%, but the misidentification error rate for category 2.6 was still high at 41%. The main cause of error is the confusion of 2.6 and 2.5. The only way left to eliminate the confusion is to change thresholds.

Values of .6 and .042 for the alpha, beta thresholds resulted in a misidentification error rate of 25% and a false identification error rate of 28% (Table XI.4). The misidentification error rate for categories 2.5 and 2.6 were 31% and 34%, respectively. If .7 and .049 are chosen for the alpha and beta thresholds we get error rates of 25% and 31%, but the misidentification error rate for category 2.6 is only 24% and the misidentification error rate of category 2.5 is 31% (Table XI.5). The number of reserved decisions is 71,919 with 43,045 points being reserved because of more than one assignment and 28,874 points reserved because of no assignment. With thresholds for alpha and beta of .8 and .063, the misidentification and false identification error rates were 28% and 32%, respectively (Table XI.6). Though the misidentification error rate for category 2.6 has been reduced to 19% and for category 2.5 it was reduced to 21%, the misidentification and false identification error rates for category 3.1 have grown to 62% and 62%, and for category 4.2 the rates have gone up to 52% and 45%. In addition the number of reserved decisions has risen to 121,716 indicating that the thresholds have gotten too high.

Since the error rates for Table XI.4 and Table XI.5 were almost the same, the results from the classification with thresholds of .7 and .049 should be better for post processing. The main cause of error had been with categories 2.5 and 2.5 and this classification showed lower error rates for these categories.

If we fill up the image with alternating 4-fill and 8-fills we get a misidentification error rate of 27% and a false identification error rate of 33% (Table XI.7). This is no improvement on the raw classification so the shrink operation is needed to eliminate incorrect assignments. Post processing with a 4-fill and an 8-fill so the shrink operations do not wipe out sparsely populated categories, then doing a 4-shrink and 8-shrink and finally a complete filling, we obtain a misidentification error rate of 8% and a false identification error rate of 11% (Table XI.8 and Figure XI.18). The misidentification error rate for category 2.6 was reduced to 0 and the confusion between category 3.1 and 4.2 was small. As was the case with the spectral analysis the misidentification of category 2.5 with 1.3 is the main cause of error. Though the texture analysis gives better overall results, it cannot overcome the inability of the decision rise to separate categories 2.5 and 1.3 in the lower right hand corner of the timber stand map.

The results of the best 2 band pairs classification were not as good. The contingency table resulting from alpha, beta thresholds of .3 and .021 resulted in a misidentification error rate of 25% and a false identification error rate of 31% (Table XI.9 and Figure XI.19). If we do a 4-fill, 4-shrink and fill up we get error rates of 23% and 29% (Table XI.10 and Figure XI.20). If we shrink first and then fill up, the results showed improvement with a misidentification error rate of 15% and a false identification error rate of 20% (Table XI.11 and Figure XI.21).

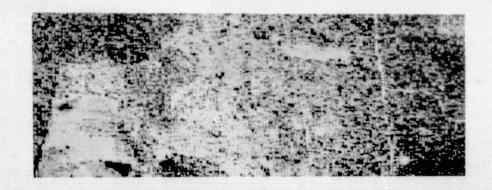


Figure XI.1 The .82 - .88 micrometer band used for the texture transform.

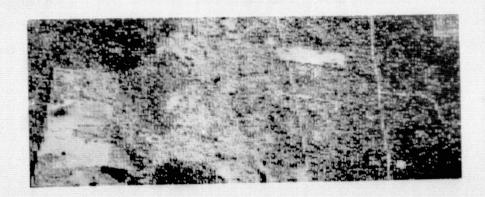


Figure XI.2 Shows Figure XI.1 after a 2x2 rectangular convolution.

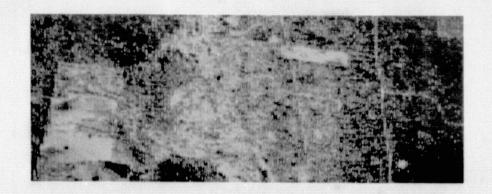


Figure XI.3 Shows Figure XI.1 after a 3x3 rectangular convolution.



Figure XI.4 The texture transform of Figure XI.1.

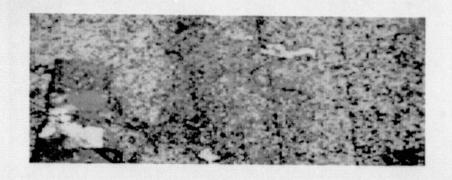


Figure XI.5 The texture transform of Figure XI.2.



Figure XI.6 The texture transform of Figure XI.3.

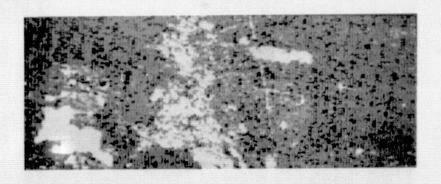


Figure XI.7 Shows Figure XI.4 after a 2x2 rectangular convolution.

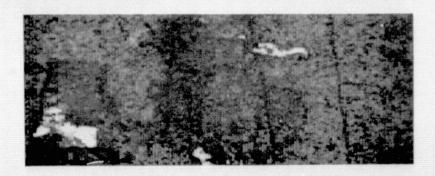


Figure XI.8 Shows Figure XI.5 after a 2x2 rectangular convolution.



Figure XI.9 Shows Figure XI.6 after a 2x2 rectangular convolution.

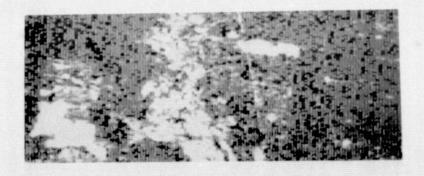


Figure XI.10 Shows Figure XI.4 after a 3x3 rectangular convolution.

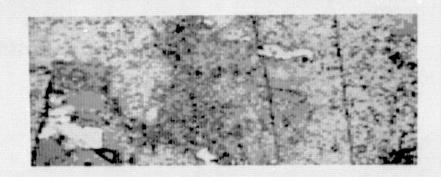


Figure XI.11 Shows Figure XI.5 after a 3x3 rectangular convolution.



Figure XI.12 Shows Figure XI.6 after a 3x3 rectangular convolution.

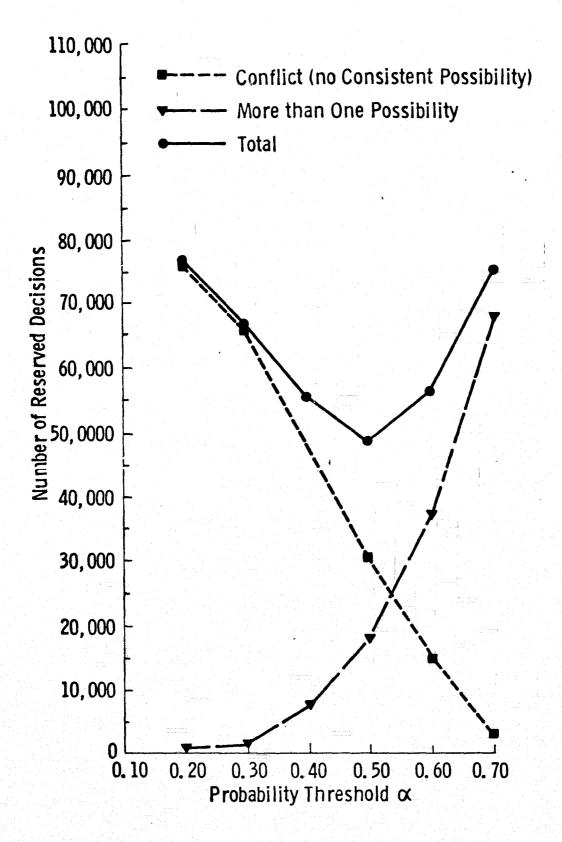


Figure XI.13 Number of reserved decisions as a function of probability threshold alpha for best 2 band pairs with texture for edit #9

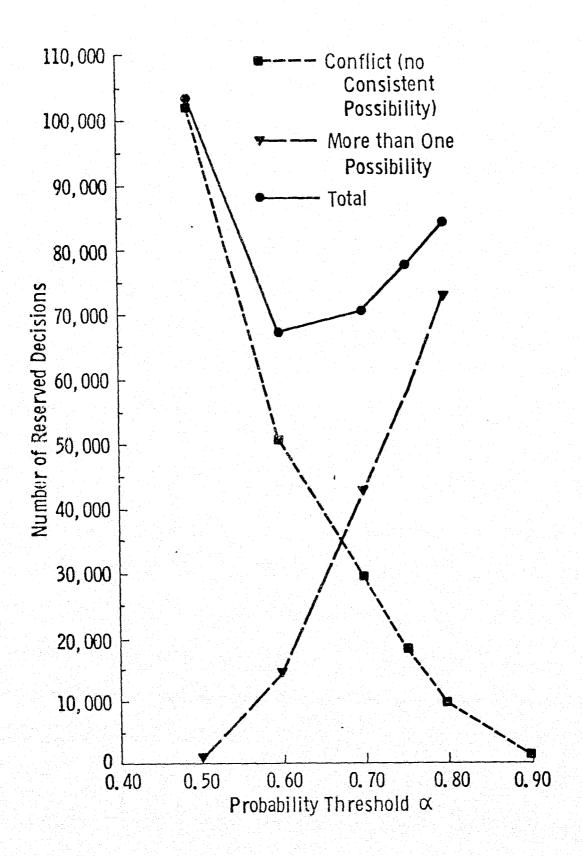


Figure XI.14 Number of reserved decisions as a function of probability threshold alpha for best 3 band pairs spectral only for edit #9

•		COL	• = AS	SIGN C	AT	_ROW =	- TRUE	CA1	T		<del></del>
	R DEC	1.3	2+3	2.5	2.6	3•1	4.2	7.2	TOTAL	ERR	ERF
UNK	IN86919	9814.	643	_ 6838 .	1952	_1028	_1686_	3979	112859 .	. <u>.</u> . o.	O.
	4281										
	695										
	7017										
_2.6.	2251_	1-	7_	167_	205_	1_			2645-	189-	48
• 1 + + 1							•	"IT."			
3•1	1249	0	0	0	1	207	61	9	1527	71	26
_4.2	1407	0	0	<b></b> 6-	9	62-	209.	8	1701.	85	29
7.2	712	0	1	0	1	1	2	488	1205	:5	1
LOTA	( <u>  104531_</u>	15246.	881_	10465_	2330_	_1300_	_1973_	4500	_141226_	1723	20
ERF	? 0	1109	26	239	173	65	78	33	1723	***	***

Table XI.1 The contingency table of the best 3 band pairs for alpha — beta thresholds of .3 and .021.

			COL	. = AS	SSIGN C	AT TA	ROW =	TRHE	CÁI			-
	R	DEC	1.3	2.3	2.5	2•6	3.1	4.2	7.2	TOTAL	ERR	ERR
7.1	UNKWN	0	30028	1405	32582	4508	0	3121	41215	112/359		0
	1.3	0	8685	0	0	0	0	0	Ó	8685	0	0
	7.7	0.	12	913	0	0	_ 0	<b>^</b>	0	925	12	1
	2.5	Ō.	4773	0	6906	0	0	i 0	0	11679	4773	41
	2.6	0	0	0	1160	o_	0	n	1485	2645	2645	100
• =	3.1	0	·	0	0	0	0	472	1055	1527	1527	100
	4.2	0	0	0	265	0	0	1436	0	1701	265	16
	7.7	0	0	0	0	0	0	, 0	1205	1205	0	0
	TOTAL	0	43498	2318	40913	4508	o	5020	44960	141226	9222	36
	ERR	0	4785	. 0	1425	0	0_	472	2540	9222	***	***

Table XI.2 The contingency table of the best 3 band pairs for alpha – beta thresholds of .3 and .021 after 4-shrink and complete filling operations.

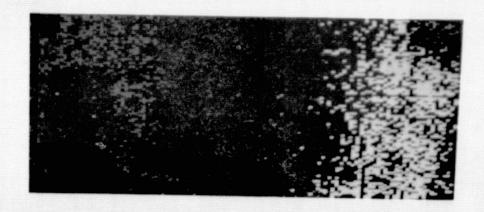


Figure XI.15 The classification of the best 3 band pairs for alpha – beta thresholds of .3 and .021.



Figure XI.16 The classified image of Figure XI.15 after 4-shrink and complete filling operations.

<b></b>		COL	,• = A: 	551GN (	CAT	ROW	• TRU	E CA	T		
<del></del> -	R_DE	C_1.3 _	2 • 3	2.5_	2•6	3.1	4.2		IOTAL	ERR_	ERI
UNKWN		24841	3096	29210	13581	7245	13346	21540	112859		0
1.3	0	8505	4	160	. 16_	0	0	0	8685	_ 180	. 2
2 • 3	0	37	865	0	•	0	n	18	925	60	6
2.5	0	3440	8	8071	116_	0	2	42	.11679.	3608	31
2•6	0	14	62	870	1552	6	108	33	2645	1093	41
3.1	0	0	0	0	22_	1099	338	68	1527	428	28
4.2	0	0	0	32	15	203	1405	46			17
7.2	0	0_	0	0	5_	8	20	1172	1205	33	3
TOTAL	0	36837	4035	38343	15312	8561	15219	22919			18
ERR					179					****	*****
ERR	o	29	8	12	10	16	25	15	16	****	****

\_\_ Table XI.3 The contingency table of the best 3 band pairs for alpha – beta thresholds of .3 and .021 after 4-fill, 4-shrink, and complete filling operations.

co	NTING	NCY TA	BLE FO	R SAN	1H33GT0	- 1	s	AMH3RF	303 -	1	
					: -						
		COL	• = AS	SIGN (	AT	ROW =	TRI)E	CAT			
	R_DE	1.3	_2.3_	_2.5_	2.6	_3.1	4.2	7.2	TOTAL	ERR	ERR
		14295							112859		0
l.3_ 		5764_ 5764_		314_		15		11_ 34	8685_ 9 <i>2</i> 5	430_ 85	
		1591_	67	_5200	_	-		•			31_
2.6	1249	12	23	276	926	55	90	14	2645	470	34
3 • 1		O_,							1527_		
	1013	0			47		350		1701	338	49 13
. 7 • 2		21688								3518	13. 25
		1629_									
FRE	₹ 0	22	23	10	45	43.	44	15	28	****	****

Table XI.4 The contingency table of the best 3 band pairs for alpha - — beta thresholds of .6 and .042.

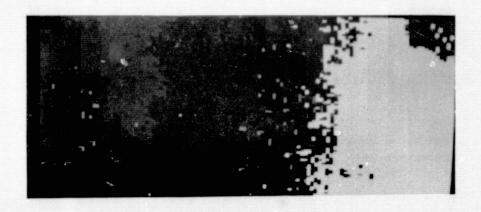


Figure XI.17 The classified image of Figure XI.15 after 4-fill, 4-shrink and complete filling operations.



Figure XI.18 The classification of the best 3 band pairs for alpha - beta thresholds of .7 and .049 after 4-fill, 8-fill, 4-shrink, 8-shrink, and complete filling operations.

	R TFC	1.3	2.3	2.5	ე2∙ნ ™	3.1	4 • ?	7.2	τοτλι	- ERR	ER
زوروني ده.	n 242	1 746	5798	10826	14162	6374	7455	681B	112859	ņ	0
2.3	75.3°	23									
2 • F	51,77	871	11.		*	1 2					
7.6	1113	14	32	162	1133	<u> </u>	, ,	? 2	2645	359	21
761	1 65		1	1.	37						
4•? 7•2	1235 436	G U	14			138 69					
ERR	7]9]9. 3	1625t 968				237					
FRR	0	16"	32	12		4.8	- 45	15	31	****	- 

Table XI.5 The contingency table of the best 3 band pairs for alpha - beta thresholds of .7 and .049.

							•				
		COL	• = AS	SIGN C	AT	ROW =	TRUE	CAT			
	R DEC	1.3	2 • 3	2 • 5	2•6	3•1	4 • 2	7•2	TOTAL	. ERR	ERI
UNKWN	77048	2878	549	3961	5003	503	468	2449	112859		0
1.3	7457	1011	35	107	6.5	4	1	5	8685	217	18
2.3	778	7	112		23	2	0.	2	925	35	24
2.5	10168	84	30	1188	196	7	4	2	11679	323	21
2.6	2151	0	8	62	402		7	8	2645	92	19
3.1	1480	v	υ	2	14	18	8	5	1527	29	62
4.2	1647	0		2	11	5	26	10	1701	28	52
7.2	987	0	1	0	7	4	1	205	1205	13	6
TOTAL	21716	398J	735	5323	5721	550	515	2686	141226	737	28
ERR	0	91	7.4	174	316	29	21	32	737	****	****
				-,-							

\_\_\_ Table XI.6 The contingency table of the best 3 band pairs for alpha - \_ beta thresholds of .8 and .063.

	R	DFC	1.7	7.7	7.5	2.6	3:1	4.7	- 7 <sub>6</sub> 7	ב. דמד אנו	FRF	- ERR
re ar		·	18546	45.0	*20.25.1	29258	16242	10331			O.	0
?•? ?•5		: : :	7177- 37 276"	76.2 22.2					<del>5</del> %		16:-	
7.5			78	51	291	7785	124	147	46	<u> </u>	659	- 75
7•! 1•? 7•?		n n	- · · · · · · · · · · · · · · · · · · ·	74	15	126 208 22	149	<del>ሳ</del> ለም	1008	1527 1701 1205	— ⊹ ეთ~•	15
ERR		<del>-t,</del> U	20007 2117.	<del>- 5715</del>	1192	<del></del>	77742 784	11950	100 mg	7 141226 8080	<del>- 878.1.</del>	27
FRE		C	- 22	37		5 <i>7</i> -	46	317	21	. 33	****	****

Table XI.7 The contingency table of the best 3 band pairs for alpha - beta thresholds of .7 and .049 after a complete filling.

CONT	INGF	NCY TA	RLF F	OR SA	Наабтг	) - 1	5	MH3F3f	305 -	1	
		COL	• = A	SSIGN C	ΑŤ	R\$V+=	TRUE	CA1	3		
+ + F	DEC	1.3	2•3	2 • 5	2.6	3•1	4•2	7•2	TOTAL	ERR	ERR
Oukiški	O	20610	1986	22813	28848	15027	7502	16073	112859	O	0
2.3	U U	8347 C	925	338 ()	0 0	0	Λ Λ	0	36.85 9.25	338 0	4 0
215 2•6	Ü	2677 0	0	8175 0	663 2645	234 0	ņ	0	11677 2645	35 '4 C	31 0
3.1	0			0 0	0	1459 184	68 1517	<u>ი</u>	1527	184	11
7.2 TOTAL	U U	31634	6941	331256	12156	74 16978	9087	1131 17204	141226	74 4238	6 8
- EKB	<del> 5</del>	7.677	9Z	प्रक्ष	6×3	7/75	69	0	4278	****	****
FFR	Ü	24	U	4	20	25	4	C	11	****	****

Table XI.8

The contingency table of the best 3 band pairs for alpha –
beta thresholds of .7 and .049 after 4-fill, 8-fill, 4-shrink, –
8-shrink, and complete filling operations.

						,							
				COL	۵.۸.≃ ــمـ	SIGN_C	<u> </u>	_RON_=	IRLE	CAI	· 		
									•				
<del></del>			R DEC	1.3	2.3	2.5	2.6	3 • 1	4.2	7.2	TOTAL	FR	ERR
			56293	14830	3540	7414	7759	5338	6710	10066	112859	n	0
		1.3		6 41		188	.76	10	21	9	8685	314	5
		2.3	569	ດ	254	7	30	13	1	33	925		26
		2.5	5(-9-1-	188 -	67	3694	809	. 4	116	19	11679	2875	44
		7.6	1639	3_	191	185	569	35	_106_	7	2645	437	43
						•							
		3.1	775	2	6	3	11	631	]]5	24	1527	151	20
		4.2	773	0	3	3	47	174	681	20	1701	2.7	27
		7.2	256	J	32	Ú	2	6:)	5	850	1205	79	10
		TOTAL	57684	22765	41132	11494	93()3	6265	7755	11928	141226	4246	25
	-	EKR	ν	1894	219	386	975	296	364	112	4246	****	****
		FRI	رن د	24	45	9	63	32	35	1.2	21	****	****

Table XI.9 The contingency table of the best 2 band pairs for alpha - beta thresholds of .3 and .021.

		COL	A A	SIGN	AT	ROW =	TRiji	- CA			
F	DE	C 1.3	2 • 3	2•5	2•6	3•1	4 • 2	7.2	TOTAL	ERR	ERF
	100			• 1							
UNKWN	0	24365	8111	15641	19961	12645	15073	17063	112859	<del>-</del>	0
1.3	Ö	8255	9		114	2	21	38	8685	430	5
2 . 3	0	37	690	18	79	29	'n	72	725	235	25
2.5	0	3371	113	6561	1357	0	234	43	11679	5118	4.4
2.6	O	8	238	340	1619	102	320	18	2645	1026	39
			20			1200	159	24	1527	228	15
3.1	O	······································	20 10	4	$\frac{21}{74}$	1299 270	1311	32	1701	3 £ 8-	23
4 • 2 7 • 2	0		24	0	2	106	. 1017	1064	1205	141	12
TOTAL			9215	22812	23777	14453	17129	18354	141226	7566	23
ERR		3416			1647	509	743	227	7566	****	****

<sup>-</sup> Table XI.10 The contingency table of the best 2 band pairs after 4-fill, - 4-shrink, and complete filling operations.

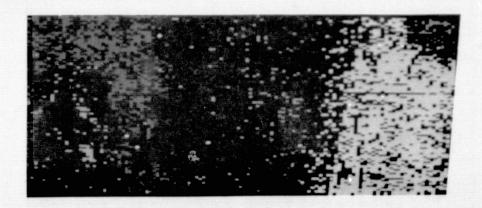


Figure XI.19 The classification of the best 2 band pairs for alpha - beta thresholds of .3 and .021.



Figure XI.20 The classified image of Figure XI.19 after 4-fill, 4-shrink, and complete filling operations.

							·			·	
		CCI	• = AS	55164 C	AT	RO# ■	TRUE	ΕCΛ]			
_, ,											
	₹ DEC	1.3	2 • 3	2.5	2•6	3 • 1	4.2	7•2	TOTAL	ERR	ER
મુક્ત કર્ય		24725	746	14269	20297	10500	14622	20203	112859_	^	0
1.3	U	8551	852	84	22	0	0	29 52	8685 925	135	2 8
2 • 5 2 • 6	<del></del>	38.9	81 156	6669 364	958 1942	0 47	147	15	11679 2645	5010 703	43 27
£ •->		<del> </del>	*								
?•1		Ĺ	,	:	0 28		86 1428	5 28	1527	91 203	6
4 • 2 <u> </u>	. ()	U	· · · · ·	. 5	O	90	Ų	1125	1295	80	7
ISIAL		37 <u>′84</u> 38+9	<u>8549</u> 237	21775 448	23255 1029		16490 360		_ <b>141226</b> _ 6295	<u>6295</u>	****

Table XI.11 The contingency table of the best 2 band pairs after 4-shrink and complete filling operations.

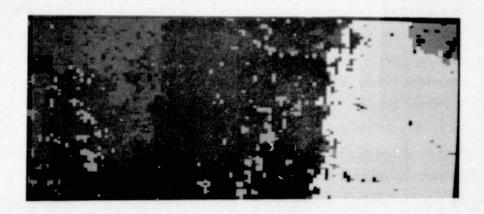


Figure XI.21 The classified image of Figure XI.19 after 4-shrink and complete filling operations

# XII Spectral-Textural Analysis: Edit 14

The spectral texture analysis of edit #14 began just like that of the other edits except the feature selection did not choose a texture band as one of the best 2 or best 3 band pairs. We, nevertheless, did an experiment with 2 band pairs.

We chose bands .40 - .44 and .72 - .76 with bands .72 - .76 and the texture transform image. The texture image was the result of a 3x3 convolution of the .82 - .88 micrometer band as input into the texture transform and a 3x3 convolution after the texture transform. The alpha and beta thresholds were .3 and .021, respectively. Figure XII.1 shows the .82 - .88 micrometer band used for the texture transform. The texture transformed image that was used for processing is shown in Figure XII.2. Figure XII.3 shows the texture transform result with no convolution before transforming and with a 3x3 convolution after. The feature selector did not choose this band and visually we can see that it has much less spatial information than the texture transform that was chosen.

The contingency table that resulted from the table look-up rule (Table XII.1) shows a 43% misidentification error rate and a 44% false identification error rate. This is not nearly as good as the spectral results. There were a large number of reserved decisions, 72,804, due to too low thresholds.

The main reason for the larger error was increased confusion between all categories and category 7.2, not site prepared. These errors were small on the spectral analysis.

Using the same spatial post processing that we used in the spectral analysis we reduced the error most of the time but not always. After a 4-fill, 8-fill, 4-shrink, 8-shrink, we eliminated almost all errors in the spectral analysis (Section VIII) but with this spectral-textural analysis (Table XII.2) we increase misidentification error on category 4.1 to 91%, and on category 2.3 it was about the same (59%) as before post processing.

The final filling of the image (Table XII.3) reduced the error rates to 35% and 31% but did not come close to the 85% classification accuracy of the 2-band spectral results. This might have been due to the texture function used or to the fact that there was little textural distribution between the categories in this image.

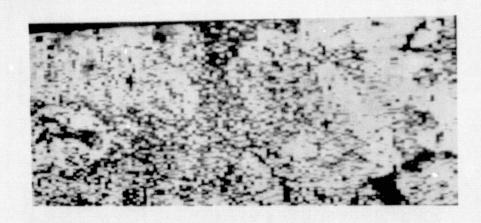


Figure XII.1 The .82 - .88 micrometer band used for the texture transform.



Figure XII.2 The texture transform of Figure XII.1 with a 3x3 rectangular convolution before the texture transform and a 3x3 rectangular convolution after.



Figure XII.3 The texture transform of Figure XII.1 with no rectangular convolution before the texture transform and a 3x3 rectangular convolution after.

		col	. = A	SSIGN (	CAT	RO∵ =	TRUE	CAT	•
	R DEC	2.3	2 • 5	4 • 1	7.2	TOTAL	ERP	ERF	t SD
บทหพท	65335	7345	13057	11622	22637	119946-		0	. 0
2.3	2816	1028	444	281	406	4975	1131	52	0
2.5	2005	383	2445	115	30	4978	524	18	0
4.1	1106	216	105	212	110	1749	431	67	1
7+2	1542	229	133	112	898	2914	474	35	Ō
TOTAL	72804	9201	16134	12342	24081	134562.	2564	43	0
ERR	0	828	682			2564			****
ERR	. 0	45	22	71	38	44	****	****	****

Table XII.1 The contingency table of the best 2 band pairs for alphabeta thresholds of .3 and .021.

### CONTINGENCY TABLE FOR SAMH42GDT - 1 SMH454B03 - 1 SCALE FACTOR 10\*\* 0

	•	COL	• = AS	ROW =	TRUE	CAT			
	R DEC	2 • 3	2.5	4•1	7.2	TOTAL	. ERR	ERR	<b>S</b> D
UUSUA	****	569	3254	2962	10390	119946	^	0	0
	4720		18			4975	151	59	0
	3667		-					1	0
	1696	33				1749			0
	2405	37				2914	56		0
					· · · · ·		, t		
TOTAL	****	761	4587	2971	10984	134562	272	40	0
ERR		8.8	40	. 4	141	273	***	***	****
ERF	₹ 0	46	3	44	24	29	***	****	****

Table XII.2 The contingency table of the best 2 band pairs after 4-fill, 8-fill, 4-shrink, and 8-shrink operations.

		Ç	)L. = A	SSIGN (	ROW =	TRIJE	CAT	**************************************			
	R D	EC 2.3	2.5	4 • 1	7.2	TOTAL	ERP	ERF	R SD		•
									• •	•	
UNKWN		0 15273	27797	24138	52738	119946		Ò	.0		
2.3		0 3234				4975		35	Ŏ		
2.5		0 373	4605	0	0	4978	372	7	Ō	•	
4.1		0 824	159	538		1749	-	69	i		
7.2		0 490						31	Ō		
TOTAL		0 20194	33379	24998	55991	134562	4226	35	0	, .	*
ERR			977								
ERR		0 34					****				<b>v</b>

Table XII.3 The contingency table of the best 2 band pairs after 4-fill, 8-fill, 4-shrink, 8-shrink and complete filling operations.

### XIII Spectral-Textural Analysis: Edit 3

In addition to the six spectral bands, we provided the feature selector with two textural transform bands. The texture bands were created from the .82 - .88 micrometer spectral bands as before. We used a 3x3 convolution before and after textural transform and no convolution before and 3x3 convolution after textural transform. The feature selector chose bands .40 - .44 and .588 - .643 micrometers with .40 - .44 micrometers and no convolution before and 3x3 convolution after texture bands for the best 2 band pairs. Figure XIII.1 shows how the alpha and beta thresholds were chosen in an attempt to minimize the total number of reserved decisions and to equalize the number of reserved decisions due to no assignment and the number of reserved decisions due to multiple assignments.

For the best 2 band pairs the alpha threshold was set at .5 and the beta threshold at .035. Table XIII.1 shows the resulting contingency table for the best 2 band pairs. There are 49,130 reserved decisions with 18,083 due to no assignment and 31,047 due to multiple assignment. The misidentification error rate was 42% and the false identification error rate was 43%. The largest cause of error was the misidentification error rate (90%) of category 1.3, shortleaf pine, mostly caused by assigning category 1.2, another sublcass of shortleaf pine. Post processing with a 4-fill, 8-fill, 4-shrink, 8-shrink and a complete filling results in a misidentification error rate of 34% and a false identification error rate of 20% (Table XIII.2).

The band pairs used for the best 2 along with the .588 - .643 and .65 - .69 micrometer band pair were chosen by the feature selector as the best 3 band pairs. Figure XIII.2 shows the graph of the threshold alpha against the number of reserved decisions. For the best 3 band pairs the alpha threshold was set at .6 and the beta threshold was set at .042. It is interesting to note, that the number of reserved decisions due to no assignment was 25,878, and the number of reserved decisions due to more than one assignment was 26,566 which are very close indicating good thresholds.

Table XIII.3 shows the resulting contingency table for the best 3 band pairs. The misidentification error rate was 38% and the false identification

error rate was 41%. The greatest cause of confusion is the misidentification of category 1.3 and the false identification of category 1.3, a subclass of shortleaf pine. As with the spectral analysis of edit #3 (Chapter IX), the confusion is mostly within class types. Confusion between category 1.2 and category 1.3, subclasses of shortleaf pine, and confusion between category 2.4 and category 2.6 cause most of the error. Figure XIII.3 shows the best 3 band pairs classification.

Post processing with a 4-fill and an 8-fill (Table XIII.4 and Figure XII.4) did not really change the error rates. The misidentification error rate is 40% and the false identification error rate is 44%. A 4-shrink (Table XIII.5 and Figure XIII.5) and an 8-shrink (Table XIII.6) eliminate almost all of the confusion between class types, but the error within class type 1 is still high. This confusion within class type 1 was also present in the spectral analysis (Chapter IX). The final post processing, a complete filling, resulted in a contingency table (Table XIII.7 and Figure XIII.6) having a misidentification error rate of 25% and a false identification error rate of 29%.

Note that the results of 4-fill, 8-fill, 4-shrink, 8-shrink, and complete filling operations for the best 3 band pairs (Table XIII.7 and Figure XIII.6) and the results of 4-fill, 8-fill, 4-shrink, 8-shrink and complete filling operations for best 3 band pairs using the spectral analysis (Chapter IX, Table IX.7 and Figure IX.8) shows less error in the spectral results. Yet, comparison of Figure XIII.6 and Figure IX.8 show that the figure from the texture analysis is actually truer to the timber stand and compartment map for edit #3 than the spectral figure. It seems this is due to the area covered by the ground truth overlay (Figure IX.2), so that more ground truth would have resulted in better classification accuracy for the texture analysis.

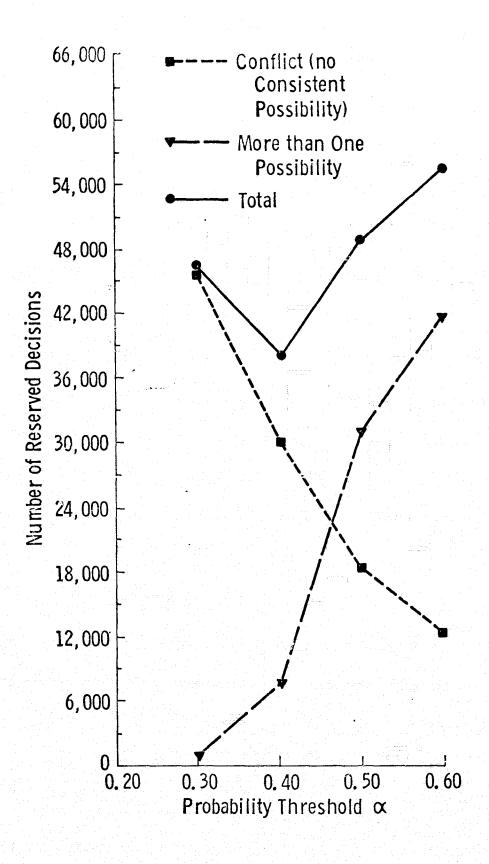


Figure XIII.1 Number of reserved decisions as a function of probability threshold alpha for best 2 band pairs with texture for edit #3

		ረሳር	• = A'	ማ የርም ር	۸T	ROW =	TRUE	CAT		
	P NEC	1.2	1.3	2 • 4	2.6	7+1	TOTAL	FRR	FRE	50
i jirgipa	27165	7457	1245	lusun	7424	RASS	67629	n	. (0	n
1.2	<b>630</b>	341		- 7"		447	12000	2312	60	0
•	1177	473	67	17	179	Ω	1862	619	OU	1
	56.81		150		723		0079	1702	4:)	0
2.6	3211	557		457	21143	82	640E	1151	36	0
7.1	2'6	1					450		' <b>6</b> 2	0
TOTAL	4913 .	12413	1762	14 70	11476	13047	101896	6002	. 4 >	0
CBB	1	155	450	1201	2.000	702	<b>ሐ</b> ር^ ኅ	***	***	****
ros		31			50		42	****	****	****

Table XIII.1 The contingency table of the best 2 band pairs for alpha - beta thresholds of .5 and .035.

## CONTINGENCY TABLE FOR SAMH12GDT - 1 SMH1F3B03 - 1 SCALE FACTOR 10\*\*

			COL	. = AS	SSIGN (	CAT	ROW = TRUE CAT						
	R	DEC	1. 2	1. 3	2. 4	2. 6	7, 1	TOTAL	. WERR	% ERI	R % SD		
UNKWN		0	17749	. 0	19587	14981	15316	67633	0	0	0		
1. 2		0	8152	0	1323	1692	836	12003	3851	32	0		
1. 3		0	1418	0	0	445	0	1863	1863	100	0		
2. 4		0	261	0	6553	2919	239	9972	3419	34	0		
2. 6		0	281	0	0	6124	0	6405	281	4	0		
								·		T			
7. 1		0	0	Ó	0	0	4020	4020	0	0	0		
TOTAL		0	27861					101896		34	0		
#ERR		0	1960					9414		****	****		
% ERR		0	19			45		20		****	****		

Table XIII.2 The contingency table of the best 2 band pairs after 4-fill, 8-fill, 4-shrink, 8-shrink and complete filling operations.

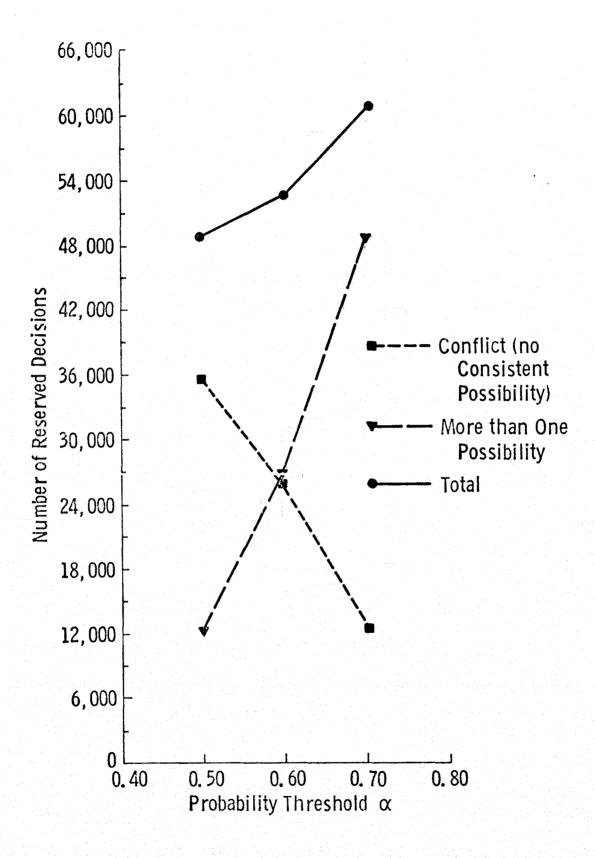


Figure XIII.2 Number of reserved decisions as a function of probability threshold alpha for best 3 band pairs with texture for edit #3

		crt.	= ^^	etan c	λT	BCn =	TRHE	CAT		
	ָּד טירר	1.2	1.3	2 • 4	2.6	7•1	TOTAL	ERR	FPP	.SD
	ia ኮባልሳ -	4711	2064	7324	81°C U	P471	67639	٠n,	0	n
	6658	2640	444		470		12102	2476	46	. 0
1 ,	1/197		295		112	ΰ	1862	481	63	1
	5882		15.6				9.25	1825	45	, O
2.6	2204	440	6, 7,	400		51		085	33	0
•										
<b>-</b> ,	347		. 6	207	23	2442	4020	236	6	0
TOTAL	152444	11 468	2221	71177	1277/	12657	101896	K ባባ a	2.8	
; ·, ^,		13.7	870	1121	1004	744	4000	***	***	****
	0	21	75	2/1	4.8	18	41	4 <b>+ + + +</b>	****	* * * * *

Table XIII.3 The contingency table of the best 3 band pairs for alpha - beta thresholds of .6 and .042.

#### CONTINGENCY TABLE FOR SAMH12GDT - 1 SMH1F2B04 - 1 SCALE FACTOR 10\*\*

		COL	. = AS	SIGN C	AT	RIJW =	TRUE	CAT	T. Car	
	R DEC	1. 2	1. 3	2. 4	2. 6	7. 1	TOTAL	#ERR	% ERF	R % SD
UNKWN	96	14781	5624	16474	19209	11.149	67633	0	0	0
1. 2		6241					12003		48	0
1. 3	2	907	666	68	220	0	1863	1195	64	1
2. 4	13	1420	340	5281	2453	465	9972	4678	47	0
2. 6	0	1075	117	808	4270	135	6405	2135	33	0
•		_		224	2.4	2:44	4020	274	0	
, , , , , , , , , , , , , , , , , , , ,	. 0						4020 101896			. 0
#ERR							14141			****
% ERR		35			52			****	****	****

Table XIII.4 The contingency table of the best 3 band pairs after 4-fill and 8-fill operations.

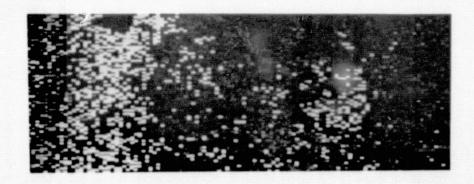


Figure XIII.3 The classification of the three best band pairs for alpha - beta thresholds of .6 and .042.

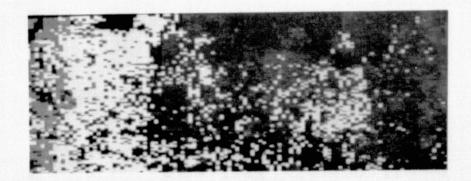


Figure XIII.4 The classified image of Figure XIII.3 after 4-fill and 8-fill operations.

		COL	. = AS	SIGN C	AT	ROW	• TRUE	CAT	r ·	
	R DEC	1. 2	1. 3	2. 4	2. 6	7. 1	TOTAL	#ERR	% ERF	R % SD
UNKW	N45873	5089	1607	3613	4983	6468	67633	0	0	0
1. 2	7181	3264	633	378	318	229	12003	1558	32	0
1, 3	1189	362	301	1	10	0	1863	373	55	0
2. 4	7242	210	8	2017	408	87	9972	713	26	0
2. 6	4393	173	1	· .53	1813	2	6405	199	10	. •
7. 1	640	0	0	73	0	3307	4020	73	2	0
TOTA	L66518	9098	2550	6105	7532	10093	101896	2916	25	ō
#ERR	0	745	642	475	736	318		****	****	****
% ER	R O	19	68	19	. 29	9	28	****	****	****

Table XIII.5 The contingency table of the best 3 band pairs after 4-fill, 8-fill, and 4-shrink operations.

#### CONTINGENCY TABLE FOR SAMH12GDT - 1 SMH1S2BO4 - 1 SCALE FACTOR 10\*\* 0

		COL	= AS	SIGN C	AT	ROW =	TRUE	CA	Γ	
	R DEC	1. 2	1. 3	2. 4	2. 6	7. 1	TOTAL	#ERR	% ERI	R % SD
UNKUN	1747k	910	299	287	440	3271	67633	0	0	0
	10897	805	185	24	13	21,000	12003			•
	1732	66	65	- 6	0		1863	7	50	ŏ
2. 4		5	0	341	3	1	9972	9	3	0
2.6		13	0	0	211	. 0	6405	13	6	0
7. 1	1140	0	0	10	0	2870	4020	. 10	0	0
TOTAL	91998	-	549			6221	101896	399	17	0
#ERR	0	84	185	34		80	399	****	****	****
% ERR	0	9	74	9	7	3	20	****	****	****

Table XIII.6 The contingency table of the best 3 band pairs after 4-fill, 8-fill, 4-shrink and 8-shrink operations.

# CONTINGENCY TABLE FOR SAMH12GDT - 1 SMH1F3B04 - 1 SCALE FACTOR 104#

	COL. = ASSIGN CAT			ROW :	TRUE	r '					
	R DE	C	1. 2	1. 3	2. 4	2. 6	7. 1	TOTAL	#ERR	% ERF	R X SD
UNKWN	0		15644	<b>5</b> 385	13505	16484	16615	67633	0	0	0
1. 2	0	•	<b>7</b> 88 <b>7</b>	1238	1274	697	9 )7	12003	4116	34	0
1. 3	. 0	)	1282	512	0	69	. 0	1863	1351	73	1
2. 4	. 0	)	144	0	8704	821	3.33	9972	1268	13	- 0
2. 6	C	)	379	0	0	6026	0	6405	379	6	0
7. 1		)	0		109	0	3911	4020	109	3	0
TOTAL	Č	)	25336	7135	23592	24097	21736	101896	7223	25	Ö
#ERR	Ċ	)	1805	1238	1383	1587	1210	7223	****	****	****
" EDD		`	10	71	1 4	21	24	29	****	****	****

Table XIII.7 The contingency table of the best 3 band pairs after 4-fill, 8-fill, 4-shrink, 8-shrink and complete filling operations.

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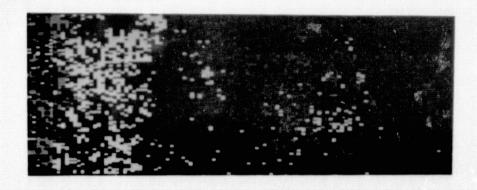


Figure XIII.5 The classified image of Figure XIII.3 after 4-fill, 8-fill and 4-shrink operations.

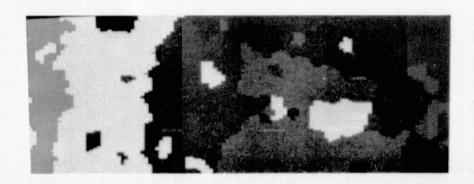


Figure XIII.6 The classified image of Figure XIII.3 after 4-fill, 8-fill, 4-shrink, 8-shrink, and complete filling operations.

#### XIV Conclusions

Use of textural features and spatial post processing has been shown to cut the average classification error to less than half its initial value while tending to increase and equalize the equally weighted average misidentification error and equally weighted false identification error. The classified images resulting from spatial and textural processing have a more cartographic map-like quality than the typically salt and pepper classified images using no textural features or spatial post-processing.

The simultaneous decrease in average classification error and increase in both equally weighted average misidentification error and false identification error means that more pixels whose true category identification is of a frequently occurring category get reassigned correctly by the spatial post-processing than of an infrequently occurring category. This is a natural consequence of the fact that the spatial processing is more of a syntactic operation than a semantic one. Spatial processing operations which use category labels intead of just sameness or difference of category labels could be designed which do not favor the larger categories over the smaller categories.

Because of the strong interaction between average error, average misidentification error, average false identification error, and classified image appearance and complexity, it is clear that further work can bear much fruit by analysis of these interaction effects. In particular, we recommend that textural and spatial post-processing concepts be developed using classified image's local neighborhood contexts as the independent variable and classification error as the dependent variable.

#### REFERENCES

- Ashby, R. W., "Constraint Analysis of Many-Dimensional Relations," <u>Yearbook</u> for the Society of General System's Research, Vol. 9, 1964, pp. 99-105.
- Brooner, W. G., R. M. Haralick, and I. Dinstein, "Spectral Parameters Affecting Automated Image Interpretation Using Bayesian Probability Techniques," <u>Proceedings of the Seventh International Symposium on Remote Sensing of Environment</u>, University of Michigan, Ann Arbor, Michigan, May 17-21, 1971, pp. 1929-1949.
- Eppler, W. G., "An Improved Version of the Table Look-up Algorithm for Pattern Recognition," <u>Proceedings of the Ninth International Symposium on Remote Sensing of Environment</u>, Environmental Research Institute of Michigan, Ann Arbor, Michigan, April 1974, pp. 793-812.
- Eppler, W. G., C. A. Hemke, and R. H. Evans, "Table Look-up Approach to Pattern Recognition," <u>Proceedings of the Seventh International Symposium on Remote Sensing of Environment</u>, University of Michigan, Ann Arbor, Michigan, May 17-21, 1971, pp. 1415-1425.
- Lewis, A. J., "Geomorphic Evaluation of Radar Imagery of Southeastern Panama and Northwestern Columbia," CRES Technical Report No. 133–18, University of Kansas Center for Research, Inc., Lawrence, Kansas, February 1971.
- Kaizer, H., "A Quantification of Textures on Aerial Photographs," Boston University Research Laboratories, Technical Note 121, 1955, AD69484.
- Landaris, G. G. and G. L. Stanley, "Diffraction-Pattern Sampling for Automatic Pattern Recognition," <u>Proceedings of the IEEE</u>, Vol. 58, no. 2, February 1970, pp. 198-216.
- Gramenopoulos, N., "Terrain Type Recognition Using ERTS-1 MSS Images," Symposium on Significant Results Obtained from the Earth Resources Technology Satellite, NASA SP-327, March 1973, pp. 1229-1241.
- Hornung, R. J. and J. A. Smith, "Application of Fourier Analysis to Multispectral/ Spatial Recognition," <u>Management and Utilization of Remote Sensing Data ASP</u> Symposium, Sioux Falls, South Dakota, October 1973.
- Kirvida, L. and G. Johnson, "Automatic Interpretation of Earth Resources Technology Satellite Data for Forest Management," <u>Symposium on Significant Results Obtained</u> from the Earth Resources Technology Satellite, NASA SP-327, March 1973, pp. 1076-1082.
- Rosenfeld, A. and M. Thurston, "Edge and Curve Detection for Visual Scene Analysis," IEEE Transactions on Computers, Vol. C-20, No. 5, May 1971, pp. 562-569.

- Matheron, G., Elements Pour Une Theorie des Milieux Poreux, Masson, Paris, 1967.
- Serra, J. and G. Verchery, "Mathematical Morphology Applied to Fibre Composite Materials," Film Science and Technology, Vol. 6, 1973, pp. 141–158.
- Haralick, R. M., K. Shanmugam, and I. Dinstein, "Textural Features for Image Classification," <u>IEEE Transactions on Systems, Man and Cybernetics</u>, Vol. SMC-3, No. 6, November 1973, pp. 610-621.
- O'Neill, E., "Spatial Filtering in Optics," <u>IRE Transactions on Information Theory</u>, June 1956, pp. 56-65.
- Cutrona, L. J., E. N. Leith, C. J. Palermo, and L. J. Porcello, "Optical Data Processing and Filtering Systems," <u>IRE Transaction on Information Theory</u>, Vol. 6 No. 3, June 1960, pp. 386-400.
- Goodman, J. W., Introduction to Fourier Optics, McGraw-Hill, New York, 1968.
- Preston, K., Coherent Optical Computers, McGraw-Hill, New York, 1972.
- Shulman, A. R., Optical Data Processing, John Wiley & Sons, Inc., New York, 1970.
- Jensen, N., "High-Speed Image Analysis Techniques," <u>Photogrammetric Engineering</u>, Vol. XXXIX, No. 12, December 1973, pp. 1321-1328.
- Swanlund, G., "Honeywell's Automatric Tree Species Classifier," Honeywell Systems and Research Division, Report 90-G-24, December 31, 1969.
- Triendl, E. E., "Automatic Terrain Mapping by Texture Recognition," <u>Proceedings</u> of the Eighth International Symposium on Remote Sensing of Environment, Environmental Research Institute of Michigan, Ann Arbor, Michigan, October 1972, pp. 771-776.
- Sutton, R. and E. Hall, "Texture Measures for Automatic Classification of Pulmonary Disease," IEEE Transactions on Computers, Vol. C-21, No. 7, July 1972, pp. 667-676.
- Maurer, H., "Texture Analysis with Fourier Series," <u>Proceedings of the Ninth International Symposium on Remote Sensing of Environment</u>, Environmental Research Institute of Michigan, Ann Arbor, April 1974, pp. 1411-1420.
- Darling, E. M. and R. D. Joseph, "Pattern Recognition from Satellite Altitudes," IEEE Transactions on Systems, Man, and Cybernetics, Vol. SSC-4, March 1968, pp. 38-47.
- Read, J. S. and S. N. Jayaramamurthy, "Automatic Generation of Texture Feature Detectors," IEEE Transactions on Computers, Vol. C-21, No. 7, July 1972, pp. 803-812.

Haralick, R. M., "A Texture-Context Feature Extraction Algorithm for Remotely Sensed Imagery," <u>Proceedings 1971 IEEE Decision and Control Conference</u>, Gaines-ville, Florida, December 15-17, 1971, pp. 650-657.

Haralick, R. M., K. Shanmugam, and I. Dinstein, "On Some Quickly Computable Features for Texture," Proceedings of the 1972 Symposium on Computer Image Processing and Recognition, University of Missouri, Vol. 2, August 1972, pp. 12-2-1, 12-2-10.

# APPENDIX 1

Textural Transform Programs

#### PROGRAM DESCRIPTION

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- I. User Interaction
- 11. Internal Program Description
- III. Non-Standard Subroutines
  - IV. Subroutine Documentations
  - V. Listing

#### 1. User Interaction

User parameters are input by the routine TXINPT which asks for parameters by name:

NFUNC = 1 use subroutine FUNC 1

NFUNC = 2 use subroutine FUNC 2

NFUNC = 3 use subroutine FUNC 3

NFUNC = 4 use subroutine FUNC 4

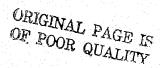
NFUNC = 5 use subroutine FUNC 5

NDIS = distance between spaces of neighboring cells

IBOUT = logical unit number to output error messages

PCLCT = percent of point to count in FPLXIT

FILNMP = input filename FILNMQ = output filename



#### 11. Internal Program Description

The texture programs are set up so that after the call to TXINPT at the beginning of execution the user does not interact anymore with the computer.

The user must know which function he wants to use. The user inputs 1, 2, 3, 4, or 5 corresponding to FUNC1, FUNC2, FUNC3, FUNC4, and FUNC5 respectively; where:

FUNC1 - computes the sum probability feature of the image

FUNC2 - computes the gradient entropy feature of the image

FUNC3 - computes the entropy feature of the image

FUNC4 - computes the gradient feature of the image

FUNC5 - prepares normalized lex arrays which have been equal probability quantized according to their diagonal elements.

The parameter NDIS is the distance between spaces of neighboring cells. The texture transform works on the co-occurrence of grey levels on neighboring cells. Each cell has a 0° neighbor, a 90° neighbor, a 135° neighbor, and a 45° neighbor. This covers all the cells, since a cell's 180° neighbor has that cell as a 0° neighbor. Thus, for each grey level, there is a count of the co-occurrences of grey levels as one of the four specified neighbors. The parameter NDIS is the distance the algorithm gives to look for the neighboring cells. If the user wants to perform the texture transform using all co-occurrence counts, then the parameter PCLCT should be 1.00. If the user only wants to count 80% of the cells, the PCLCT should be set to 0.80, and so on.

The mainline TXJDM calls the ASCII I/O routine TXINPT for input parameters. The TXJDM transfers control to TXTMN. This routine sets up the work area, allocating core to those arrays that need it. FPLXIT is then called to compute the lex arrays where:

- LEX1 array containing count over all grey levels of vertically adjacent (90-degree) neighbor;
- LEX2 array containing count over all grey levels of horizontally adjacent (0-degree) neighbor;
- LEX3 array containing count over all grey levels of left diagonally adjacent (135-degree) neighbor;
- LEX4 array containing count over all grey levels of right diagonally adjacent (45-degree neighbor.

When these counts have finished, control is returned to TXTMN, which transfers control to the appropriate function as specified by the user. The FUNC array which is passed as an argument to the FUNC routines is equivalenced to the lex arrays. For example:

FUNC (1,1) = LEXI (1)

FUNC (1,2) = LEX2 (1)

FUNC (1,3) = LEX3 (1)

FUNC (1,4) = LEX4(1)

After the appropriate function has been applied, control is again returned to TXTMN. TXTMN then calls in PLXIT. PLXIT reads in the image data and determines the corresponding eight neighbors and applies the texture transform.

Let  $Z_r \times Z_c$  be the set of resolution cells of an image I (by row-column coordinates). Let G be the set of grey tones possible to appear on image I. Then I:  $Z_r \times Z_c \rightarrow G$ . Let R be a binary relation on  $Z_r \times Z_c$  pairing together all those resolution cells in the desired spatial relation. The co-occurrence matrix P, P:  $G \times G \rightarrow [0,1]$ , for image I and binary relation R is defined by

$$P(i,j) = \frac{\# \{((a,b),(c,d)) \in R | I(a,b) = i \text{ and } I(c,d) = j\}}{\#R}$$

The textural transform J,J:  $Z_r \times Z_c (-\infty,\infty)$ , of image I relative to function f, is defined by

$$J(y,x) = \frac{1}{\#R(y,x)} \sum_{(a,b) \in R(y,x)} f[P(I(y,x),I(a,b))]$$

Assuming f to be the identity function, the meaning of J(y,x) is as follows. The set R(y,x) is the set of all those resolution cells in  $Z_r \times Z_c$  in the desired spatial relation to resolution cell (y,x). For any resolution cell  $(a,b) \in R(y,x)$ , P(I(y,x),I(a,b)) is the relative frequency by which the grey tone I(y,x), appearing at resolution cell (y,x), and the grey tone I(a,b), appearing at resolution cell (a,b), co-occur together in the desired spatial relation on the entire image. The sum

$$\sum_{\{a,b\}\in R(y,x)} P(I(y,x), I(a,b))$$

is just the sum of the relative frequencies of grey tone co-occurrence over

all resolution cells in the specified relation to resolution cell (y,x). The factor  $\frac{1}{\#R(y,x)}$ , the reciprocal of the number of resolution cells in the desired spatial relation to (y,x) is just a normalizing factor.

These data values are then written out in the corresponding place on the output texture transformed image. When PLXIT exits, the texture transform has been created. Control goes to TXTMN, which exits back to the mainline TXTDM. This program returns to the beginning and brings back the ASCII I/O routines to get the parameters for the next texture transform. If none are desired, a carriage return will terminate the processing.

All ASCII I/O on our PDP-15 is 5/7 ASCII in double integer words. The PDP-15 has 36 bits in one double integer word.

See Figure 1 for the program flow.

#### III. Non-Standard Subroutines

ADJI

ADJ2 Dynamic core allocation routines

ADJ3

The program can allocate memory by performing what essentially amounts to a dynamic Fortran equivalence and dimension

KDPUSH - ignore (delete)

Error stack processing used in KANDIDATES.

SDKINL - KANDIDATS sequential file opener

Opens files for KANDIDATS routines. Uses Seek and Enter (STANDARD Fortran routines) and can be modified to fit your file structure.

SKPDSC - skip descriptor records

KANDIDATS creates descriptor records, containing processing history information, before the image date. Since the file is sequential, these must be skipped. If the user has random access on images, this can be ignored. If not, be sure that image record numbers are advanced to first image data record.

IMTRXP - Matrix print-out routine

Any standard Matrix print routine will work.

SREAD - sequential read (uses Fortran reads)

SWRITE - sequential write (uses Fortran write)

Starting on the next page is an explanation of the "ADJ routines and several ideas on how to get around them.

The included program segment may be compared to the following example:

- 1. INTEGER ARRAY (500), X(1)
- 2. REAL Y(1)
- 3. INTEGER XSIZE, YSIZE, YSTART, TTLSZE
- 4. READ (5, 100) XSIZE, YSIZE
- 5. TTLSZE = XSIZE + YSIZE
- 6. IF (TTLSZE .GT. 500) CALL ERROR
- 7. YSTART = XSIZE + 1
- 8. CALL ADJI (X, ARRAY (1))
- 9. CALL ADJI (Y, ARRAY (YSTART))
- 10. ... TASK CODE
- 11. STOP
- 12. END

Within the task code, X and Y may be referenced as vectors with respective types, integer and real. In addition references to X will access the first XSIZE elements of ARRAY and references to Y will access the last YSIZE elements of ARRAY.

If X and Y are used only in contexts that functions may be used in, then the program segment may be recoded using statement functions. (Check your particular implementation of FORTRAN for applicability.)

- 1. INTEGER ARRAY (500)
- 2. REAL RL
- 3. INTEGER XSIZE, YSIZE, TTLSZE
- $4. \quad X(I) = ARRAY(I)$ 
  - 5. Y(I) = RL(ARRAY (I + XSIZE))
  - 6. READ (5, 100) XSIZE, YSIZE
  - 7. TTLSZE = XSIZE + YSIZE
  - 8. IF (TTLSZE .GT. 500) CALL ERROR
  - 9. . . TASK CODE
  - 10. STOP
  - 11. END

Where the function RL is coded as follows.

- 1. REAL FUNCTION RL(ARG)
- 2. REAL ARG
- 3. RL = ARG
- 4. RETURN
- 5. END

Within the task code, X and Y will have respective types integer and real and will access those specified locations of ARRAY.

However, X and Y may only be used as functions.

In the context of subroutine calls, adjustable dimensions is a standard feature of FORTRAN as in the following example:

- 1. INTEGER ARRAY (500)
- 2. INTEGER XSIZE, YSIZE, YSTART, TTLSZE
- 3. READ (5, 100) XSIZE, YSIZE
- 4. TTLSZE = XSIZE + YSIZE
- 5. IF (TTLSZE .GT. 500) CALL ERROR
- 6. YSTART = XSIZE + 1
- 7. CALL SUB (ARRAY (1), ARRAY (YSTART), XSIZE, YSIZE)
- 8. STOP
- 9. END

Where SUB is coded as follows:

- 1. SUBROUTINE SUB (X, Y, XSIZE, YSIZE)
- 2. INTEGER XSIZE, YSIZE
- 3. INTEGER X(XSIZE)
- 4. REAL Y(YSIZE)
- 5. . . TASK CODE
- 6. RETURN

This approach necessitates a division of storage allocation code and task code.

Alternatively X and Y may be dimensioned independently and given a reasonable but sufficient size.

- 1. INTEGER X (250)
- 2. REAL Y(250)
- 3. READ (5, 100) XSIZE, YSIZE
- 4. IF (XSIZE .GT. 250). OR.
- 5. (YSIZE .GT. 250) CALL ERROR
- 6. . . TASK CODE
- 7. STOP
- 8. END

Check the output of the FORTRAN compiler being used.

If the compiler generates and uses dope vectors it would be possible to produce user written ADJ routines.

Keep in mind that all recoding must preserve the size, shape, type and usage of the involved data elements.

# IV. Subroutine Documentations

ORIGINAL PAGE IS OF POOR QUALITY

#### GENERAL MATRIX PRINTOUT PROGRAM

PROGRAM TITLE:

SUBROUTINE IMTRXP

DATE OF LISTING:

February 13, 1973

PROGRAMMER:

Dinesh Goel

DOCUMENTED BY:

Dinesh Goel

PROGRAM LANGUAGE:

FORTRAN IV

COMPUTER REQUIRED:

PDP 15/20

**PURPOSE:** 

This subroutine divides an integer matrix into sections suitable for printer output and prints the matrix with matrix title, column designation, row designation, and column and row labels.

#### CALLING SEQUENCE:

CALL IMTRXP (IA, NROW, NCOL, NRWDIM, TTL1, TTL2, TTL3, CLBL, RLBL, ISTR)

#### INPUT ARGUMENTS:

IA Input array of matrix to be printed out.

NROW Number of rows in the printed matrix.

NCOL Number of columns in the printed matrix.

NRWDIM Row dimension of the entire matrix which is

stored by columns.

TTL1 Matrix title of 13 words.

TTL2 Column title of 2 words.

TTL3 Row title of 2 words.

CLBL Array of column labels.

RLBL Array of row lables.

ISTR This is an option

if 1, matrix will be printed as such.

if 2, transposed matrix will be printed out.

if 3, matrix is assumed to be symmetric having

long to short storage in IA.

if 4, matrix is assumed to be summetric having short to long storage in IA.

**OUTPUT ARGUMENTS:** 

None.

OTHER PARAMETERS AND ARRAYS:

**IROW** 

Array for any one row of matrix as finally printed out.

COMMENTS:

If the printed matrix has large number of columns which can not fit on one page of printer output, it will be separated into blocks, each of which is small enough to fit on one page. The rows are printed in the blocks of 5. This program takes only the integer numbers, for real numbers RMTRXP can be used. File code 17 octal has been used for printing the matrix which must be assigned to teletype or IBM printer in the beginning as desired.

#### Sequential Read

PROGRAM TITLE: SREAD

VERSION: B

DATE: June 22, 1973 UPDATE: April 29, 1975

AUTHOR: Robert M. Haralick
DOCUMENTED BY: Robert M. Haralick

PROGRAM LANGUAGE: FORTRAN IV

IMPLEMENTED ON: PDP 15/20

PURPOSE:

This subroutine reads a set of lines on a file of single image data stored in standard bit compacted form. SREAD assumes that SDKINL has already been called to open the file on IDAT.

**ENTRY POINT:** 

SPREAD (IDAT, IARRAY, IDY, IDENT, IEV, ERRRET)

ARGUMENT LIST:

IDAT the file code on which the image resides

IARRAY 2-dimensional array (row x column) which

subimage is returned in

IDY number of records in subimage. The number

of rows and columns for a record will be taken

from IDENT (14) and IDENT (13), respectively

IDENT identification array of 20 words.

IEV integer event variable

IEV = 1 success

IEV = -2001 illegal file code

IEV = -2006/IO/too small

IEV = -2007 EOF

IEV = -2009 READ ERROR

IEV = 2012 illegal data mode

**ERRRET** 

alternate return taken if an error occurs

#### SUBROUTING REQUIRED:

ADJ1

**KDPOP** 

**KDPUSH** 

UNPACK

## **COMMENTS:**

IARRAY must be a two dimensional array
IDENT (13)\* IDENT (14) must not be greater than 256
unless the user has a block data program to allocate more
memory to labeled common area /10/.

#### Skip Descriptor Records

PROGRAM TITLE:

**SKPDSC** 

VERSION:

A

DATE:

July 10, 1973

UPDATE:

October 15, 1974

AUTHOR:

Robert M. Haralick

**DOCUMENTED BY:** 

Robert M. Haralick

PROGRAM LANGUAGE:

**FORTRAN IV** 

IMPLEMENTED ON:

PDP 15/20

PURPOSE:

This program skips the descriptor records of images stored in standard bit compacted form. SKPDSC assumes that SDKINL has been called previously.

ENTRY POINT:

SKPDSC (IDATP, IDENT, IEV, ERRRET)

ARGUMENT LIST:

**IDATP** 

file code on which the image resides.

IDENT

identification array of 20 words for the image.

IEV

= 1 success

= -2001 illegal file code

= -2007 EOF

= -2009 read error

ERRRET

Alternate return taken if error occurs

SUBROUTINES REQUIRED:

KDPOP

**KDPUSH** 

#### Sequential Disc Initializer

PROGRAM TITLE:

SDKINL

VERSION:

DATE:

June 30, 1973

UPDATE:

October 15, 1974

AUTHOR:

Robert M. Haralick

**DOCUMENTED BY:** 

Robert M. Haralick

PROGRAM LANGUAGE:

FORTRAN IV

IMPLEMENTED ON:

PDP 15/20

PURPOSE:

This subroutine initializes a PDP 15/20 sequential disc file for input or output. The file is used to store image data in standard bit compacted form. The number of data words will be written in a logical record of at least 20 and the number of bits per data word should not be more than 18.

ENTRY POINT:

SOKINL: (IDAT, FILNM, IDENT, IRDWRT, IEV, ERRRET)

ARGUMENT LIST:

**IDAT** 

file code on which file resides.

FILNM

array containing the fil name.

**IDENT** 

identification array of 20 words.

IRDWRT

read/write indicator.

IRDWRT =1 initialize as input file.

IRDWRT = 2 initialize as output file

**IEV** 

integer event variable.

= 1 Success

= -2001 Illegal file code

= -2002 Number of bits per point has a

illegal value

= -2003 Frame coordinate and image dimension

information not specified in-Ident-array

= -2004 Illegal request

- = -2005 file does not exist
- = -2011 illegal min/max/NZL/nbits combination
- = -2012 illegal data mode

#### **ERRRET**

# ALTERNATE RETURN TAKEN IF A ERROR OCCURS

## SUBROUTINES REQUIRED:

**ENTER** 

**FSTAT** 

ICEIL

**KDPOP** 

**KDPUSH** 

MAXØ

SEEK

#### Sequential Write

PROGRAM TITLE:

**SWRITE** 

**VERSION:** 

C

DATE:

June 22, 1973

**UPDATE:** 

October 15, 1974

AUTHOR:

Robert M. Haralick

DOCUMENTED BY:

Robert M. Haralick

IMPLEMENTED ON:

PDP 15/20

PURPOSE:

This program writes a set of lines or a file of single image data stored in standard bit compacted format. SWRITE assumes that SDKINL has also been called to initialize the file on IDAT.

ENTRY POINT:

SWRITE (IDAT, IARRAY, IDY, IDENT, IEV, ERRRET)

ARGUMENT LIST:

IDAT file cod

file code on which I image resides.

IARRAY

2-dimensional array (row x column)

in which subimage is transferred to program.

IDY

number of records for subimage. The number

of rows and columns for a record will be taken

from IDENT (13) and IDENT (14).

**IDENT** 

identification array of 20 words.

**IEV** 

integer event variable

IEV = 1 success

IEV = -2001 illegal file code

IEV = -2006 / 10 / too small

IEV = -2007 EOF

IEV = -2008 WRITE ERROR

IEV = -2012 illegal data mode

**ERRRET** 

ATTENATE RETURN TAKEN IF ERROR OCCURS

## SUBROUTINE REQUIRED:

ADJ1

**KDPUSH** 

**KDPOP** 

**PACK** 

## COMMENTS:

IARRAY must be a two dimensional array.

IDENT (13)\* IDENT (14) must not be greater than 256

unless the user has a block data program to allocate more
memory to labeled common area /IO/.

# V. <u>Listing</u>

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	CERROR	E-R-R-O-R
	C	
	Ç	ASCII ERROR I/O FOR TEXTURE PROGRAM
	C C	
	C	PROGRAM TITLE ERROR
	Č	VERSION A
	C	AUTHOR CHIN-HUANG CHEN
-	C	DATE FEBRUARY 1975
	C	UPDATE FORTRAN AU
	C C	PROGRAM LANGUAGE FORTRAN IV IMPLEMENTED ON PDP 15
-	C	DOCUMENTED BY CHIN-HUANG CHEN
	C	PURPOSE
	C	THIS ROUTINE TELLS THE USER EITHER LSTID OR TXTMN IS
	C	IN ERROR ON . DAT SLOT IOU! OR IBOUT
	C	ENTRY POINT ERROR(IERR, IEV, IOUT, IBOUT)
-	C C	ARGUMENT LIST  IERR PARAMETER USED TO DETERMINE EITHER LSTID
	C	OR TXTMN IS IN ERROR
	C	IEV INTEGER EVENT VARIABLE
	C	IOUT
	Ç	IBOUT ALTERNATE ERROR MESSAGE OUTPUT . DAT SLOT
	C C	
	L.	SUBROUTINE ERROR(IERR, IEV, IOUT, IBOUT)
		DOUBLE INTEGER FDATE(3)
	C	
	С	
		GO TO (304,310), IERR
		CALL ADATE(FDATE) WRITE(IOUT, 405) FDATE
_	405	FORMAT(1X,3A5)
		IF(IBOUT NE IOUT)WRITE(IBOUT, 405) FDATE
		GO TO 200
•	304	WRITE(IOUT,305) IEV IF(IOUT,NE.IBOUT) WRITE(IBOUT,305) IEV
	305	FORMAT(/ LSTID ERROR/, I5)
_	303	GO TO 400
_	310	WRITE(IBOUT, 311) IEV
		IF(IBOUT. NE. IOUT) WRITE(IBOUT, 311) IEV
_	- 311	FORMAT(/ TXTMN ERROR IEV=/, I5)
	400	CALL CLOSE(IBOUT)
	200	O RETURN. Dieno
-	and the second s	Mark 19 July 1

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```
XIT
                                  F-P-L-X-I-T
                   SUBROUTINE FPLXIT
     PROGRAM
     TITLE
     PROGRAMMER
                   A. SINGH NOVEMBER 1972
       UPDATE
              ROBERT M HARALICK
                                         FEBRUARY 1974
                GE MONAGHAN
                                         9/20/74
                RM HARALICK
                                         10/10/74
                CHIN-HUANG CHEN
                                         2/22/75
        PURPOSE ADD POLOT IN ARGUMENT LIST
                CHANGE LEX ARRAY TO SINGLE INTEGER
                ADD OVERFLOW CHECK ON LEX ARRAY
     DOCUMEN-
                   A. SINGH
     TATION
     COMPUTER
                   ANY
     REQUIRED
     PROGRAM.
                   FORTRAN IV
     LANGUAGE
     PURPOSE
                   FPLXIT COMPUTES THE FOUR NEIGHBOUR GRAY TONE
                   MATRICES LEX1, LEX2, LEX3 AND LEX4 FOR ANGLES 90, 0, 135
                   AND 45 DEGREES RESPECTIVELY. IT WORKS FOR ALL
                   DISTANCES.
                   FPLXIT CHECKS THE GRAY LEVELS OF THE NEIGHBOURS OF
     METHOD
                   A CELL, AND INCREMENTS THE CORRESPONDING ELEMENT IN
                                                THE NEIGHBOURS UNDER
                   THE ASSOCIATED LEX ARRAY.
                   CONSIDERATION ARE A DISTANCE &D& AWAY, WHERE &D&
                    IS THE DISTANCE FOR THAT RUN OF FFLXIT.
                    CALL FPLXIT(IDATI, IDATA, LEX1, LEX2, LEX3, LEX4, IPT, IDENT,
     CALLING
                                MM1, PCLCT, IEV, IERR1)
     SEQUENCE
      ARGUMENTS.
           IDATI
                         INPUT FILE CODE
                         SCRATCH ARRAY FOR MM1 LINES OF THE IMAGE
           IDATA
                                 IMAGE.
C:
                                               ARE THE FOUR LEX ARRAYS
                    LEX1, LEX2, LEX3 AND LEX4
                              FOR THE GRAY TONE MATRICES.
                    IPT
                              ARRAY WHICH CONTAINS THE POINTERS FOR
C
                              THE IDATA ARRAY.
                              IDENTIFICATION ARRAY FOR THE IMAGE
C
                    IDENT
                              SPATIAL DISTANCE + 1
                    MM1
                              PERCENT OF LINES COUNTED
C
                    PCLCT
                               INTEGER EVENT VARIABLE
                    IEV
                                  IEV=-5011 IF NUMPPL OR NUMLIN IS LESS
C
                                  THAN TWICE SPATIAL DISTANCE PARAMETER.
C
                                  IEV=-5010 IF LEX ARRAY IS OVERFLOW
\mathbb{C}
                               ALTERNATE RETURN TAKEN IF ERROR OCCURS
                    IERR1
C
```

C 1.

C

NUMBER OF LINES IN THE IMAGE NUMLIN PARAMETERS

NUMBER OF POINTS PER LINE IN THE IMAGE NUMPPL

LARGEST GRAY TONE XAMI LEAST GRAY TONE IMIN

=IMIN-1. LEAST1 IS USED FOR NORMALISING LEAST1

THE GRAY TONES.

NUMBER OF GRAY TONES NOBL

NOBL=IMAX-IMIN+1

SIZE OF A LEX ARRAY MBUBL

NBUBL=NOBL\*(NOBL+1)/2

IMPUT AND

IMAGE READ IN FROM FILE (02).

OUTPUT

NORMAL AND ALTERNATE ERROR RETURNS RETURNS

SUBPROGRAMS

INDEX

REQUIRED

CALLED BY TXTMN

FPLXIT WORKS FOR ALL SPATIAL DISTANCES. IT DOES THIS COMMENTS

BY HAVING NDIS+1 LINES OF IDATA IN CORE, WHERE NDIS

IS THE SPATIAL DISTANCE PARAMETER.

SUBROUTINE FPLXIT(IDATI, IDATA, LEX1, LEX2, LEX3, LEX4, IPT,

1 IDENT, MM1, IMGNO, POLOT, IARRAY, IEV, IERR1) DOUBLE INTEGER INT, LEX1, LEX2, LEX3, LEX4

DIMENSION IDATA(1,1), LEX1(1), LEX2(1), LEX3(1), LEX4(1), IPT(1)

DIMENSION IDENT(20), IARRAY(1, 1, 1)

IDATA(NUMPPL, MMI), IFT(MMI)

STACK SUBROUTINE NAME IN ERROR STACK

CALL KDPUSH((FPLXI(, (T/)))

SET PARAMETERS

NUMPPL=IDENT(6) NUMLIN=IDENT(7)

IMIN=IDENT(15)

IMAX=IDENT(16) LEAST1=IMIN-1

NOBL=IMAX-LEAST1

NBUBL=NOBL\*(NOBL+1)/2

INITIALISE THE LEX ARRAYS TO ZERO

DO 14 I=1, NBUBL

C	14	LEX1(I)=0 LEX2(I)=0 LEX3(I)=0 LEX4(I)=0	
o o o o		MM=MM1-1 MM2=MM#2	CHECK IF SIZE OF IMAGE IS TOO SMALL, RELATIVE TO THE DISTANCE PARAMETER MM
C		IEV=-5011 IF(NUMPPL, LT, MM2, OR, NUM	ILIN. LT. MMZ) GO TO 9999
C		NUMEMM=NUMEPL-MM NUMEMM=NUMLIN-MM	
CCCC			READ IN THE FIRST MM1 LINES OF THE IMAGE AND SET UP POINTERS
	111 110	DO 110 IY=1,MM1 IPT(IY)=IY CALL RREAD(IDATI,IARRAY DO 111 LY=1,NUMPPL IDATA(LY,IY)=IARRAY(1,: CONTINUE	(, IMGNO, IY, 1, IDENT, IEV, ERR1) I, LY)
00000			SETTING UP POINTERS FOR THE FIRST AND LAST ROWS OF THE IMAGE ARRAYS
C		IST=IPT(1) LST=IPT(MM1)	
c c		MOVFL0=131017 INT=3856347531	GO THROUGH ALL BUT MM ROWS OF IMAGE
C		NEXT=MM1+1	
C		DO 105 LCNT = NEXT, NUM IF(RCM(INT), GT, PCLCT) GO	
C C			SKIP LINES RANDOMLY BY USING RANDOM NUMBER GENERATOR RCM EXTERNAL FUNCTION
. c c			
( ( ( (			GO THROUGH EACH ROW MM TIMES. THE FIRST SET OF MM COLUMNS ARE HANDLED SEPARATELY
c		DO 120 IRW=1,MM	
1			TOTAL PAGE IS

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Ċ. Ľ. C C 1 C C Ľ. Ľ: C  $\mathbb{C}$ C: C <u>[</u>]: C. C ſ.; C C Γ.  $\mathbb{C}$ C C C. Ľ. C Γ. C C C C C C. C C SET I, L, J AND K EQUAL TO THE (NORMALISED) VALUES OF GRAY TONES OF RESOLUTION CELLS IN POSITIONS A, B, C AND D AS IN THE DIAGRAM --

A C

WHERE A INITIALLY IS THE UPPER LEFT CORNER CELL. THE CELLS ARE A DISTANCE MM APART.

I=IDATA(IRW, IST)-LEAST1 L=IDATA(IRW, LST)-LEAST1 K=IDATA(IRM, LST)-LEAST1 J=IDATA(IRM, IST)-LEAST1

PUT THE TWO DIMENSIONAL INFORMATION INTO ONE DIMENSIONAL FORM. THE FUNCTION NEEDED TO CONVERT A DOUBLE SUBSCRI-TED ARRAY, IMM(X,Y). INTO A SINGLE SUBSCRIPTED ARRAY, IMM(Z), IS OF THE FORM G(X) + F(Y), WHERE G(X) = (X-1)\*X/2 AND F(Y) = Y. THEREFORE Z = (X-1)\*X/2+Y

THIS IS DONE IN THE PROGRAM BY THE EXTERNAL FUNCTION INDEX(X,Y).

SINCE THE ORDER OF OCCURRENCE OF THE GRAY TONES BELONGING TO A RESOLUTION CELL PAIR IS IMMATERIAL, THE ARRAYS ARE SYMMETRIC. WE LET THE LARGER OF THE TWO HAVE THE FIRST SUBSCRIPT, I.E., THE ARRAY IS STORED IN LOWER TRIANGULAR FORM. THE ORDER OF THE SUBSCRIPTING IS AS FOLLOWS —

IMM(1,1) = IM(1), IMM(2,1) = IMM(2), IMM(2,2) = IMM(3),IMM(3,1) = IMM(4),

IMM(NOBL, NOBL) = IMM(NBUBL).

THE SCANNING PROCEDURE, THAT IS THE METHOD BY WHICH THE PAIRWISE COMPARISONS ARE MADE, IS DESCRIBED BELOW FOR THE GENERAL CASE.

CONSIDER A RESOLUTION CELL WITH SPATIAL COORDINATES (M,N), AND CALL THIS CELL I. THE SCANNING OPERATION BEGINS IN THE UPPER LEFT HAND CORNER OF THE IMAGE AND IT THEN PROCEEDS BY COMPARING THE GRAY

TONE OF &1& WITH AT MOST FOUR GRAY TONES OF ITS NEIGHBOURING RESOLUTION CELLS. THAT &1& NEVER NEEDS TO CONSIDER MORE THAN FOUR NEIGHBOURS CAN BE SEEN FROM THE DIAGRAM OF THE SEARCH PATTERN SHOWN BELOW --

MLK

ON A GIVEN ITERATION, &I& WILL LOOK FIRST AT ITS VERTICAL NEIGHBOUR (&L&), NEXT AT ITS HORIZONTAL NEIGHBOUR (&J&), THIRD AT ITS LOWER RIGHT NEIGHBOUR (&K&) AND FOURTH AT ITS LOWER LEFT DIAGONAL NEIGHBOUR (&M&). &I& THEN MOVES INTO THE POSITION OF THE RIGHT RESOLUTION CELL OF THE PREVIOUSLY SCANNED FIRST ROW (THE POSITION OCCUPIED BY &J&). THE OPERATION IS REPEATED UNTIL ALL NEIGHBOURING PAIRS OF RESOLUTION CELLS HAVE BEEN EXAMINED. THE PROCEDURE IS FURTHER REPEATED FOR CELLS SKIPPED OVER IF THE SPATIAL DISTANCE IS GREATER THAN ONE, TILL ALL CELLS HAVE BEEN EXHAUSTED.

IL=INDEX(I,L)

COUNT VERTICALLY ADJACENT (90-DEGREE) NEIGHBOUR

LEX1(IL)=LEX1(IL)+1

IJ = IMDEX(I, J)

COUNT HORIZONTALLY ADJACENT (O-BE+REE)
NEIGHBOUR

LEX2(IJ) = LEX2(IJ) + 1

Ik = INDEX(I, K)

COUNT LEFT DIAGONALLY ADJACENT (135-DEGREE) NEIGHBOUR

LEXS(IK)=LEXS(IK)+1

NOW ITERATE DOWN THE ROW

DO 130 N=IRM, NUMPMM, MM

I = I

		M=L L=K	
¢		J=IDATA(NMM, IST)-LEAST1 K=IDATA(NMM, LST)-LEAST1	
C		IL=INDEX(I,L)	
0000			COUNT VERTICALLY ADJACENT (90-DEGREE) NEIGHBOUR
İ		LEX1(IL)=LEX1(IL)+1	
C		IJ=INDEX(I,J)	
CCC			COUNT HORIZONTALLY ADJACENT (O-DE+REE) NEIGHBOUR
<b>E</b> :		LEX2(IJ)=LEX2(IJ)+1	
C		IK=INDEX(I,K)	
			COUNT LEFT DIAGONALLY ADJACENT (135-DEGREE) NEIGHBOUR
C		LEX3(IK)=LEX3(IK)+1	
C		IM=INDEX(I,M)	
0			COUNT RIGHT DIAGONALLY ADJACENT (45-DEGREE) NEIGHBOUR
C		LEX4(IM)=LEX4(IM)+1	
C	: 130	CONTINUE	
			COMPUTE THE LAST SET OF MM COLUMNS SEPARATELY
C		I=U M=L L=K	
Ç		IL=INDEX(I,L)	
Č C	·. ·! ·.		COUNT VERTICALLY ADJACENT (90-DEGREE) NEIGHBOUR
	<b>-</b>	LEX1(IL)=LEX1(IL)+1	
	•	IM=INDEX(I,M)	
1			COUNT RIGHT DIAGONALLY ADJACENT (45-DEGREE) NEIGHBOUR

			LEX4(IM)=LEX4(IM)+1	
		120	CONTINUE	
1 1 1 1 1				SHIFT THE POINTERS FOR THE TWO ARRAYS. THIS IS DONE BY A CYCLIC ROTATION. THE POINTER ARRAY IPT IS SUCH THAT AT ANY TIME THE ITH LOCATION OF IPT CONTAINS THE POINTER TO THE 1TH POSITION OF THE LINE IN IDATA OR JDATA ARRAY. FOR
	C C C			EXAMPLE, IF IPT(2)=4 THEN THE FOURTH LINE OF THE PHYSICAL JDATA ARRAY IS ACTUALLY THE SECOND LINE, AT THAT MOMENT.
			IF(LCNT EQ. NUMLIN) GO TO	0 105
	C C			ROTATE IN A CYCLIC MANNER
		135	ITEMP=IPT(1) DO 135 IB=1.MM IPT(IB)=IPT(IB+1) IPT(MM1)=ITEMP	
	CCC			SET UP THE POINTERS TO THE FIRST AND LAST ROWS OF THE TWO IMAGE ARRAYS
			IST=IPT(1) LST=IPT(MM1)	
	C			READ IN A NEW LINE INTO THE IDATA ARRAY
	C	112	DO 112 LY=1, NUMPPL	GO TO 106 GO TO 106 GO TO 106
	C		CONTINUE GO TO 108 IEV=-5010 RETURN IERR1	
	C			THE LAST MM ROWS ARE COMPUTED SEPARATELY
•	CC	108	DO 140 LR=1,MM ISR=IPT(LR+1)	DO LOOP TO GO THROUGH THE MM ROWS
	CCC		DO 142 IRW=1,MM	DO LOOP TO GO THROUGH EACH ROW MM TIMES
			I=IDATA(IRW.ISR)-LEASTI	ORIGINAL FAGE IS OF FOOR QUALITY

	0000			DO LOOP TO WORK DOWN A ROW, COMPUTING THE O-DEGREE NEIGHBOUR ONLY
.,	C		DO 144 N=IRW, NUMPMM, MM NMM=N+MM J=IDATA(NMM, ISR)-LEAST1	
	c		IJ=INDEX(I,J)	
****	C C C			COUNT HORIZONTALLY ADJACENT (O-DEGREE) NEIGHBOUR
,	C		LEX2(IJ)=LEX2(IJ)+1	
	c		I=J CONTINUE	
-	C	140	CONTINUE	
	Ĉ			DOUBLE THE DIAGONAL TO MAKE EVERYTHING
	C			COME OUT RIGHT
	C		NOBL=IMAX-IMIN+1 DO 12 I=1, NOBL	COME OUT RIGHT
***	C C			COME OUT RIGHT
	CCC	12	DO 12 I=1, NOBL	COME OUT RIGHT
	0 0	1 <b>2</b>	DO 12 I=1, NOBL  II=INDEX(I, I)  LEX1(II)=LEX1(II)*2 LEX2(II)=LEX2(II)*2 LEX3(II)=LEX3(II)*2	COME OUT RIGHT
		12	DO 12 I=1, NOBL  II=INDEX(I, I)  LEX1(II)=LEX1(II)*2 LEX2(II)=LEX2(II)*2 LEX3(II)=LEX3(II)*2 LEX4(II)=LEX4(II)*2  CALL CLOSE(IDATI) CALL KDPOP	ERROR
		12 7999	DO 12 I=1, NOBL  II=INDEX(I, I)  LEX1(II)=LEX1(II)*2 LEX2(II)=LEX2(II)*2 LEX3(II)=LEX3(II)*2 LEX4(II)=LEX4(II)*2  CALL CLOSE(IDATI) CALL KDPOP RETURN	

CFUNC1 C		F-U-N	-C-1		
C.	PROGRAM TITLE	SUBROUTINE FUNC1			
	PROGRAMMER UPDATE	A.SINGH OCTOBER 197 ROBERT M HARALICK GE MONAGHAN CHIN-HUANG CHEN	2 FECRUARY AUGUST 8, FEBRUARY :	1974	
C C	DOCUMEN- TATION	A. SINGH			
C	COMPUTER REQUIRED	ANY			
C C C	PROGRAM LANGUAGE	FORTRAN IV			
C C	PURPOSE	FUNC1 COMPUTES THE S IMAGE,	UM PROBABI	LITY FEATURE	OF THE
C C C C	METHOD	FUNC1 FIRST COMPUTES EACH DIRECTION. THE P(I,J) = LEXK(IJ)/(T LEX ARRAY). IJ = IND	N P(I,J) F OTAL NUMBE	OR THE K LEX	ARRAY IS
C C C	CALLING SEQUENCE	CALL FUNC1(LEX1)LEX2	LEXB,LEX4	, FUNC, MBUBL)	
0000000000000000	ARGUMENTS	RESULTS OF THESE ARE THE LEX AF CORRESPOND IS 90,0,13 WHILE THE IS THE LOCAS IN THE NBUBL SIZE OF A	MATRICES. TWO DIMENS SUBROUTING STORED IN RAYS. THE DS TO THE DS SOR 45 DE FIRST SUBS CATION OF T	(IONAL ARRAY IN FUNCT ARE TRIANGULAR FOR SECOND SUBSTITUTED (K= GREEN RESPECTION (K= GREEN TONE)	WHERE THE STORED. DRM LIKE CRIPT 1,2,3 OR 4 TIVELY), DEX(I,J),
C C C	PARAMETERS AND ARRAYS	R1, R2, R3, R4 ARE THE	ONE PAIRS F		
C C	INPUT AND OUTPUT	NONE			
C C	RETURNS	NO ERROR RETURNS			

```
C
       SUBPROGRAMS
                      INDEX
 C
       REQUIRED
 ι_:
 C.
       CALLED BY
                      TXTMN
 C.
 C
       SUBROUTINE FUNC1(LEX1, LEX2, LEX3, LEX4, FUNC, NBUBL, NOBL)
        DOUBLE INTEGER FUNC, LEX1, LEX2, LEX3, LEX4
 C
       DIMENSION LEX1(1), LEX2(1), LEX3(1), LEX4(1), FUNC(1,4)
         FUNC(NBUBL, 4)
 C.
 Ċ
 C
                     NOW COMPUTE FUNC
 C
                     TO DETERMINE THE TOTAL NUMBER OF PAIRS IN A GIVEN DIRECTION
 C
 C
          R1=0.
          R2=0.
          R3=0.
          R4=0.
          DO 5 I=1, NOBL
          DO 5 J=1, NOBL
          IJ=INDEX(I,J)
          TEMP=LEX1(IJ)
          R1=R1+TEMP
          TEMP=LEX2(IJ)
          R2=R2+TEMP
          TEMP=LEXS(IJ)
          R3=R3+TEMP
          TEMP=LEX4(IJ)
          R4=R4+TEMP
     5
          CONTINUE
 Ę.
 Γ.
                    TO COMPUTE AVERAGE
 C
          AVG1=0.
          AVGZ=0.
          AVG3=0.
          AVG4=0.
_ C
          DO 6 I=1, NOBL
          DO 6 J=1, NOBL
          IJ=INDEX(I,J)
  C
          TEMP=LEX1(IJ)
          AVG1=AVG1+TEMP*TEMP
          TEMP=LEX2(IJ)
          AVG2=AVG2+TEMP*TEMP
          TEMP=LEX3(IJ)
```

AVG3=AVG3+TEMP\*TEMP

TEMP=LEX4(IJ) AVG4=AVG4+TEME\*TEME CONTINUE Ú 17  $\Box$ AVG1=AVG1/R1 AVG2=AVG2/R2 AVGS=AVGS/RS AVG4=AVG4/R4 C C DO 7 I=1, NOBL DO 7 J=I, NOBL IJ=INDEX(I,J) C TEMP=LEX1(IJ) FUNC(IJ, 1) = (TEMP-AVG1) \*1000. /R1 TEMP=LEX2(IJ) FUNC(IJ, 2)=(TEMP-AVG2)\*1000. /R2 TEMP=LEX3(IJ) FUNC(IJ, 3)=(TEMP-AVG3)\*1000. /R3 TEMP=LEX4(IJ) FUNC(IJ, 4) = (TEMP-AVG4) \*1000. /R4 7 CONTINUE C C RETURN END

****	CFUNC:	?		F-U-N-	-r7		
-	C	- PROGRAM	SUBROUTINE				
_	C C	TITLE		To fail Whee als			
-	C C C C	PROGRAMMER UPDATE	A SINGH O ROBERT M H GE MONAGHA CHIN-HUANG	N	2 FEBRUARY 1974 OCTOBER 1974 FEBRUARY 22,		
	C C	DOCUMEN- TATION	A. SINGH				
~	ē c c	COMPUTER REQUIRED	ANY				<u> </u>
	0	PROGRAM LANGUAGE	FORTRAN IV				
. <b>-</b>	C C C	PURPOSE	FUNCZ COMF IMAGE.	UTES THE G	RADIENT ENTROP	Y FEATURE O	F THE
~	C C C C C C	METHOD	EACH DIREC ALOG(1.+AB	TIOM. THE S(I-J))*AL = LEXK(IJ)	THE TOTAL NUM GRADIENT ENTRO OG(P(I,J)), WHE /(TOTAL NUMBER INDEX(I,J).	PY COMPONEN RE THE PROB	IT IS ABILITY
-	C C C	CALLING SEQUENCE	CALL FUNC2	(LEX1, LEX2	, LEX3, LEX4, FUN	IC, NBUBL)	
	Ċ C	ARGUMENTS	LEX1, LEX2	CRAY TONE	LEX4 ARE THE MATRICES.	FOUR TRIANS	JULAR
T	00000000000		FUNC NBUBL	RESULTS OF THESE ARE THE LEX AF CORRESPONI IS 90,0,13 WHILE THE IS THE LOC AS IN THE SIZE OF A	TWO DIMENSIONA SUBROUTINE FU STORED IN TRIA RAYS. THE SEC S TO THE DIREC S OR 45 DEGREE FIRST SUBSCRIF CATION OF THE C LEX ARRAYS. LEX ARRAY L*(NOBL+1)/2	UNC2 ARE STO ANGULAR FORM COND SUBSCRI CTION (K=1,2 ES RESPECTIV PT, IJ=INDE)	ORED, 4 LIKE 1PT 2,3 OR 4 VELY), ((I,J),
	C C	PARAMETERS	NOBL		GRAY TONES		
	C C C	AND ARRAYS		R4 ARE THE	E RECIPRICAL OF ONE PAIRS FOR F		
	0 0 0 0		RL1, 2, 3, 4	ARE THE	PROBABILITIES CTIONS, FOR GRA RAY TONE J IN A	AY TONE I TO	OCCUR

```
IMPUT AND
1.
                       HUME
\mathbb{C}
      CUTPUT
\mathbb{C}
                       NO ERROR RETURNS
Ľ.
      RETURNS
C
(,)
       SUBPROGRAMS
                       INDEX
C
       REQUIRED
<u>("</u>.
ľ.
       CALLED BY
                       MMTXT
<u>[]</u>:
C
         SUBROUTINE FUNC2(LEX1, LEX2, LEX3, LEX4, FUNC, NBUBL, NOBL)
         DOUBLE INTEGER FUNC, LEX1, LEX2, LEX3, LEX4
         DIMENSION LEX1(1), LEX2(1), LEX3(1), LEX4(1), FUNC(1,4)
Ċ
ľ.
         FUNC(NBUBL, 4)
C
[_;
Ü
                      NOW COMPUTE FUNC
C.
                      TO DETERMINE THE TOTAL NUMBER OF PAIRS IN A GIVEN DIRECTION -
C
        Right Co
         82.20
        R3≈0.
        R4=0.
Ü
         DO 5 I=1, NOBL
         DO 5 J=15 NOBL
         IJ=IMDEX(I,J)
C
         TEMP=LEX1(IJ)
         R1=R1+TEMP
         TEMP=LEX2(IJ)
         R2=R2+TEMP
         TEMP=LEX3(IJ)
         R3=R3+TEMP
         TEMP=LEX4(IJ)
         R4=R4+TEMP
         CONTINUE
 C
C
 (".
                         TO GET R1, R2, R3, R4 TO SAVE DIVISIONS
 \mathbf{I}_{i}^{-1}
          R1 = 1.7R1
          R2=1, 7R2
          R3=1 /R3
          民4=1 7民4
 Ľ.
 1.
```

## TO COMPUTE ANGULAR MOMENTUM COMPONENT

```
DO 2 J = 1, NOBL

DO 2 J = 1, NOBL

IJ=INDEX(I, J)

TEMP=LEX1(IJ)

RL1=TEMP*R1

TEMP=LEX2(IJ)

RL2=TEMP*R2

TEMP=LEX3(IJ)

RL3=TEMP*R3

TEMP=LEX4(IJ)

RL4=TEMP*R4

FUNC(IJ, 1)=ALOG(1. +ABS(FLOAT(I-J)))*ALOG(1. E-9+RL1)*200.

FUNC(IJ, 2)=ALOG(1. +ABS(FLOAT(I-J)))*ALOG(1. E-9+RL2)*201.

FUNC(IJ, 3)=ALOG(1. +ABS(FLOAT(I-J)))*ALOG(1. E-9+RL3)*200.

FUNC(IJ, 4)=ALOG(1. +ABS(FLOAT(I-J)))*ALOG(1. E-9+RL4)*200.
```

## 2 CONTINUE

C

RETURN END

CFUNC	::5	F-U-N-C-3
1		
	TITLE TITLE	SUPPOUTINE FUNCS
	PROGRAMMER UPDATE	A.SINGH OCTOBER 1972 ROBERT M HARALICK FEBRUARY 1974 GE MONAGHAN OCTOBER 1974 CHIN-HUANG CHEN FEBRUARY 22, 1975
Č C	DOCUMEN- TATION	A. SINGH
i.	COMPUTER REQUIRED	ANY CONTROL OF THE CO
C C C	PROGRAM LANGUAGE	FORTRAN IV
C C	PURPOSE	FUNC3 COMPUTES THE ENTROPY FEATURE OF THE IMAGE.
0 0 0 0	МЕТНОО	FUNCS FIRST COMPUTES THE TOTAL NUMBER OF PAIRS FOR EACH DIRECTION. THE ENTROPY COMPONENT IS THEN $-P(I,J)*ALOG(P(I,J))$ , WHERE THE PROBABILITY $P(I,J)$ IS $P(I,J) = LEXK(IJ)/(TOTAL NUMBER OF PAIRS FOR THE K LEX ARRAY). IJ = INDEX(I,J)$
C C	CALLING SEQUENCE	CALL FUNC3(LEX1, LEX2, LEX3, LEX4, FUNC, NBUBL)
000000000000000000000000000000000000000	ARGUMENTS	LEX1, LEX2, LEX3 AND LEX4 ARE THE FOUR TRIANGULAR GRAY TONE MATRICES.  FUNC THIS IS A TWO DIMENSIONAL ARRAY WHERE THE RESULTS OF SUBROUTINE FUNC3 ARE STORED. THESE ARE STORED IN TRIANGULAR FORM LIKE THE LEX ARRAYS. THE SECOND SUBSCRIPT CORRESPONDS TO THE DIRECTION (K=1,2,3 OR 4 IS 90,0,135 OR 45 DEGREES RESPECTIVELY), WHILE THE FIRST SUBSCRIPT, IJ=INDEX(I,J), IS THE LOCATION OF THE GRAY TONE PAIR (I,J) AS IN THE LEX ARRAYS. NBUBL SIZE OF A LEX ARRAY
	PARAMETERS AND ARRAYS	NOBL NUMBER OF GRAY TONES R1,R2,R3,R4 ARE THE RECIPRICAL THE TOTAL NUMBER OF GRAY TONE PAIRS FOR EACH OF THE FOUR DIRECTIONS RL1,2,3,4 ARE THE PROBABILITIES P(I,J), FOR THE FOUR DIRECTIONS, FOR GRAY TONE I TO OCCUR NEXT TO GRAY TONE J IN A PARTICULAR DIRECTION
Ċ	INPUT AND	ORIGINAL PAGE IS OF POOR QUALITY
		175

```
OUTPUT
 C
 C
                      NO ERROR RETURNS
        RETURNS
 C
                       INDEX
  SUBPROGRAMS
  C
        REQUIRED
  C
  Ľ.
        CALLED BY
                       TXTMN
- C
  C
        SUBROUTINE FUNC3(LEX1, LEX2, LEX3, LEX4, FUNC, NBUBL, NOBL)
_ 0
        DOUBLE INTEGER FUNC, LEX1, LEX2, LEX3, LEX4
        DIMENSION LEX1(1), LEX2(1), LEX3(1), LEX4(1), FUNC(1,4)
 C:
          FUNC(NBUBL, 4)
  Ľ.
  C
  C
  C
                     NOW COMPUTE FUNC
  C
  C
                     TO DETERMINE THE TOTAL NUMBER OF PAIRS IN A GIVEN DIRECTION
  Ç.
           R1 = 0.
           R2=0.
           R3=0.
           R4=0.
        DO 5 I=1, NOBL
        DO 5 J=1, NOBL
         IU=INDEX(I,U)
           TEMP=LEX1(IJ)
           R1=R1+TEMP
           TEMP=LEX2(IJ)
           R2=R2+TEMP
           TEMP=LEX3(IJ)
           R3=R3+TEMP
           TEMP=LEX4(IJ)
           R4=R4+TEMP
      5
           CONTINUE
  C
  C
  10
                     TO GET R1, R2, R3, R4 TO SAVE DIVISIONS
_ ()
           R1=1, /R1
           R2=1, /R2
           R3=1, /R3
           R4=1. /R4
  C
                     TO COMPUTE ENTROPY COMPONENTS
  Ç.
         DO 2 I=1, NOBL
         DO 2 J=I, NOBL
         IJ=INDEX(I,J)
```

TEMP=LEX1(IJ)
RL1 = TEMP\*R1
TEMP=LEX2(IJ)
RL2 = TEMP\*R2
TEMP=LEX3(IJ)
RL3 = TEMP\*R3
TEMP=LEX4(IJ)
RL4 = TEMP\*R4

Ę.

<u>|</u>

IF(RL1, LT, 0, 000001) = G0 T0 31FUNC(IJ, 1) = (-RL1\*AL0G(RL1))\*200.

- 31 IF(RL2.LT.0.000001) G0 T0 32 FUNC(IJ,2) = (-RL2\*ALOG(RL2))\*200.
- 32 IF(RL3.LT.0.000001) GO TO 33 FUNC(IJ/3) = (-RL3\*ALOG(RL3))\*200.
- 33 IF(RL4 LT. 0. 000001) GO TO 2 FUNC(I,J,4) = (-RL4\*ALOG(RL4))\*200.
  - 2 CONTINUE

RETURN END

	CFUNC4	F-11-N-12-4
	C C C PROGRAM C TITLE	SUBROUTINE FUNC4
	C PROGRAMMER C UPDATE C	ROBERT M HARALICK MAY 1973 ROBERT M HARALICK FEBRUARY 1974 GE MONAGHAN OCTOBER 1974 CHIN-HUANG CHEN FEBRUARY 22, 1975
-	C DOCUMEN- C TATION	ROBERT M HARALICK
-	C COMPUTER C REQUIRED C	ANY CONTRACTOR OF THE CONTRACT
	C PROGRAM C LANGUAGE C	FORTRAN IV
	C PURPOSE C	FUNC4 COMPUTES THE GRADIENT FEATURE OF THE IMAGE.
	C C METHOD C C C	FUNC4 FIRST COMPUTES THE TOTAL NUMBER OF PAIRS FOR EACH DIRECTION. THE GRADIENT COMPONENT IS ABS(I-J)/ $P(I,J)$ WHERE THE PROBABILITY $P(I,J)$ IS $P(I,J) = LEXK(IJ)/(TOTAL NUMBER OF PAIRS FOR THE K LEX ARRAY). IJ = INDEX(I,J).$
-	C C CALLING C SEQUENCE C	CALL FUNC4(LEX1, LEX2, LEX3, LEX4, FUNC, NBUBL)
	C ARGUMENTS C C C C C C C C C	LEX1, LEX2, LEX3 AND LEX4 ARE THE FOUR TRIANGULAR GRAY TONE MATRICES.  FUNC THIS IS A TWO DIMENSIONAL ARRAY WHERE THE RESULTS OF SUBROUTINE FUNC4 ARE STORED. THESE ARE STORED IN TRIANGULAR FORM LIKE THE LEX ARRAYS. THE SECOND SUBSCRIPT CORRESPONDS TO THE DIRECTION (K=1,2,3 OR 4 IS 90,0,135 OR 45 DEGREES RESPECTIVELY), WHILE THE FIRST SUBSCRIPT, IJ=INDEX(I,J), IS THE LOCATION OF THE GRAY TONE PAIR (I,J) AS IN THE LEX ARRAYS. NBUBL SIZE OF A LEX ARRAY
		NOBL NUMBER OF GRAY TONES R1,R2,R3,R4 ARE THE RECIPRICAL OF THE TOTAL NUMBER OF GRAY TONE PAIRS FOR EACH OF THE FOUR DIRECTIONS RL1,2,3,4 ARE THE PROBABILITIES P(I,J), FOR THE FOUR DIRECTIONS, FOR GRAY TONE I TO OCCUR NEXT TO GRAY TONE J IN A PARTICULAR DIRECTION.

```
Ç,
       IMPUT AND
                     NONE
C.
       DUTPUT
C
Ü
                     NO ERROR RETURNS
       RETURNS
[]
C
       SUBPROGRAMS
                      INDEX
C
       REQUIRED
j<u>"</u>.
C
       CALLED GY
                      MMTXT
C
C
       SUBROUTINE FUNC4(LEX1, LEX2, LEX3, LEX4, FUNC, NBUBL, NOBL)
       DOUBLE INTEGER FUNC, LEX1, LEX2, LEX3, LEX4
C
       DIMENSION LEXI(1), LEX2(1), LEX3(1), LEX4(1), FUNC(1,4)
C
[]
         FUNC(NEUBL, 4)
C
         AF=1. /FLOAT(NEUBL)
C
                     MOW COMPUTE FUNC
[]:
C.
                     TO DETERMINE THE TOTAL NUMBER OF PAIRS IN A GIVEN DIRECTION
C
         R1=0.
         R2=0.
         R3=0.
         R4=0.
       DO 5 I=1, MOBL
       DO 5 J=1, NOBL
       IJ=INDEX(I,J)
          TEMP=LEX1(IJ)
          R1=R1+TEMP
          TEMP=LEX2(IJ)
          R2=R2+TEMP
          TEMP=LEXS(IJ)
          R3==R3+TEMP
          TEMP=LEX4(IJ)
          R4=R4+TEMP
     5
          CONTINUE
Ţ.
                     TO GET RI, RZ, R3, R4 TO SAVE DIVISIONS
C
 C
          R1=1.7R1
          R2=1, /R2
          R3=1 /R3
          R4=1. /R4
 1.
 TO COMPUTE ANGULAR MOMENTUM COMPONENT
 \Box
        DO 2 I=1, NOBL
        DO 2 J = I, NOBL
        IJ=IMDEX(I,J)
```

```
TEMP=LEX1(IJ)
TEMP=LEX2(IJ)
FUNC(IJ,1)=(ABS(FLOAT(I-J))/(AF+TEMP*R1))*200.
TEMP=LEX3(IJ)
FUNC(IJ,2)=(ABS(FLOAT(I-J))/(AF+TEMP*R2))*200.
TEMP=LEX4(IJ)
FUNC(IJ,3)=(ABS(FLOAT(I-J))/(AF+TEMP*R3))*200.
FUNC(IJ,4)=(ABS(FLOAT(I-J))/(AF+TEMP*R4))*200.
2 CONTINUE
RETURN
```

C

END

180

CFUN	IC:5	F-U-N-C-		
C C C		PLEXIX QUANTIZING FUNCTION		
,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,		VERSION: DATE: AUTHOR: UPDATE DOCUMENTED BY: IMPLEMENTED ON:	FUNC5 A NOVEMBER 23,1973 ROBERT M HARALICK CHIN-HUANG CHEN 2/22/75 ROBERT M HARALICK PDP 15 FORTRAN	
		THIS SUBROUTINE ARRAYS WHICH HAVE BEEN E	PREPARES NORMALIZED LEX EQUAL PROBABILITY QUANTIZED ACCORDING NTS AND PUTS THE RESULTS IN FUNC ARRAY.	
C			EX1, LEX2, LEX3, LEX4, FUNC, NBUBL)	
C C , C		ARGUMENT LIST:	IS VERTICAL CO-OCCURENCE MATRIX	
C C C C C		LEX2 LEX3 LEX4 FUNC	IS HORIZONTAL CO-OCCURENCE MATRIX IS 135 DEGREE CO-OCCURENCE MATRIX IS 45 DEGREE CO-OCCURENCE MATRIX IS THE NORMALIZED AND QUANTIZED CO-OCCURENCE MATRICES FUNC(NOBL, 4)	
C C C		NBUBL.	IS THE SIZE OF THE LEX ARRAYS	
C		DOUBLE INTEGER FUNC, LEX	그램이 하늘이 아내면 하는 그는 말을 받는 것이 없었다. 그리고 있다.	
Ç.		DIMENSION LEX1(1), LEX2( DATA INTVD /8/	1), LEX3(1), LEX4(1), FUNC(1, 4), F(1)	
C.		CALL ADJ1(F, FUNC(1,1))  CALL LEXEQP(LEX4, NOBL, I)	NTVD. F)	
	12	DO 12 I=1, NBUBL FUNC(1,4)=F(I)		
	13	CALL LEXEQP(LEXS, NOBL, I DO 13 I=1, NBUBL FUNC(I,3)=F(I)	NTVD, F)	
	14	CALL LEXEOP(LEX2,NOBL,I DO 14 I=1,NBUBL FUNC(I,2)=F(I)	ORIGINAL PAGE IS OF POOR QUALITY,	
		CALL LEXEQP(LEX1,NOBL,I RETURN DO 15 I=1,NBUBL	NTVD, F)	

15 FUNC(I,1)=F(I) END

```
CLEXEQP
                           L-E-X-E-Q-P
_ [;
          EQUAL PROBABILITY QUANTIZE THE DIAGONAL OF THE LEX ARRAY
 C
 \mathbb{C}
          PROGRAM TITLE:
                                    LEXEGR
 Ü
          VERSION:
 C
          DATE:
                                    NOVEMBER 23,1973
 C.
          AUTHOR:
                                    ROBERT M HARALICK
 C
          UPDATE
                                    CHIN-HUANG CHEN 2/22/75
 C.
          DOCUMENTED BY:
                                    ROBERT M HARALICK
 C
          LANGUAGE:
                                    FORTRAN IV
 C
          PURPOSE:
 C
 C
                   THIS SUBROUTINE EQUAL PROBABILITY QUANTIZES
 C
          THE LEX ARRAY ON THE BASIS OF THE DIAGONAL ELEMENTS.
 C
 Ċ
 C
          ENTRY FOINT:
                          LEXEQF(LEX, NOBL, INTVD, FUNC)
 C
 U
          ARGUMENT LIST:
 C
  C
                   LEX
                                     IS THE LEX ARRAY
                                     IS THE NUMBER OF BRIGHTNESS LEVELS
  C.
                   NOBL
                                     IS THE NUMBER OF DESIRED QUANTIZED
  Ľ.
                   INTVD
  C
                                     LEVELS:
  O
  C
                   FUNC
                                     IS THE NORMALIZED AND QUANTIZED LEX
                                     ARRAY.
  C
  C
           SUBROUTINE LEXEOP(LEX, NOBL, INTVD, FUNC)
           DOUBLE INTEGER FUNC, LEX
           DIMENSION LEX(1), FUNC(1)
           COMMON /IO/NSIZE/F(16)/FLQ(16)/MEX(136)/IT(176)
  C
                                     PUT CUMULATIVE DISTRIBUTION OF
  C
  C
                                     DIAGONAL ELEMENTS OF LEX ARRAY INTO F.
  Č
           IF(INTVD. GT. 16) INTVD=16
           NSIZE=1024
           NBUBL=NOBL*(NOBL+1)/2
           S=0
           DO 1 I=1, NOBL.
           II=INDEX(I, I)
           TEMP=LEX(II)
           S=S+TEMP
      1
           S=1./S
_ [
           TEMP=LEX(1)
           F(1) = TEMP * S
           DO 2 I=2, NOBL
           J=INDEX(I,I)
           TEMP=LEX(J)
           F(I)=F(I-1)+TEMP*S
      Z
C
```

```
ROBL=FLOAT(NOBL)
        CALL EQPONT(NOBL, INTVD, F, FLQ, ROBL, O. 01)
C
ľ.
C
                                    CONSTRUCT THE QUANTIZED LEX MATRIX
        J1 = 1
        DO 4 J=1, INTVD
         IF(J.EQ. 1) GO TO 12
        J1 = FLQ(J-1) + 1.
   12
        CONTINUE
        J2=FLQ(J)
        K1=1
        DO 7 K=1,J
         IF(K. EQ. 1) GO TO 13
        K1 = FLQ(K-1) + 1.
 13
         CONTINUE
         K2=FLQ(K)
         MM=INDEX(J,K)
         MEX(MM) = 0
C
           DO 10 JU=J1, J2
           DO 10 KK=K1, K2
           LL=INDEX(JJ, KK)
           MEX(MM) = MEX(MM) + LEX(LL)
   10
           CONTINUE
    7
         CONTINUE
         CONTINUE
C
C
                                    DEFINE THE QUANTIZING FUNCTION
         J=1
         DO 3 I=1, NOBL
         IF(FLOAT(I), LE, FLQ(J)) GO TO 5
C
                                    GREY TONE I BELONGS TO THE NEXT QUANTIZING
                           INTERVAL.
         J=J+1
C
C
                                    GREY TONE I BELONGS TO THE JTH QUANTIZING
C
                           INTERVAL.
C.
    5
         L=(I)TI
         CONTINUE
<u>[</u>:
\Gamma
                                    TRANSFER IT TO FUNC.
C
         DO 11 I=1, NOBL
         II = IT(I)
         DO 11 J=1, NOBL
         JJ=IT(J)
         N=INDEX(I,J)
         MM=INDEX(II) JJ)
         TEMP=MEX (MM)
```

11 CONTINUE FUNC(N)=TEMP\*S\*1000. RETURN END

	CPLXIT		P-L-X-I-T
Carried States of the Control of the	C C	PROGRAM TITLE	SUBROUTINE PLXIT
ATT OF THE PARTY O	000000000	PROGRAMMER MODIFIED	A. SINGH NOVEMBER &72 5/14/73 ROBERT M HARALICK 7/10/73 2/2/74 8/10/74 GE MONAGHAN 10/10/74 RM HARALICK 2/22/75 CHIN-HUANG CHEN
	C C	DOCUMEN- TATION	A. SINGH
The second second	C C	COMPUTER REQUIRED	
	C C C	PROGRAM LANGUAGE	FORTRAN IV
	Č C	PURPOSE	PLXIT COMPUTES THE JDATA IMAGE
and the control of th		METHOD	PLXIT COMPUTES THE JDATA IMAGE UTILISING THE RESULTS OF FPLXIT AND FUNC. LET G(I,J) BE THE GRAY LEVEL OF THE JTH RESOLUTION CELL IN THE ITH LINE OF THE CONSIDERED IMAGE (IDATA), AND LET V(I,J) BE THE JTH RESOLUTION CELL IN THE ITH LINE OF THE JDATA IMAGE. THEN
a visual and a	C C	V(I,J) =	FUNC(G(I,J+L),G(I-L,J+L),G(I-L,J),G(I-L,J-L), G(I,J-L),G(I+L,J-L),G(I+L,J),G(I+L,J+L)),
The second secon	C C C C		WHERE FUNC IS A FUNCTION (SUCH AS FUNC1, FUNC2 OR FUNC3) PROVIDED BY THE USER.  L = 1,2,3, IS THE  SEPARATION BETWEEN CELLS. L=1, MEANS NEAREST  NEIGHBOUR, L=2, MEANS NEXT TO NEAREST NEIGHBOUR ETC.  PLXIT WORKS FOR ALL POSITIVE L.
and the second second second	C C C	ENTRY POINT	PLXIT(IDATI, IDATJ, IDATA, JDATA, IDENT, FUNC, IPT NBUBL, MM1, NXMIN, NXMAX, JDENT, IEV, IERR1)
to compare and determine the form of programmers and determine to the contract of the contract	000000000000	ARGUMENTS	IDATI DAT SLOT WHERE ORIGINAL IMAGE RESIDES IDATJ DAT SLOT FOR JDATA IMAGE IDATA SCRATCH ARRAY WHERE THE ORIGINAL IMAGE IS READ IN.  JDATA INTEGER ARRAY WHERE THE JDATA IMAGE IS GENERATED AND STORED BEFORE BEING WRITTEN ONTO THE TAPE (03). IDENT IDENTIFICATION ARRAY OF IDATA JDENT FUNC A TWO DIMENSION ARRAY CONTAINING THE
		and the property of the second second second for the second	a ben'ng tang ang alau minang akamatan na ang manahatan pagbabahatan ang bilang matang bababahatan ang bilang na manahatan ang

 $\Gamma$ C Γ: Ľ. C C C C ľ. ľ. C Ċ. C C C C Γ. Ċ C Γ. D C Γ. C. C C C 1.  $\mathbb{C}$ C C. Ü 1 C C C C

1. **F** C C.

RESULTS OF THE EXTERNAL FUNCTION PROGRAM. THE SECOND INDEX DETERMINES THE DIRECTION, WHILE THE FIRST ONE CORRESPONDS TO THE ELEMENT IN THE ASSOCIATED LEX ARRAY. IFT ARRAY WHICH CONTAINS THE POINTERS FOR THE IDATA AND THE JDATA ARRAYS

SIZE OF A LEX ARRAY MEUBL

NBUBL=NOBL\*(NOBL+1)/2, WHERE NOBL IS THE

NUMBER OF GRAY TONES.

MM1 SPATIAL DISTANCE + 1 MINIMUM JDATA VALUE NXMIN NXMAX MAXIMUM JDATA VALUE INTEGER EVENT VARIABLE

IEV=-5011 IF NUMPPL OR NUMLIN IS LESS THAN

TWICE MM.

PARAMETERS NUML IN NUMBER OF LINES IN THE IMAGE

NUMPEL NUMBER OF POINTS PER LINE IN THE INPUT IMAGE

AND ARRAYS

LARGEST GRAY TONE ON INPUT FILE IMAX IMIN LEAST GRAY TONE ON INPUT FILE

LEAST1 =IMIN-1.LEASTI IS USED FOR NORMALIZING

THE GRAY TONES.

NOBL NUMBER OF GRAY TONES

NOBL=IMAX-IMIN+1

RETURNS NO ERROR RETURNS

SUBPROGRAMS INDEX REQUIRED

CALLED BY MMTXT

COMMENTS PLXIT WORKS FOR ALL SPATIAL DISTANCES, THIS BY HAVING MM + 1 LINES OF IDATA IN THE CORE,

WHERE MM IS THE SPATIAL DISTANCE PARAMETER.

SUBROUTINE PLXIT(IDATI, IDATJ, IDATA, JDATA, IDENT, FUNC. IPT, NBUBL, MM1, IMGNO, NXMIN, NXMAX, JDENT, IARRAY, IEV, IERRI)

DOUBLE INTEGER FUNC DIMENSION IDATA(1,1), JDATA(1,1), FUNC(1,1), IPT(1), IDENT(20) DIMENSION JOENT(20), IARRAY(1, 1, 1)

IDATA(NUMPPL, MM1), JDATA(NUMPPL, MM1), FUNC(NBUBL, 4), IPT(MM1)

STACK SUBROUTINE NAME IN ERROR STACK

CALL KDPUSH( PLXIT ( / /)

SET PARAMETERS

```
NUMPFL=IDENT(6)
        NUMLIN=IDENT(7)
        IMIN=IDENT(15)
        IMAX=IDENT(16)
        LEAST1=IMIN-1
        NOBL=IMAX-LEAST1
        NBUBL=NOBL*(NOBL+1)/2
C
17.
        NXMIN=131000
        NXMAX=-131000
0
Đ.
                                  CHECK IF SIZE OF IMAGE IS TOO SMALL,
                                  RELATIVE TO THE SPATIAL DISTANCE
C:
Γ.
                                   PARAMETER.
Ľ.
        MM = MM1 - 1
        MM2=MM*2
      IF (NUMPPL LT. MM2. OR. NUMLIN, LT. MM2) GO TO 9999
C
Γ.
C
                                  ZERO OUT THE JDATA ARRAY
C
         NUMPMM=NUMPPL-MM
         NUMLMM=NUMLIN-MM
      DO 100 I=1, NUMPPL
      DO 100 J=1, MM1
  100 \text{ JDATA}(I,J)=0
C
C
                                  READ IN THE FIRST MM1 LINES OF THE IMAGE
                                   AND SET UP POINTERS
C
Ľ.
      DO 110 IY=1, MM1
       IPT(IY)=IY
         CALL RREAD(IDATI, IARRAY, IMGNO, IY, 1, IDENT, IEV, ERR1)
         DO 111 LY=1, NUMPPL
         IDATA(LY, IY) = IARRAY(1, 1, LY)
  111
  110 CONTINUE
C
Ľ.
                                   SETTING UP POINTERS FOR THE FIRST AND
LAST ROWS OF THE IMAGE ARRAYS
C
       IST=IFT(1)
       LST=IPT(MM1)
C
C
                                   GO THROUGH ALL BUT MM ROWS OF IMAGE
C
         NEXT=MM1+1
Ľ.
       DO 105 LCNT = 1, NUMLIN
C
C
                                   GO THROUGH EACH ROW MM TIMES.
                                                                     THE FIRST
```

1

C

C

 $\mathbb{C}$ 

17

C

Γ.

C

C:

C

C

Ü

C

C

CCCC

C

Ľ.

C:

C

Ü

Ľ.

DO 120 IRW=1, MM

IRM=IRW+MM

SET I, L, J AND K EQUAL TO THE (NORMALISED) VALUES OF GRAY TONES OF RESOLUTION CELLS IN POSITIONS A, B, C AND D AS IN THE DIAGRAM --

A C B D

WHERE A INITIALLY IS THE UPPER LEFT CORNER CELL. THE CELLS ARE A DISTANCE MM APART.

I=IDATA(IRW, IST)-LEAST1
L=IDATA(IRW, LST)-LEAST1
K=IDATA(IRM, LST)-LEAST1
J=IDATA(IRM, IST)-LEAST1

PUT THE TWO DIMENSIONAL INFORMATION INTO ONE DIMENSIONAL FORM. THE FUNCTION NEEDED TO CONVERT A DOUBLE SUBSCRIPTED ARRAY, IMM(X,Y), INTO A SINGLE SUBSCRIPTED ARRAY, IMM(Z), IS OF THE FORM G(X) + F(Y), WHERE G(X) = (X-1)\*X/2 AND F(Y) = Y. THEREFORE Z = (X-1)\*X/2. THIS IS DONE IN THE PROGRAM BY THE EXTERNAL FUNCTION INDEX(X,Y).

SINCE THE ORDER OF OCCURRENCE OF THE GRAY TONES BELONGING TO A RESOLUTION CELL PAIR IS IMMATERIAL, THE ARRAYS ARE SYMMETRIC. WE LET THE LARGER OF THE TWO HAVE THE FIRST SUBSCRIPT, I.E., THE ARRAY IS STORED IN LOWER TRIANGULAR FORM. THE ORDER OF THE SUBSCRIPTING IS AS FOLLOWS —

IMM(1,1) = IMM(1), IMM(2,1) = IMM(2), IMM(2,2) = IMM(3),IMM(3,1) = IMM(4),

IMM(NOBL, NOBL) = IMM(NBUBL).

THE SCANNING PROCEDURE, THAT IS THE METHOD BY WHICH THE PAIRWISE COMPARISONS ARE MADE, IS DESCRIBED BELOW FOR THE GENERAL CASE.

CONSIDER A RESOLUTION CELL WITH SPATIAL

ORIGINAL PAGE IS ORIGINAL OUTALITY COORDINATES (M,N), AND CALL THIS CELL I. THE SCANNING OPERATION BEGINS IN THE UPPER LEFT HAND CORNER OF THE IMAGE AND IT THEN PROCEEDS BY COMPARING THE GRAY TONE OF \$1\% WITH AT MOST FOUR GRAY TONES OF ITS NEIGHBOURING RESOLUTION CELLS. THAT \$1\% NEVER NEEDS TO CONSIDER MORE THAN FOUR NEIGHBOURS CAN BE SEEN FROM THE DIAGRAM OF THE SEARCH PATTERN SHOWN BELOW ——

I J M L K

ON A GIVEN ITERATION, &I& WILL LOOK FIRST AT ITS VERTICAL NEIGHBOUR (&L&), NEXT AT ITS HORIZONTAL NEIGHBOUR (&J&), THIRD AT ITS LOWER RIGHT NEIGHBOUR (&K&) AND FOURTH AT ITS LOWER LEFT DIAGONAL NEIGHBOUR (&M&). &I& THEN MOVES INTO THE POSITION OF THE LEFT-MOST RESOLUTION CELL OF THE PREVIOUSLY SCANNED SECOND ROW (THE POSITION OCCUPIED BY &M&). THE OPERATION IS REPEATED UNTIL ALL NEIGHBOURING PAIRS OF RESOLUTION CELLS HAVE BEEN EXAMINED. THE PROCEDURE IS: FURTHER REPEATED FOR CELLS SKIPPED OVER IF THE SPATIAL DISTANCE IS GREATER THAN ONE, TILL ALL CELLS HAVE BEEN EXHAUSTED.

IL=INDEX(I,L)

ADD FUNC(IL,1) TO CENTER CELL AND 90-DEGREE NEIGHBOUR

JDATA(IRW, IST) = JDATA(IRW, IST) + FUNC(IL, 1)
JDATA(IRW, LST) = JDATA(IRW, LST) + FUNC(IL, 1)

IJ=INDEX(I,J)

ADD FUNC(IJ, 2) TO CENTER CELL AND O-DEGREE NEIGHBOUR

JDATA(IRW,IST) = JDATA(IRW,IST) + FUNC(IJ,2)
JDATA(IRM,IST) = JDATA(IRM,IST) + FUNC(IJ,2)

IK=INDEX(I,K)

ADD FUNC(IK,3) TO CENTER CELL AND 135-DEGREE NEIGHBOUR

JDATA(IRW, IST) = JDATA(IRW, IST) + FUNC(IK, 3)JDATA(IRM, LST) = JDATA(IRM, LST) + FUNC(IK, 3)

```
MI=IRW
1
Ι.
                                  NOW ITERATE DOWN THE ROW
Γ:
      DO 130 N=IRM, NUMPMM, MM
1.
      MM+N+MM
      MM-M-MM
      M = M
      T = 1
      M==L
      L == |:
Ľ.
      J=IDATA(NMM/IST)-LEAST1
      K=IDATA(NMM, LST)-LEAST1
<u>.</u>..
      IL=INDEX(I,L)
1...
C
                                  ADD FUNC(IL, 1) TO CENTER CELL AND
\mathbb{C}
                                   90-DEGREE NEIGHBOUR
Γ.
       JDATA(N, IST) = JDATA(N, IST) + FUNC(IL, 1)
       )ATAC N. LST) = JDATAC
                                  N, LST) + FUNC(IL, 1)
C
       IJ=INDEX(I,J)
                                  ADD FUNC(IJ, 2) TO CENTER CELL AND
C
                                    O-DEGREE NEIGHBOUR
۲.
10
       JDATA(N,IST) = JDATA(N,IST) + FUNC(IJ,2)
       JDATA(NMM, IST) = JDATA(NMM, IST) + FUNC(IJ, 2)
C
       IK=INDEX(I,K)
0
                                   ADD FUNC(IK, 3) TO CENTER CELL AND
C:
C
                                   135-DEGREE NEIGHBOUR
UDATA(N, IST) = UDATA(N, IST) + FUNC(IK, 3)
       JDATA(NMM, LST) = JDATA(NMM, LST) + FUNC(IK, 3)
(
       IM=INDEX(I)M)
 \Gamma
                                   ADD FUNC(IM, 4) TO CENTER CELL AND
                                    45-DEGREE NEIGHBOUR
 C
       JDATA(N, IST) = JDATA(N, IST) + FUNC(IM, 4)
       JDATA(NNM, LST) = JDATA(NNM, LST) + FUNC(IM, 4)
   130 CONTINUE
 Ľ
                                   COMPUTE THE LAST SET OF MM COLUMNS
 C
                                   SEPARATELY
 MM+IM=HIM
       I = J
       M=1_
```

```
L=K
C
       IL=INDEX(I,L)
\mathbb{C}
                                   ADD FUNC(IL, 1) TO CENTER CELL AND
\mathbb{C}
C
                                    90-DEGREE NEIGHBOUR
       JDATA(NIM, IST) = JDATA(NIM, IST) + FUNC(IL,1)
       JDATA(NIM, LST) = JDATA(NIM, LST) + FUNC(IL, 1)
C
       IM=INDEX(I,M)
C
 \mathbb{C}
                                   ADD FUNC(IM, 4) TO CENTER CELL AND
 C
                                    45-DEGREE NEIGHBOUR
ij.
       JDATA(NIM, IST) = JDATA(NIM, IST) + FUNC(IM, 4)
       JDATA( NI, LST) = JDATA( NI, LST) + FUNC(IM, 4)
 C
   120 CONTINUE
 C
 C
                                   TO WRITE OUT THE COMPLETED LINE OF THE
 C
                                    JDATA IMAGE
 C
          DO 699 J=1, MM
          IXM=NUMPFL-J+1
          JDATA(J, IST)=(JDATA(J, IST)*8)/5
          JDATA(IXM, IST)=(JDATA(IXM, IST)*8)/5
   699
          CONTINUE
          IF(LCNT, NE. 1) GO TO 695
Γ.
          DO 694 J=1, NUMPPL
          IARRAY(1, 1, J)=(JDATA(J, IST)*5)/3
          CONTINUE
   694
          GO TO 798
 C
   695
          CONTINUE
          DO 797 J=1, NUMPPL
          IARRAY(1, 1, J)=JDATA(J, IST)
   797
          CONTINUE
  798
         CONTINUE
 C
          LINE=LCNT-MM1
 C
          CALL RWRITE(IDATJ, IARRAY, 1, LINE, 1, JOENT, IEV, ERR1)
          DO 700 IXM=1, NUMPMM
          IF (JDATA(IXM, IST), LT. NXMIN) NXMIN=JDATA(IXM, IST)
          IF(UDATA(IXM, IST), GT. NXMAX) NXMAX=UDATA(IXM, IST)
    700
          CONTINUE
 Ľ.
                                    SHIFT THE POINTERS FOR THE TWO ARRAYS.
 C
                                    THIS IS DONE BY A CYCLIC ROTATION.
                                    THE POINTER ARRAY IPT IS SUCH THAT AT ANY
 Ç.
 Ċ.
                                    TIME THE ITH LOCATION OF IPT CONTAINS
 Ľ.
                                    THE POINTER TO THE ITH POSITION OF THE
```

0 0 0 0			LINE IN IDATA OR JDATA ARRAY. FOR EXAMPLE, IF IPT(2)=4 THEN THE FOURTH LINE OF THE PHYSICAL JDATA ARRAY IS ACTUALLY THE SECOND LINE, AT THAT MOMENT.
1		IF (LONT EQ. NUMLIN) GO TO	i 105
. C			ROTATE IN A CYCLIC MANNER
	135	ITEMP=IPT(1) DO 135 IB=1, MM IPT(IB)=IPT(IB+1) IPT(MM1)=ITEMP	
0 0			SET UP THE POINTERS TO THE FIRST AND LAST ROWS OF THE TWO IMAGE ARRAYS
C		IST=IPT(1) LST=IPT(MM1)	
C			READ IN A NEW LINE INTO THE IDATA ARRAY
Γ.			Y, IMGNO, LCNT, 1, IDENT, IEV, ERR1)
	112	DO 112 LY=1, NUMPPL IDATA(LY, LST)=IARRAY(1,	
, c			ZERO OUT THE LAST LINE OF THE JDATA ARRAY
	145	DO 145 JJ=1, NUMPPL JDATA(JJ,LST)=0	
C	105	CONTINUE	
C			THE LAST MM ROWS ARE COMPUTED SEPARATELY
C			DO LOOP TO GO THROUGH THE MM ROWS
C		ILINE=LINE DO 140 LR=1,MM ISR=IPT(LR+17	사용하다는 마음이 보고하는 이렇지 않아 있다면 보고 하는데 말을 받는다. 15일 - 사용하는 사용하는 이 사용이 있는데 하는데 말을 하는데 있다. 15일 - 사용하는 사용하는 하는데 하는데 말을 받았다면 보고 있다.
C			DO LOOP TO GO THROUGH EACH ROW MM TIMES
C		DO 142 IRW=1,MM	경기 (18 - 17 ) 10 1 (18 - 18 ) 전 1 (18 - 18 ) 1 (18 - 18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (1 1 - 18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 1 - 18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 ) 1 (18 )
c		I=IDATA(IRW,ISR)-LEAST1	사용하다는 사용한 보고 있는 사용하는 것은 사용하는 사용하는 것이 없다는데 사용하다는 기계를 하는데 보고 있는데 보고 있는데 사용하는데 보고 있다.
000			DO LOOP TO WORK DOWN A ROW, COMPUTING THE O-DEGREE NEIGHBOUR ONLY
		DO 144 N=IRW, NUMPMM, MM NMM=N+MM	
ſ,		J=IDATA(NMM, ISR)-LEAST1	
c		I'T=INDEX(I' 'T)	이 글로마이 사용되다고 하시아 하는데 이 기를 하는 것이 하시는데 말했다. 외국에 나타를 사용되는 기계에 하는데 하시아 하시아 하시아 기술을 받는데 되었다.

```
C
                                   ADD FUNC(IJ, 2) TO CENTER CELL AND
 C
                                     O-DEGREE NEIGHBOUR
 C
                N_{i} ISR) = JDATA(
                                   N_{t}(SR) + FUNC(IJ, 2)
       UDATA(NMM, ISR) = UDATA(NMM, ISR) + FUNC(IJ, 2)
 C
   144 I=J
   142 CONTINUE
 C
                                   WRITE OUT THE COMPLETED JDATA LINE
 C
 C
          DO 698 J=1, MM
          IXM=NUMPPL-J+1
          JDATA(J, ISR)=(JDATA(J, ISR)*8)/5
          JDATA(IXM, ISR)=(JDATA(IXM, ISR)*8)/5
   698
          CONTINUE
 Γ.
 Ľ.
 C
          IF(LR. NE. MM) GO TO 670
C
          DO 696 J=1, NUMPPL
          IARRAY(1,1,J)=(JDATA(J,ISR)*5)/3
   696
          CONTINUE
          GO TO 896
 C
   670
          CONTINUE
 Ü
 C.
          DO 897 J=1, NUMPPL
          IARRAY(1, 1, J)=JDATA(J, ISR)
   897
          CONTINUE
 Γ.
 C
   896
          CONTINUE
JO
          LINE=ILINE+LR
          CALL RWRITE(IDATJ, IARRAY, 1, LINE, 1, JDENT, IEV, ERR1)
          DO 701 IXM=1, NUMPMM
           IF (JDATA(IXM, ISR), LT. NXMIN) NXMIN=JDATA(IXM, ISR)
           IF(JDATA(IXM, ISR), GT, NXMAX) NXMAX=JDATA(IXM, ISR)
    701
          CONTINUE
  C
    140 CONTINUE
 C
          CALL CLOSE(IDATJ)
           CALL CLOSE (IDATI)
           CALL KDPOP
        RETURN
  Ľ.
  C
                                    ERROR RETURN
  C
   9999
           CONTINUE
           CALL CLOSE(IDATI)
           CALL CLOSE (IDATJ)
```

RETURN IERRI END

```
CIXINFT
                          T-X-I-N-F-T
C:
        ASCII I/O FOR THE TEXTURE PROGRAMS
\Box
                                TXINPT
C
      PROGRAM TITLE
C
                                Α
      VERSION
C
                                CHIN-HUANG CHEN
      AUTHOR
                                FEBRUARY 1975
\mathbb{C}
      DATE
\mathbb{C}
      UPDATE
C
      PROGRAM LANGUAGE
                                FORTRAN IV
C
      IMPLEMENTED ON
                                PDP 15
C.
                                CHIN-HUANG CHEN
      DOCUMENTED BY
C
      PURPOSE.
              THIS ROUTINE GETS THE NECESSARY PARAMENTERS FOR THE
C
C
              TEXTURE TRANSFORM PACKAGE
C
                          TXINPT(NEUNC, NDIS, FILNMP, FILNMQ, IBOUT,
      ENTRY POINT
C
                          POLCT)
C
C
     ARGUMENT LIST
                         PARAMETER USED TO DETERMINE WHICH FUNCTION
\mathbf{C}
              NEUNC
C
                         COMPUTES THE JDATA IMAGE
                         NFUNC=1 FOR SUM PROBABILITY FEATURE
C
C
                         NFUNC=2 FOR ANGULAR MOMENTUM FEATURE
                         NFUNC=3 FOR ENTROPY FEATURE
C
C
                         NFUNC=4 FOR GRADIENT FEATURE
C
                          NFUNC=5 FOR NORMALIZED ARRAY WHICH HAS
                                  BEEN EQUAL PROBABILITY QUANTIZED
C
                          SPATIAL DISTANCE TO BE USED TO GENERATE LEX ARRAYS
C
               NDIS
\Box
               FILNME
                          INPUT FILE NAME
\Gamma
                          OUTPUT FILE NAME
               FILNMO
                          ERROR MESSAGE OUTPUT DAT SLOT
I.
               IBOUT
                          PERCENT OF LINES COUNTED IN GENERATING THE
C
               PCLCT
 C
                          FOUR NEIGHBOR GRAY TONE MATRICES (LEX ARRAYS)
         SUBROUTINE TXINPT(NFUNC,NDIS,FILNMP,FILNMQ,IBOUT,PCLCT)
         DOUBLE INTEGER FILNMP, FILNMQ, FDATE
         DIMENSION FILNMP(2), FILNMQ(2), FDATE(3)
         IOUT = 6
         IDIN = 4
                           GET PARAMETERS
 C
 \mathbf{C}
 200
         WRITE(IOUT, 100)
         FORMAT(4 TYPE NEUNC, NDIS, IBOUT, POLOT, I/O FILE NAMES4)
 100
         WRITE(IOUT, 110)
         FORMAT( (FORMAT IS 315, F4, 2, A9, A9) ()
 110
         READ(IDIN, 101) NFUNC, NDIS, IBOUT, PCLCT, FILNMP, FILNMQ
         FORMAT(315, F4. 2, A5, A4, A5, A4)
 101
         WRITE(IOUT, 102) NFUNC, NDIS, IBOUT, PCLCT, FILNMP, FILNMQ
         IF (IBOUT, NE. IOUT) WRITE (IBOUT, 102) NFUNC, NDIS, IBOUT, FILNMP,
```

2FILNMQ 102 FORMAT(1X,3I5,2X,F4.2,2X,A5,A4,2X,A5,A4) C

CALL ADATE(FDATE)
WRITE(IOUT, 405) FDATE

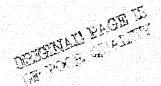
IF(IBOUT. NE. IOUT) WRITE(IBOUT, 405) FDATE
405 FORMAT(1X, 3A5)
RETURN
END

OF POOR QUALITY

```
CTXJDM
                          M-0-L-X-T
C
\mathbb{C}
                 TEXTURE JUATA MAINLINE
C
C
        PROGRAM TITLE:
                                   MOLXT
C
Ü
        VERSION:
                                   ROBERT M HARALICK
C
        AUTHOR:
                                   NOVEMBER 1974
C
        DATE
                                   FEBRUARY 1975
C.
        UPDATE
C
                                   CHIN-HUANG CHEN
C
        PROGRAM LANGUAGE:
                                   FORTRAN IV
                                   PDP 15
C
         IMPLEMENTED ON:
C
         PURPOSE:
C
C
Ľ.
         THIS ROUTINE IS THE MAIN LINE FOR THE JUATA GENERATION
10
                    INPUT PARAMETERS ARE FUNCTION TYPE, SPATIAL DISTANCE
Ľ.
         RELATIONSHIP, ERROR MESSAGE OUTPUT . DAT SLOT, PERCENT OF LINES
C
         COUNTED IN GENERATING THE FOUR NEIGHBOR GRAY TONE MATRICES,
C
         INPUT FILE NAME, AND OUTPUT FILE NAME.
C
         SUBROUTINES CALLED:
C
C
                  TXINFT
C
                  ERROR
C
                  TXTMN
C
                    SDKINL
C
                    SKPDSC
C
                    FFLXIT
C
                      SREAD
Ċ
                      INDEX
C
                    FUNC1
C
                    FUNC2
C
                    FUNC3
Ľ,
                    FUNC4
C
                    FUNC5
C
                      EQPONT
C
                      LEXEQP
C
                    PLXIT
[]:
                      INDEX
C
                      SREAD
C
Ċ
         DOUBLE INTEGER NPPCAL, NTOTAL, FILNMP, FILNMQ
         DIMENSION FILNMQ(2), FILNMP(2)
         COMMON IWORK(8000), IWRK(7000)
         COMMON /DFA/ NG/F(50)
         COMMON/DEB/AMEAN, VAR, NPPCAL, NTOTAL, START, END, NCALL, NNTERS, DANGE
         COMMON /IO/ NSIZE, IDUM(2048)
         COMMON /TXT/ ITXT(10)
         DATA IOUT, IDATK, IDATG, NDIM/6, 2, 1, 15000/
         NSIZE = 1024
           CONTINUE
   200
C
```

C

Ľ.		CALL TXINPT(NEUNC, NDIS, FILNMP, FI	NMO, TROUT, PCLI	<b>:T)</b>
1				
T.				
0		WRITE THI BLOCK	E INPUT IMAGE	IDENTIFICATION
C				
		CALL LSTID(IDATK FILNMP, IBOUT, 1,	IEV, @304)	
C				
Ü				
C		COMPUTE	THE INTEGER TE	XTURE IMAGE
C		CALL TXTMN(IWORK, NDIM, FILNMF, FIL ZNXMIN, NXMAX, PCLCT, IEV, @310)	NMQ, NDIS, NFUNC	
C				
C		WRITE T BLOCK	HE OUTPUT IMAG	E IDENTIFICATION
c		CALL LSTID(IDATO, FILNMO, IBOUT, 1,	IEV, @304)	
C				
l+		CALL CLOSE(IBOUT) GO TO 200		
	304	IERR=1 GO TO 500		
	310 500		3	
		END		



CTXTMN		T-X-T-	M−N - State		
C C C	PROGRAM TITLE	SUBROUTINE	TXTMN		
C C C	PROGRAMMER		A SINGH, OCTOBER %72 OR PDP BY ROBERT M HARALIC	K 5/1/73 7/10/73	
C				2/2/74 6/30/74	
C C				9/20/74 10/10/74	
C	UPDATE		CHIN-HUANG CHEN	2/22//5	
C C	DOCUMEN- TATION	A. SINGH, (	OCTOBER &72		
C C C	COMPUTER REQUIRED	PDP-15			
C C C	PROGRAM LANGUAGE	FORTRAN IV			
Ĉ C	PURPOSE	TXTMN IS THE MAINLINE SUBROUTINE FOR THE TEXTURE ROUTINE PACKAGE TO COMPUTE THE JUATA IMAGE.			
6 6 6 6 6 6	METHOD	TAKES II READS II SETS UP	THE FOLLOWING — N LABELS AND PARAMETERS FR N THE IMAGE FROM FILE (02) SETS THE MAXIMUM AND DYNAMIC ALLOCATION OF PAR HE REST OF THE SUBROUTINES	, MINIMUM GRAY LEVELS, AMETERS AND	
Č C C	ENTRY POINT		N(IWORK,NDIM,S,T,NDIS,IFUN ,NXMAX,PCLCT,IEV,ERR1)		
C C	ARGUMENTS		SCRATCH ARRAY WHERE THE IM AND THEN LATER IT IS USED		
C C C		NDIM	ALLOCATION. SIZE OF SCRATCH ARRAY. N EITHER NUMPPL*NUMLIN OR 2*(M*(A+1)+1)+4*B*(B+1), N IS LARGER.	그리 시간에 맞춤되면 어떤 것을 받았다.	
C C C			A IS THE NUMBER OF POINTS/ IMAGE, B IS THE MAXIMUM NU LEVELS POSSIBLE AND M IS T REDUCTION DISTANCE THE PRO WITH.	IMBER OF GRAY THE LARGEST	
C			NAME OF FILE THE IMAGE IS		
C C		NDIS	NAME OF FILE WHERE THE JDG SPACING BETWEEN NEIGHBORL'S PARAMETER USED TO DETERMINE	Y RESOLUTION CELLS	
C	게 되었다. 그는 사용에 보려는 건글로		COMPUTES THE JUSTA IMAGE.		
C C			IFUNC=1 FOR SUM PROBABIL. IFUNC=2 FOR ANGULAR MON	4. 「こうできる」 (4.1) 「こうしゅうできる こうしょうしょう こうはい こうしゅう こうしゅう こうしゅう	
		in the second of	어물하는 시민들이 반면 하면 하는 하는 방안 한 경우의 하는데	어린 어린이 위하는 눈이 돌았는데 일찍 얼마나는데	

Ċ Γ. 1 1... C C 17: 17 C C C. C C C C C C C C: C: Ľ, Ċ. C C C C C Ľ. C C C Ľ. C Ü C C C C C Ţ. 1

C

Ι... C IFUNC=3 FOR ENTROPY FEATURE

IFUNC=4 FOR GRADIENT FEATURE OF THE IMAGE

IFUNC:5 FOR NORMALIZED LEX ARRAY WHICH HAS BEEN

EQUAL PROBABILITY QUANTIZED

NIMXN XAMXM IS THE MINIMUM ON THE JOATA IMAGE IS THE MAXIMUM ON THE JUATA IMAGE

PCLCT

IS THE PERCENT OF LINES COUNTED

IEV ERR1 INTEGER EVENT VARIABLE ALTERNATE ERROR RETURN

PARAMETERS AND ARRAYS

NUML IN

NUMBER OF LINES IN THE INPUT IMAGE

NUMBER OF POINTS PER LINE IN THE INPUT IMAGE NUMPPL

IMAX

MAXIMUM GRAY LEVEL

IMIN

MINIMUM GRAY LEVEL

LEAST1 NOBL

=IMIN-1

NUMBER OF GRAY LEVELS

NEUBL

=NOBL\*(NOBL+1)/2 IS THE SIZE OF A LEX ARRAY NIDATA, NUDATA, NLEX1, 2, 3, 4, NFUNC AND NTOT ARE POINTERS

FOR DYNAMIC ALLOCATION IN IWORK.

INPUT AND OUTPUT

READ IN FROM FILE (02)

ERROR FOR INCORRECT SIZE OF IWORK, ERROR IF PARAMETER IFUNC HAS BEEN

INITIALIZED INCORRECTLY.

INPUT IMAGE ON FILE CODE IDATI.

WRITES JOATA IMAGE ON FILE CODE IDATJ.

SUBPROGRAMS

FPLXIT, PLXIT, INDEX, FUNC1, FUNC2, FUNC3, FUNC4, FUNC5

SEEK

SYSTEM LIBRARY

CLOSE

SYSTEM LIBRARY

REQUIRED

RETURNS

NORMAL AND ALTERNATE

PROGRAM TERMINATED FOR INCORRECT SIZE OF IWORK, ERROR IF IFUNC

INITIALISED INCORRECTLY.

CALLED BY MAIN LINE PROGRAM TXJDM

SUBROUTINE TXTMN(IWORK, NDIM, S, T, NDIS, IFUNC, NXMIN, 2NXMAX, PCLCT, IEV, ERR1)

INTEGER ERR1

DOUBLE INTEGER FUNC

DOUBLE INTEGER FOATE, S, T, A, B

DOUBLE INTEGER LEX, C1, R1, CC1, RR1

DIMENSION IWORK(1), LEX1(1), LEX2(1), LEX3(1), LEX4(1), IDATA(1,1), T(2)

C C C C

C

C C

C C C C C C C C

C

```
C
C
C
```

```
DIMENSION IDENT(20), S(2), JDENT(20), FDATE(3)
DIMENSION JDATA(1,1), IPT(1), FUNC(1,1)
  DIMENSION CC1(8), RR1(8), LEX(13), C1(2), R1(2)
```

IDATA(NUMPPL, MM1), JDATA(NUMPPL, MM1), LEX1(NBUBL), LEX2(NBUBL), LEX3(NBUBL), LEX4(NBUBL), IPT(MMAX), FUNCT(NBUBL, 4)

COMMON /TXT/ IMAX, IMIN, NUMPPL, NUMLIN, NBUBL, NOBL, LEAST1 DATA A, B, IZ, IONE, ITWO/TXTMN7, 4 7 7 0, 1, 2/ DATA IDATI, IDATU/2,3/ DATA LEXY/LEX /, /ARRAY/, 11\*/ // DATA C1, R1//COL /, / /, /ROW /, / // DATA\_CC1/4C14,4C24,4C34,4C44,4C54,4C64,4C74,4C84/ DATA RR17/R11, /R21, /R31, /R41, /R51, /R61, /R71, /R817

CALL KDPUSH(A, B) CALL SDKINL(IDATI, S, IDENT, 1, IEV, ERR1) NUMPPL=IDENT(6) NUMLIN=IDENT(7) IMIN=IDENT(15) IMAX=IDENT(16)

LEAST1=IMIN-1 NOBL=IMAX-LEAST1 NBUBL=NOBL\*(NOBL+1)/2

## SET DYNAMIC ALLOCATION PARAMETERS

SINCE THE SIZE OF IDATA, JDATA AND 1PT ARE DIFFERENT FOR DIFFERENT REDUCTIONS, THE MAXIMUM SPACE THEY WILL REQUIRE HAS TO BE RESERVED. IDATA AND JDATA THIS WILL BE (NDIS+1)\*NUMPPL, AND FOR IFT JUST NDIS+1.

MM1=NDIS+1 NIDATA=1 NJDATA=NIDATA+NUMFFL\*MM1 NLEX1=NJDATA+NUMPFL\*MM1 NLEX2=NLEX1+NBUBL NLEX3=NLEX2+NBUBL NLEX4=NLEX3+NBUBL NFUNC=NLEX1 NIPT=(NLEX4+NBUBL)\*2 NTOT=NIPT+MM1

CHECKING IF THE SIZE OF IWORK IS ENOUGH

IF(NTOT, GT, NDIM)GO TO 78 NBIG=NDIM-NTOT

```
1
                                        ADJUST THE DIMENSIONS
 Ü
          CALL ADJ2(IDATA, IWORK(NIDATA), NUMPPL)
          CALL ADJ2(JDATA, IWORK(NJDATA), NUMPPL)
          CALL ADJI(LEX1, IWORK(NLEX1))
          CALL ADJ1(LEX2, IWORK(NLEX2))
          CALL ADJI(LEX3, IWORK(NLEX3))
          CALL ADJI(LEX4, IWORK(NLEX4))
          CALL ADJ2(FUNC, IWORK(NFUNC), NBUBL)
          CALL ADJI(IPT, IWORK(NIPT))
 1.
 Γ.
 Ę.
                                        ZERO OUT THE SCRATCH AREA
 <u>ا</u>ر:
 C
 \tilde{\Gamma}
        DO 30 JLK=1, NDIM
     30 IWORK(JLK)=0
 Ċ
 17
                                        SKIP THE DESCRIPTOR RECORDS
 Ţ.
          CALL SKPDSC(IDATI, IDENT, IEV, ERR1)
 C
 Γ.
                                        COMPUTE THE FOUR LEX ARRAYS
* E.
          CALL FPLXIT(IDATI, IDATA, LEX1, LEX2, LEX3, LEX4, IPT, IDENT, MM1,
       2PCLCT, IEV, ERR1)
 C
                                        WRITE OUT THE LEX ARRAYS
 C
 C
            CALL IMTRXP(LEX1, 8, 8, 8, LEX, C1, R1, CC1, RR1, 4)
            CALL IMTRXP(LEX2,8,8,8,LEX,C1,R1,CC1,RR1,4)
            CALL IMTRXP(LEX3, 8, 8, 8, LEX, C1, R1, CC1, RR1, 4)
            CALL IMTRXP(LEX4, 8, 8, 8, LEX, C1, R1, CC1, RR1, 4)
 C:
 1
                                        CALL PROFER FUNCTION SUBPROGRAM
 1
  C
           IEV=-5011
           IF(IFUNC. EQ. 1) CALL FUNC1(LEX1, LEX2, LEX3, LEX4, FUNC, NBUBL)
           IF(IFUNC.EQ 2) CALL FUNC2(LEX1, LEX2, LEX3, LEX4, FUNC, NBUBL)
           IF(IFUNC, EQ 3) CALL FUNC3(LEX1, LEX2, LEX3, LEX4, FUNC, NBUBL)
           IF(IFUNC. EQ. 4) CALL FUNC4(LEX1, LEX2, LEX3, LEX4, FUNC, NBUBL)
           IF(IFUNC.EQ. 5) CALL FUNC5(LEX1, LEX2, LEX3, LEX4, FUNC, NBUBL)
           IF (IFUNC. LE. O. OR. IFUNC. GE. 6) RETURN ERR1
           DO 79 I=1,20
           JDENT(I)=IDENT(I)
  79
           CONTINUE
  U
           JDENT(5)=10
           JDENT(19)=1
```

```
JDENT(10)=3
        JDENT(11)=512
        JDENT(15)=-256
        JDENT(16)=255
        CALL CPYDSC(IDATI, S, IDATJ, T, JDENT, IEV, ERR1)
        CALL ADATE(FDATE)
        NW=JDENT(12)*2
        WRITE(IDATJ) A.B. FDATE, S. (IZ. I=15, NW)
        WRITE(IDATJ) IONE, (IZ, I=2, NW)
        WRITE(IDATJ) ITWO, IFUNC, NDIS, (IZ, I=3, NW)
C
        CALL PLXIT(IDATI, IDATJ, IDATA, JDATA, IDENT, FUNC, IPT, NBUBL, MM1,
     2NXMIN, NXMAX, JDENT, IEV, ERR1)
        CONTINUE
        CALL KDPOP
        RETURN
C.
C
                 ERROR RETURN FOR NOT ENOUGH WORK SPACE
C
   78
         IEV=-5010
        RETURN ERR1
C
      END
```